

# Preface

- arXiv:arXiv:0706.3034 (50+ citations)
- PLB 670, 313 (2009) (31 citations)
- arXiv:0804.4168, accepted by PRL (50+ citations)
- arXiv:0912.0244, accepted by PRC

Viewpoint expected today!

- **DiscoverMagazine** *The Hottest Science Experiment on the Planet*
- **NY Times** *Scientists Briefly Break a Law of Nature*
- **Newsday** *Brookhaven Lab findings eye birth of the universe*
- **Reuters UK** *Hottest temperature ever heads science to Big Bang*
- **Fox News** *Measuring the Hottest Temperatures in the Universe*
- **DailyMail** *Scientists create hottest temperature since Big Bang*
- **ABCNews** *Hottest Temperature Ever Heads Science to Big Bang*
- ... And many more

# Measuring the hottest Temperature in the Universe

Electromagnetic Radiation from a  
Quark Gluon Plasma

Alberica Toia  
CERN

## Outline

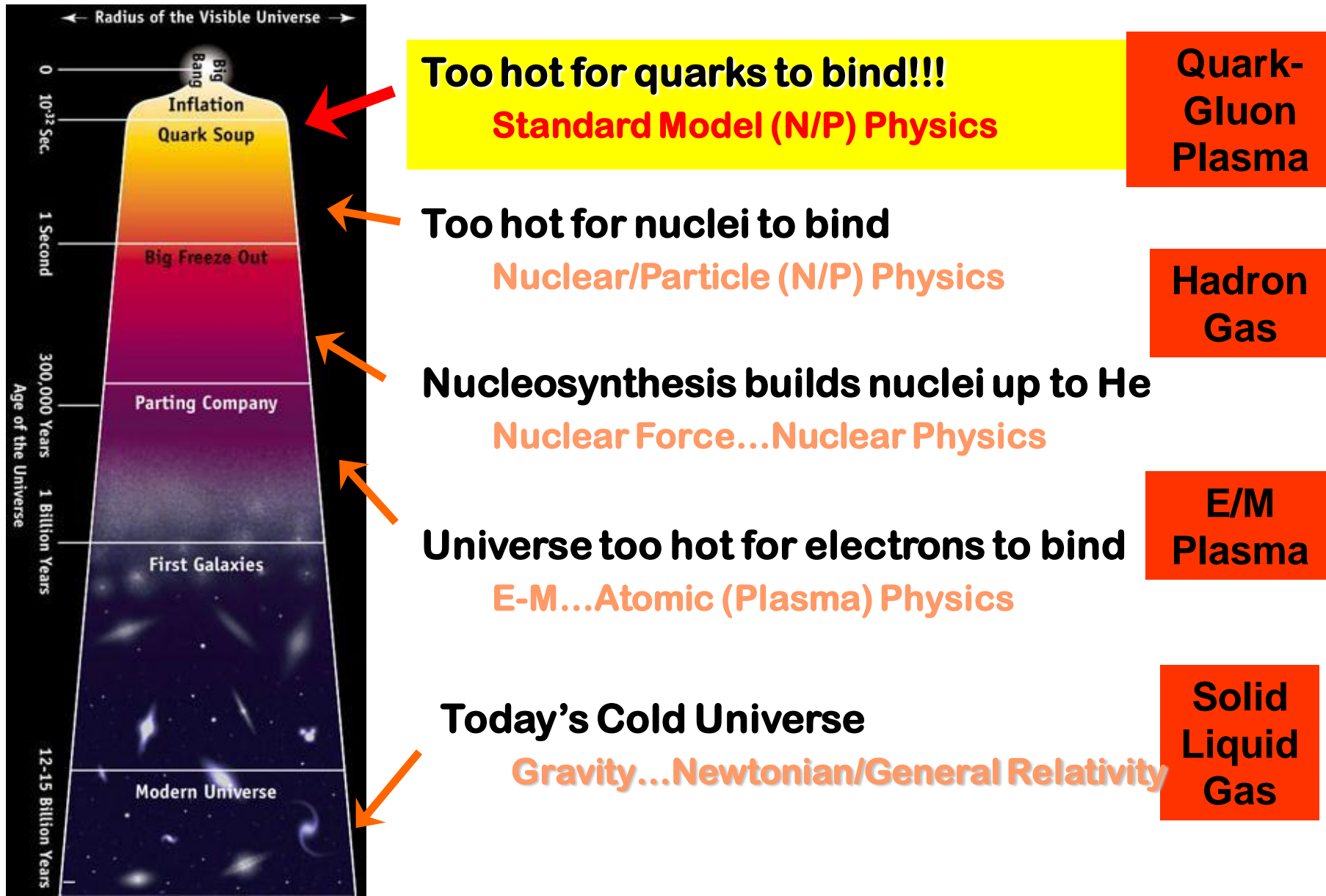
- Understanding and Modelling **QCD** and its properties
- The experimental methods: **Relativistic Heavy Ion Collisions**
- The **golden probe** of Quark Gluon Plasma:  
**Electromagnetic Radiation**
  - Temperature of the matter
  - Medium modifications of EM spectral functions



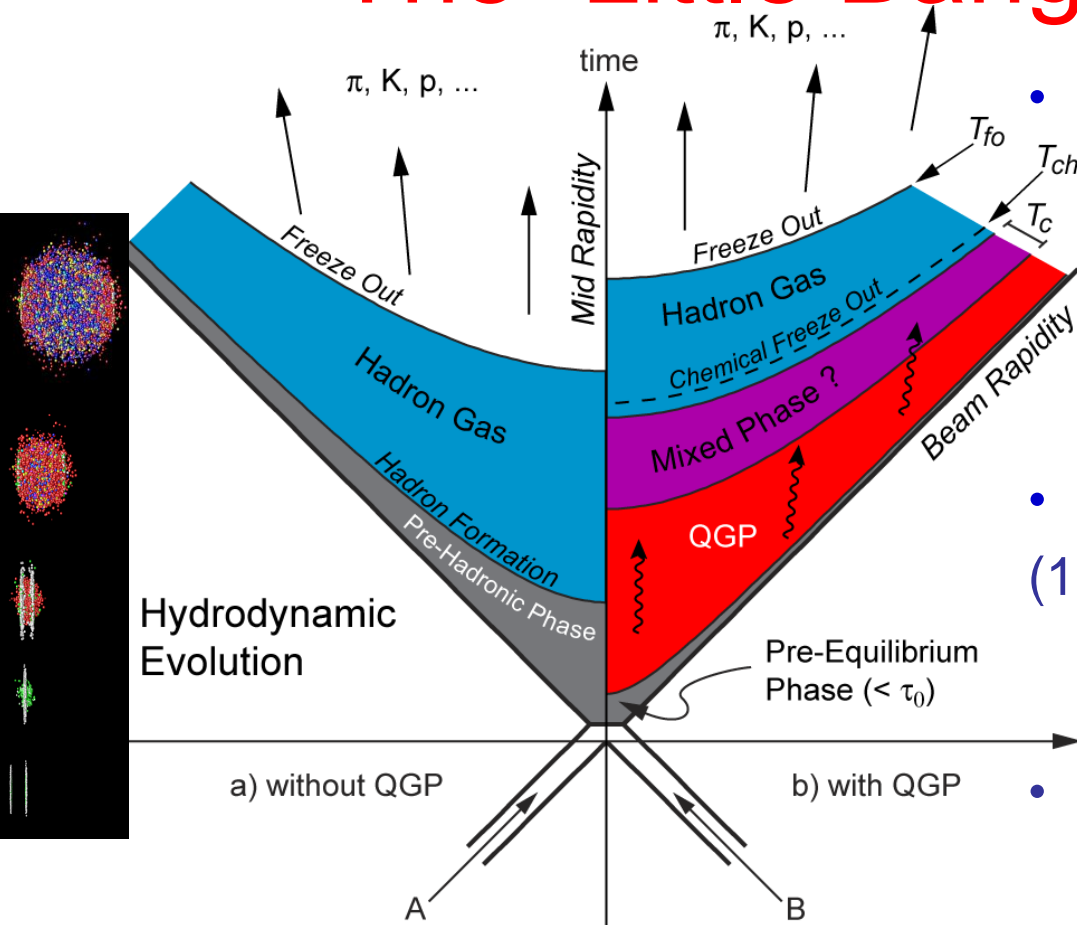
ExtreMe Matter Institute EMMI Symposium on  
Perspectives in Quark-Gluon Plasma Physics  
March 29-30, 2010 GSI, Seminar Room Theory



# Evolution of the Universe



# The “Little Bang” in the lab

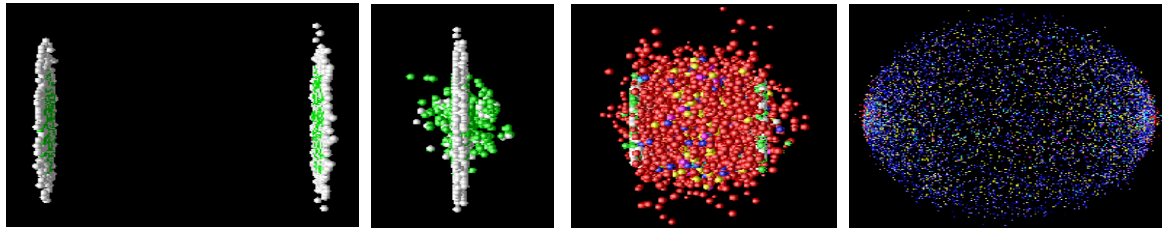


- High energy nucleus-nucleus collisions:
  - fixed target (SPS:  $\sqrt{s}=20\text{GeV}$ )
  - colliders
    - RHIC:  $\sqrt{s}=200\text{GeV}$
    - LHC:  $\sqrt{s}=5.5\text{TeV}$
- QGP formed in a tiny region ( $10^{-14}\text{m}$ ) for very short time ( $10^{-23}\text{s}$ )
  - Existence of a mixed phase?
  - Later freeze-out
- Collision dynamics: different observables sensitive to different reaction stages



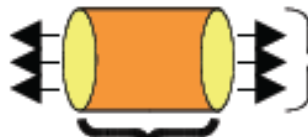
- 2 counter-circulating rings, 3.8 km circumference
- Top energies (each beam):
  - 100 GeV/nucleon Au+Au.
  - 250 GeV polarized p+p.
  - Mixed Species (e.g. d+Au)

# Energy density in heavy ion collisions



Energy density: “Bjorken estimate” (for a longitudinally expanding plasma):

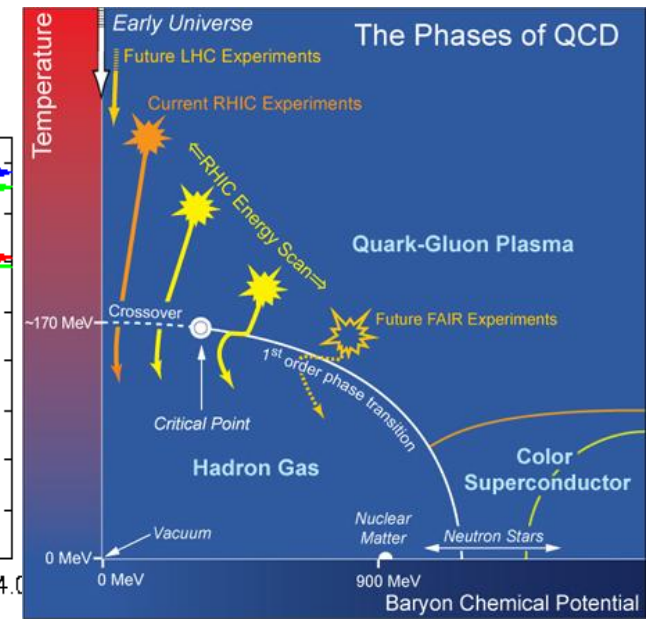
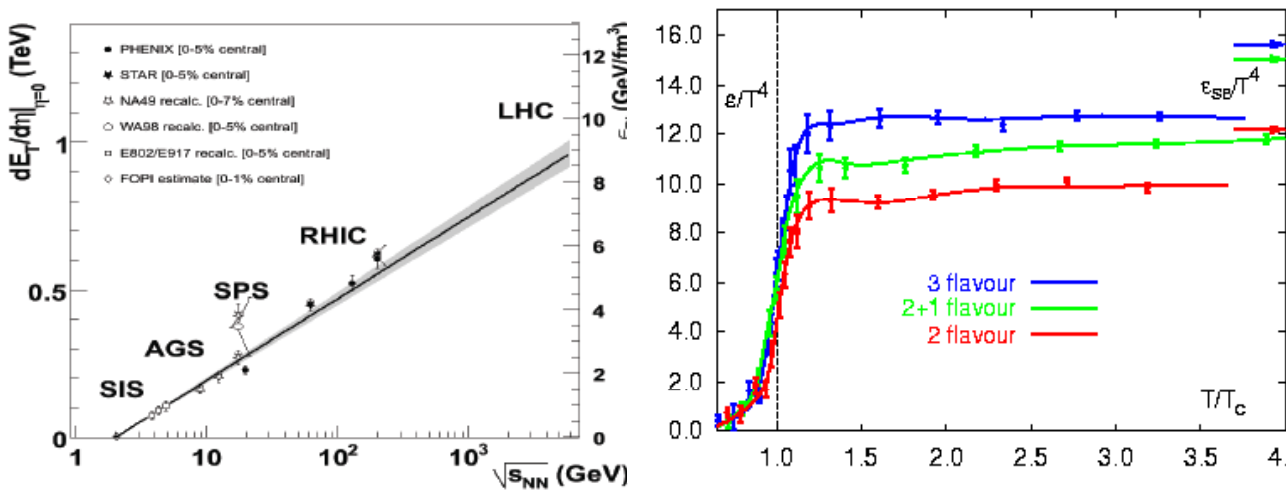
$$\epsilon_{Bj} = \frac{dE_T}{dy} \frac{1}{\tau_0 \pi R^2}$$


 $\pi R^2 \sim 150 \text{ fm}^2$

$\tau_0 \sim 1 \text{ fm/c} > \tau_{\text{cross}} = 2R/\gamma \sim 0.15 \text{ fm/c}$

- Large Transverse Energy
- Parton Energy Loss
- Parton Elliptic Flow

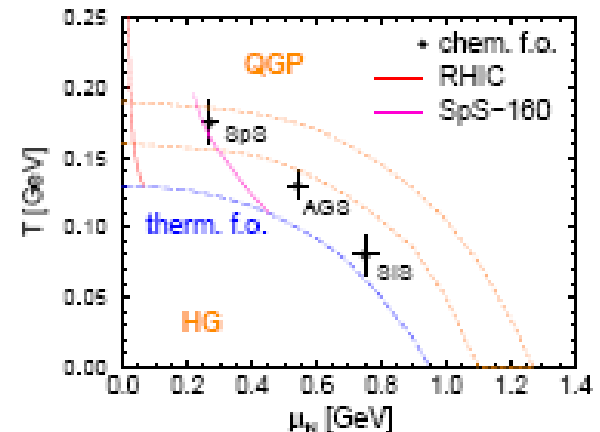
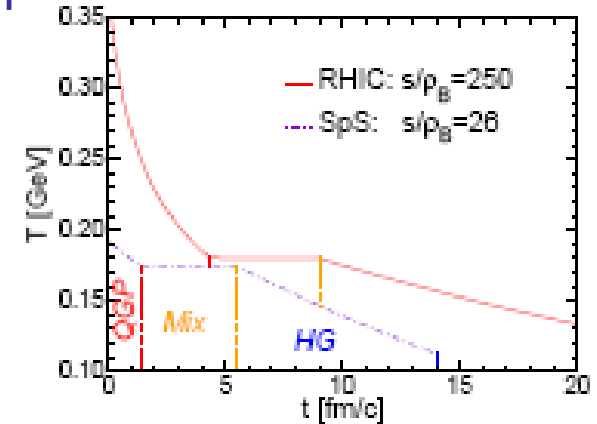
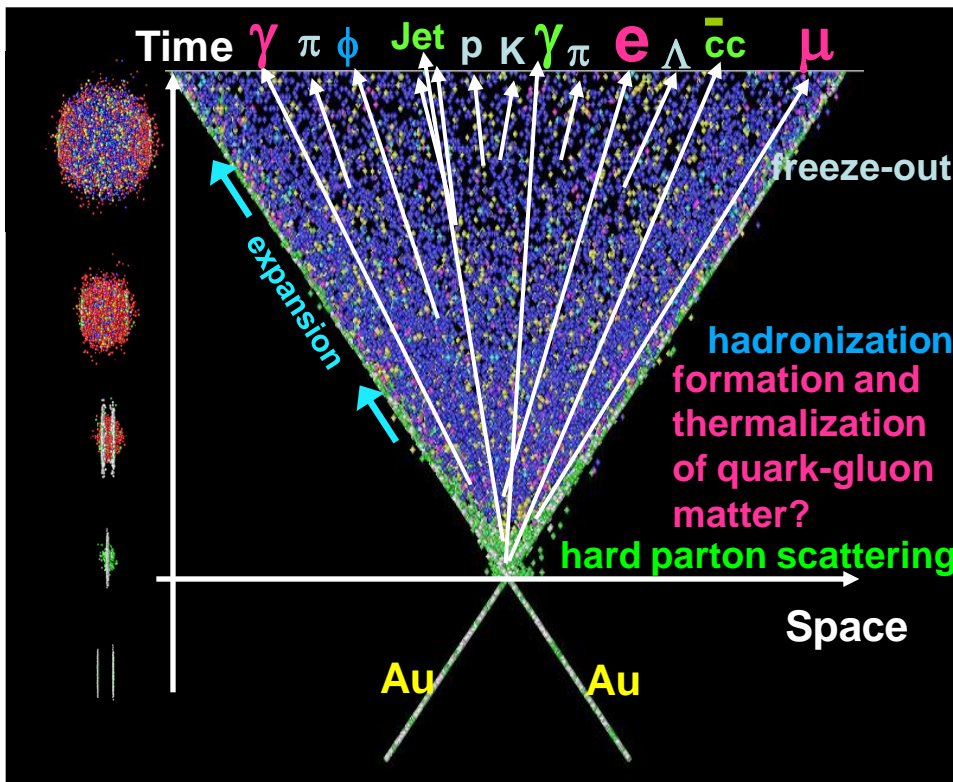
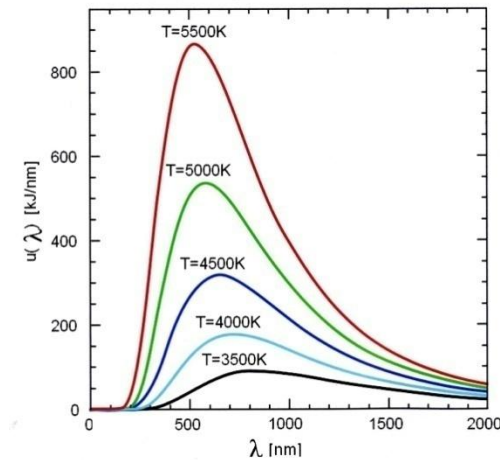
$$\epsilon_{\text{init}} \sim 15 \text{ GeV/fm}^3 > \epsilon_c$$



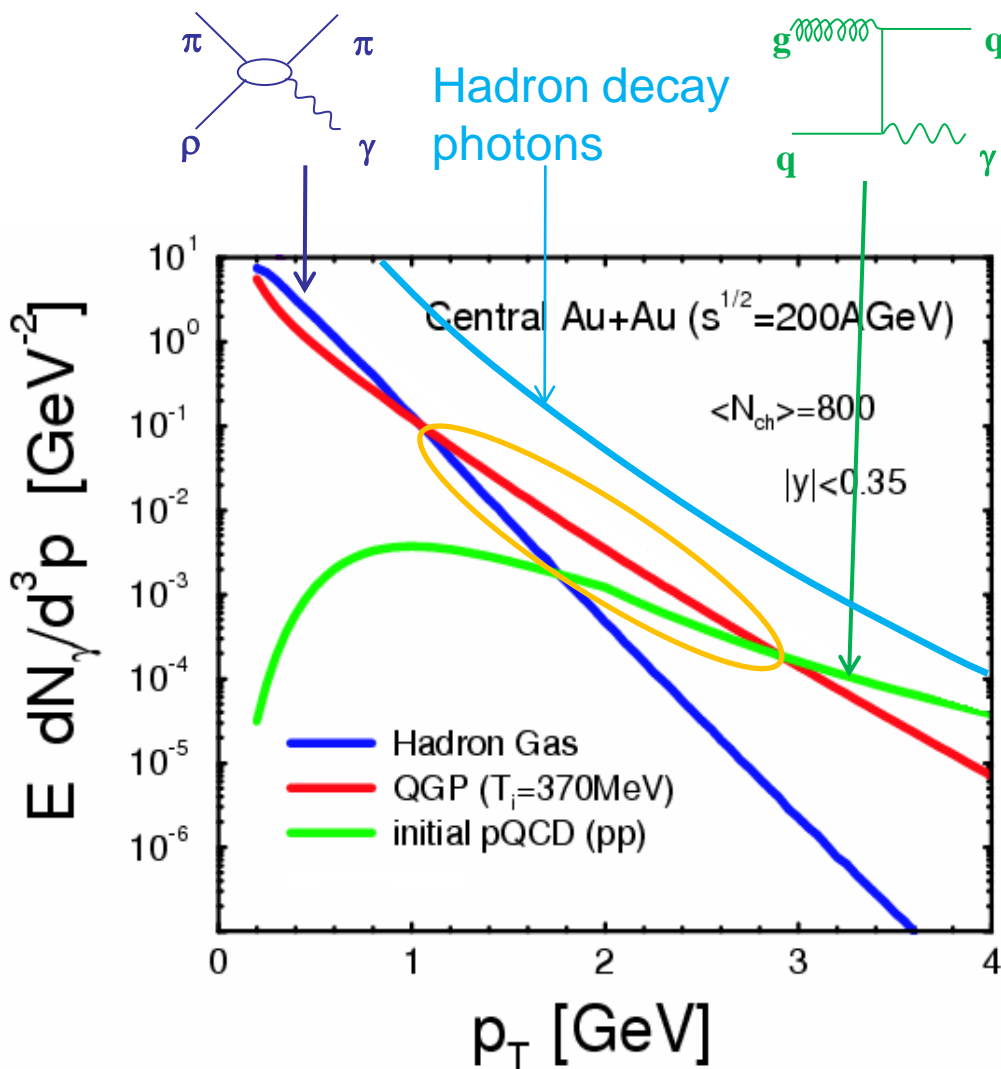


# Electromagnetic Radiation

- Thermal black body radiation ( $\gamma, \gamma^* \rightarrow e+e^-$ )
  - Hot matter emits thermal radiation
  - Temperature can be measured from emission spectrum
- No strong final state interaction
  - Leave reaction volume undisturbed and reach detector
- Emitted at all stages of the space time development
  - Information must be deconvoluted



# Thermal photons (theory prediction)

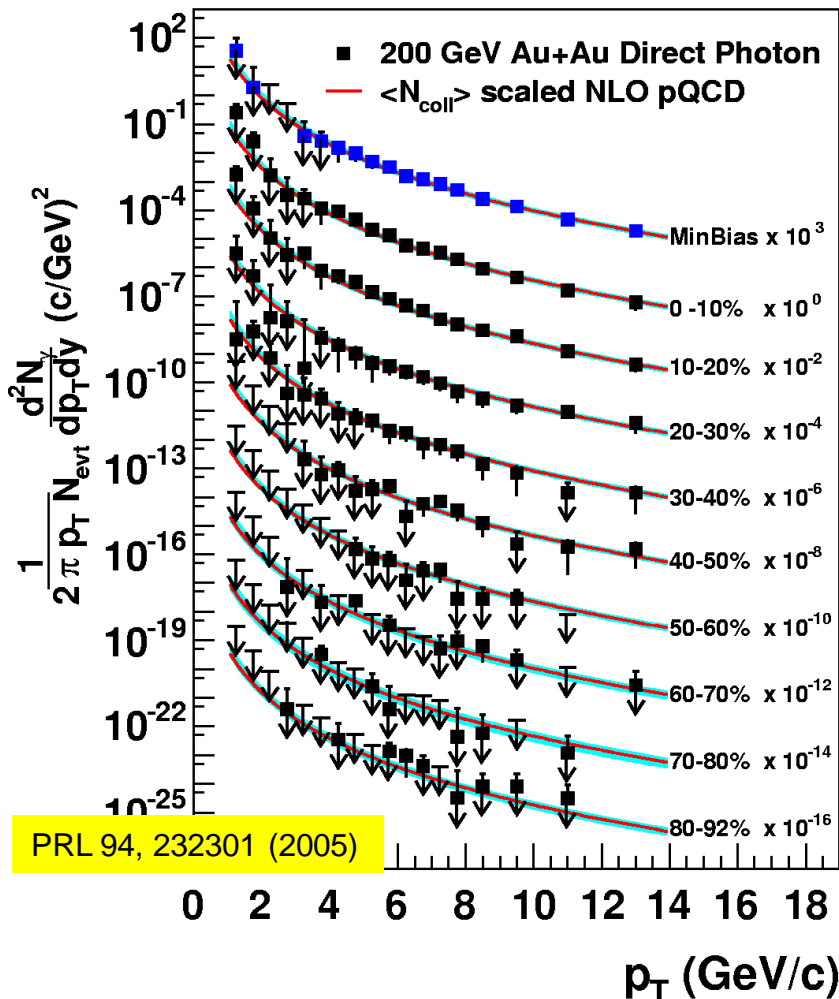


- High  $p_T$  ( $p_T > 3 \text{ GeV}/c$ ) pQCD photon
- Low  $p_T$  ( $p_T < 1 \text{ GeV}/c$ ) photons from hadronic Gas
- Thermal photons from QGP is the dominant source of direct photons for  $1 < p_T < 3 \text{ GeV}/c$
- Recently, other sources, such as jet-medium interaction are discussed
- Measurement is difficult since the expected signal is only 1/10 of photons from hadron decays



# Direct Photons in Au+Au

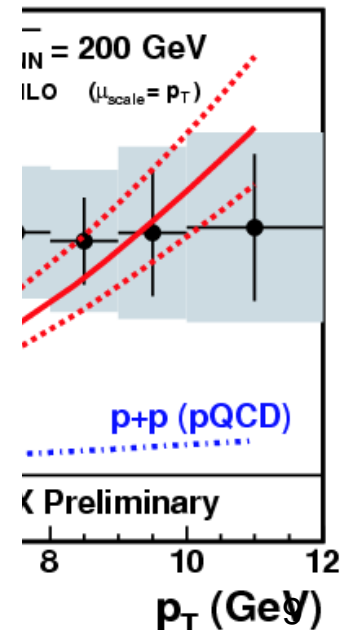
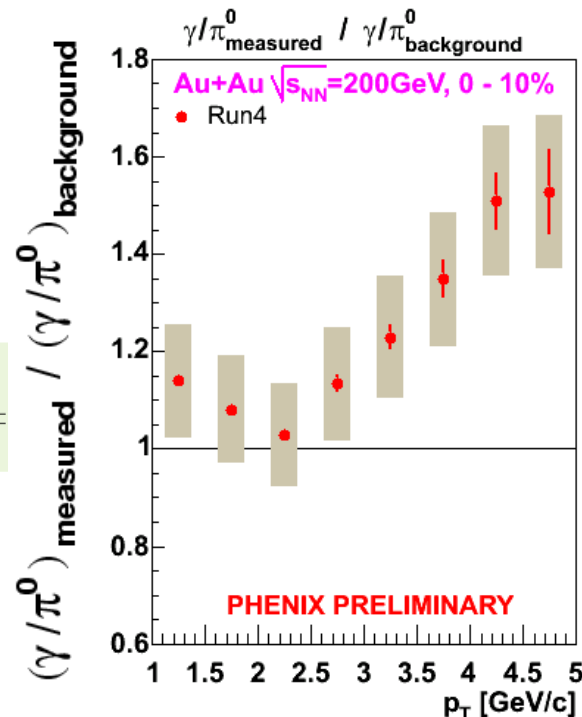
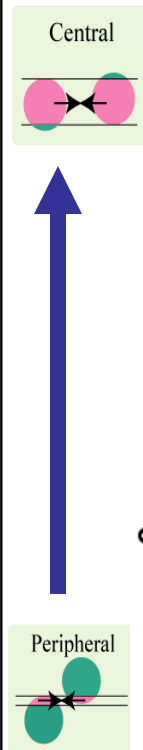
Blue line:  $N_{\text{coll}}$  scaled p+p cross-section



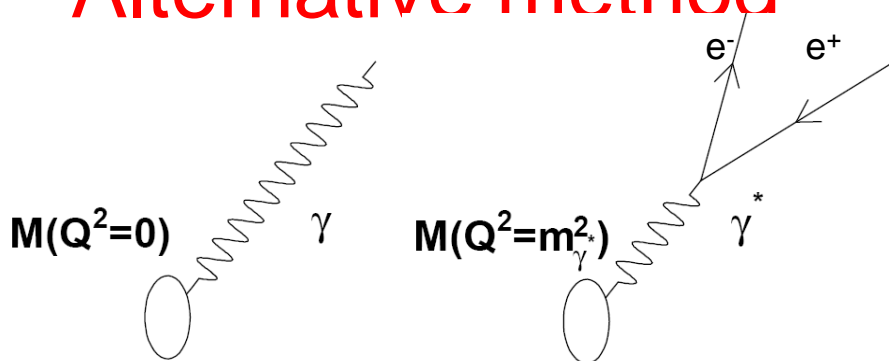
**Au+Au data consistent with pQCD calculation scaled by  $N_{\text{coll}}$**

Direct photon is measured as “excess” above hadron decay photons

Measurement below  $p_T < 3 \text{ GeV/c}$  is difficult since the yield of thermal photons is only 1/10 of that of hadron decay photons



# Alternative method --- measure virtual photons

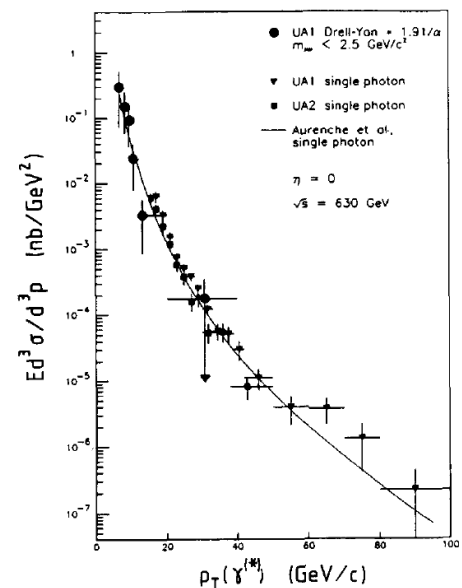


- This method is first tried at CERN ISR in search for direct photon in  $p+p$  at  $s^{1/2}=55\text{GeV}$ . They measure  $e^+e^-$  pairs for  $200 < m < 500\text{ MeV}$ , and set one of the most stringent limit on direct photon production at low  $p_T$
- Later, UA1 measured low mass muon pairs and deduced the direct photon cross section.

- Source of real photon should also be able to emit virtual photon
  - At  $m \rightarrow 0$ , the yield of virtual photons is the same as real photon
- Real photon yield can be measured from virtual photon yield, which is observed as low mass  $e^+e^-$  pairs

- Advantage:
  - Reduce hadron decay background  
For  $m > m_\pi$ ,  $\sim 80\%$  of background removed
  - photon ID, energy resolution, etc
- Disadvantage
  - Reduce the yield ( $\sim \alpha/3\pi \sim 1/1000$ )

Comparison of Drell-Yon and single photon cross sections



# What we can learn from lepton pair emission

arXiv:0912.0244

Emission rate of dilepton per volume

$$\frac{dR_{ll}}{d^4q} = -\frac{\alpha^2}{3\pi^3} \frac{L(M)}{M^2} \text{Im}\Pi_{em,\mu}^\mu(M, q; T) f^B(q_0, T)$$

$\gamma^* \rightarrow ee$   
decay

EM correlator  
Medium property

Boltzmann factor  
temperature

$$f^B(q_0, T) = 1/(e^{q_0/T} - 1)$$

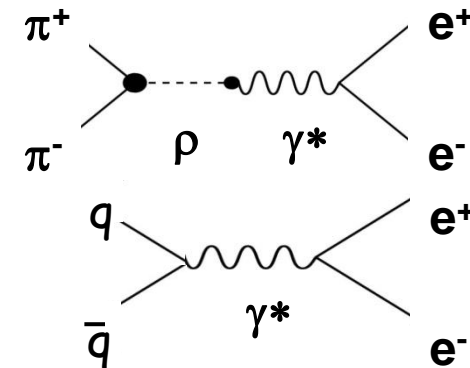
$$L(M) = \sqrt{1 - \frac{4m_l^2}{M^2}} \left(1 + \frac{2m_l^2}{M^2}\right)$$

Hadronic contribution  
Vector Meson Dominance

$$\text{Im}\Pi_{em}^{\text{vac}}(M) = \left\{ \begin{array}{l} \sum_{V=\rho,\omega,\phi} \left(\frac{m_V^2}{g_V}\right)^2 \text{Im}D_V(M) \\ -\frac{M^2}{12\pi} \left(1 + \frac{\alpha_s(M)}{\pi} + \dots\right) N_c \sum_{q=u,d,s} (e_q)^2 \end{array} \right.$$

qq annihilation

Medium modification of meson  
Chiral restoration



Thermal radiation from  
partonic phase (QGP)

From emission rate of dilepton, the medium effect on the EM correlator as well as temperature of the medium can be decoded.

# Relation between dilepton and virtual photon

arXiv:0912.0244

Emission rate of dilepton per volume

$$\frac{dR_{ll}}{d^4q} = -\frac{\alpha^2}{3\pi^3} \frac{L(M)}{M^2} \text{Im}\Pi_{em,\mu}^\mu(M, q; T) f^B(q_0, T)$$

Emission rate of (virtual) photon per volume

$$q_0 \frac{dR_{\gamma^*}}{d^3q} = -\frac{\alpha}{2\pi^2} \text{Im}\Pi_{em,\mu}^\mu(M, q; T) f^B(q_0, T).$$

Relation between them

Prob.  $\gamma^* \rightarrow l+l^-$

$$\underbrace{q_0 \frac{dR_{ll}}{dM^2 d^3q}}_{\text{Dilepton}} = \frac{1}{2} \frac{dR}{d^4q} = \underbrace{\frac{\alpha}{3\pi} \frac{L(M)}{M^2}}_{\text{Prob. } \gamma^* \rightarrow l+l^-} \underbrace{q_0 \frac{dR_{\gamma^*}}{d^3q}}_{\text{virtual photon}}$$

This relation holds for the yield after space-time integral

*Virtual photon emission rate can be determined from dilepton emission rate*

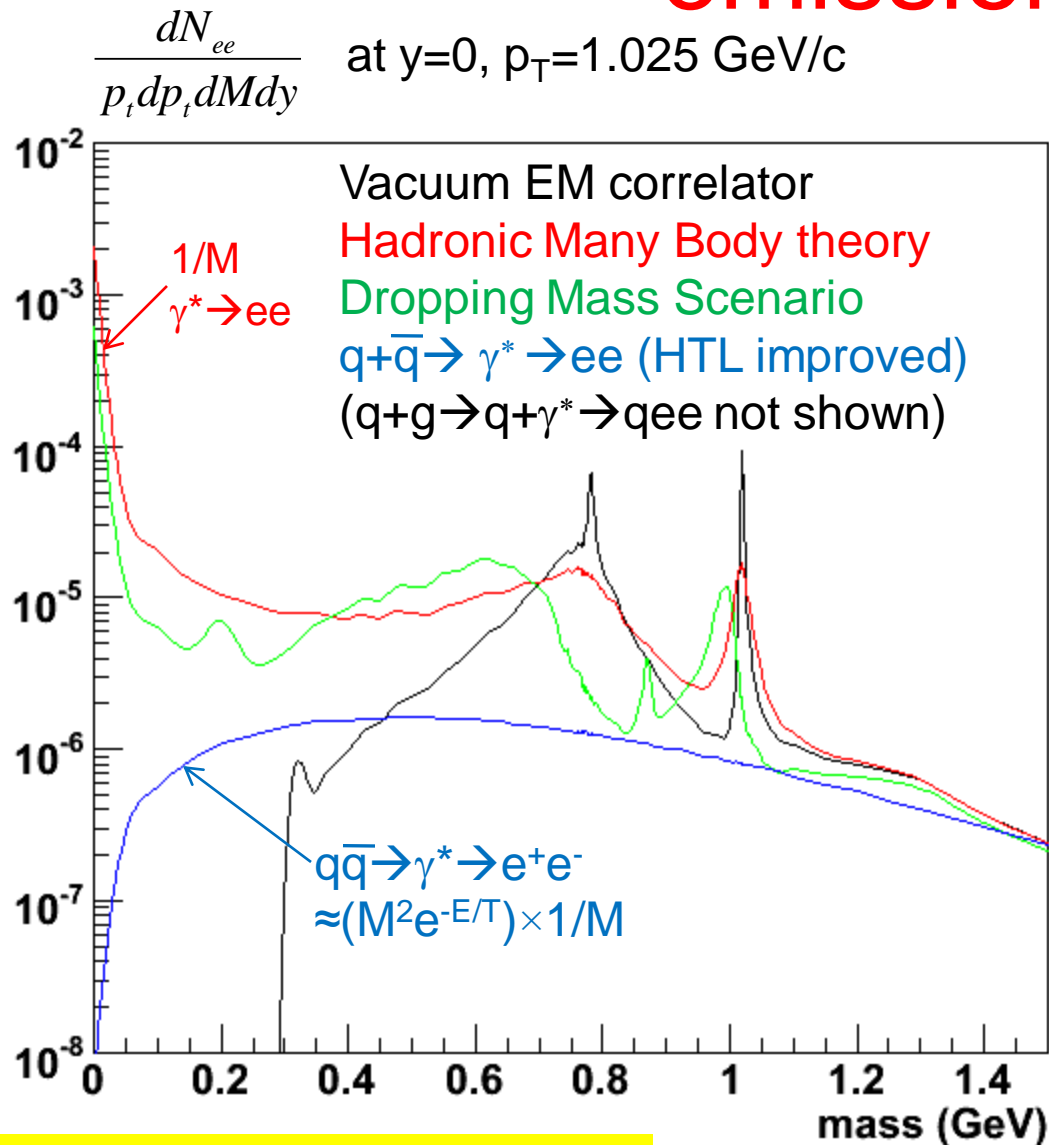
$$\begin{aligned} q_0 \frac{dn_{\gamma^*}}{d^3q} &\simeq \frac{3\pi}{\alpha} M^2 q_0 \frac{dn_{ll}}{d^3q dM^2} \\ &= \frac{3\pi}{2\alpha} \underbrace{M q_0 \frac{dn_{ll}}{d^3q dM}}_{\text{Dilepton}} \end{aligned}$$

$M \times dN_{ee}/dM$  gives virtual photon yield

**For  $M \rightarrow 0$ ,  $n_{\gamma^*} \rightarrow n_{\gamma}(\text{real})$ ; real photon emission rate can also be determined**

# Theory prediction of dilepton emission

arXiv:0912.0244



Usually the dilepton emission is measured and compared as  $dN/dp_T dM$

The mass spectrum at low  $p_T$  is distorted by the virtual photon  $\rightarrow ee$  decay factor  $1/M$ , which causes a steep rise near  $M=0$

$qq$  annihilation contribution is negligible in the low mass region due to the  $M^2$  factor of the EM correlator

In the calculation, partonic photon emission process  $q+g \rightarrow q+\gamma^* \rightarrow qe^+e^-$  is not included

Theory calculation by Ralf Rapp

# Virtual photon emission rate

arXiv:0912.0244

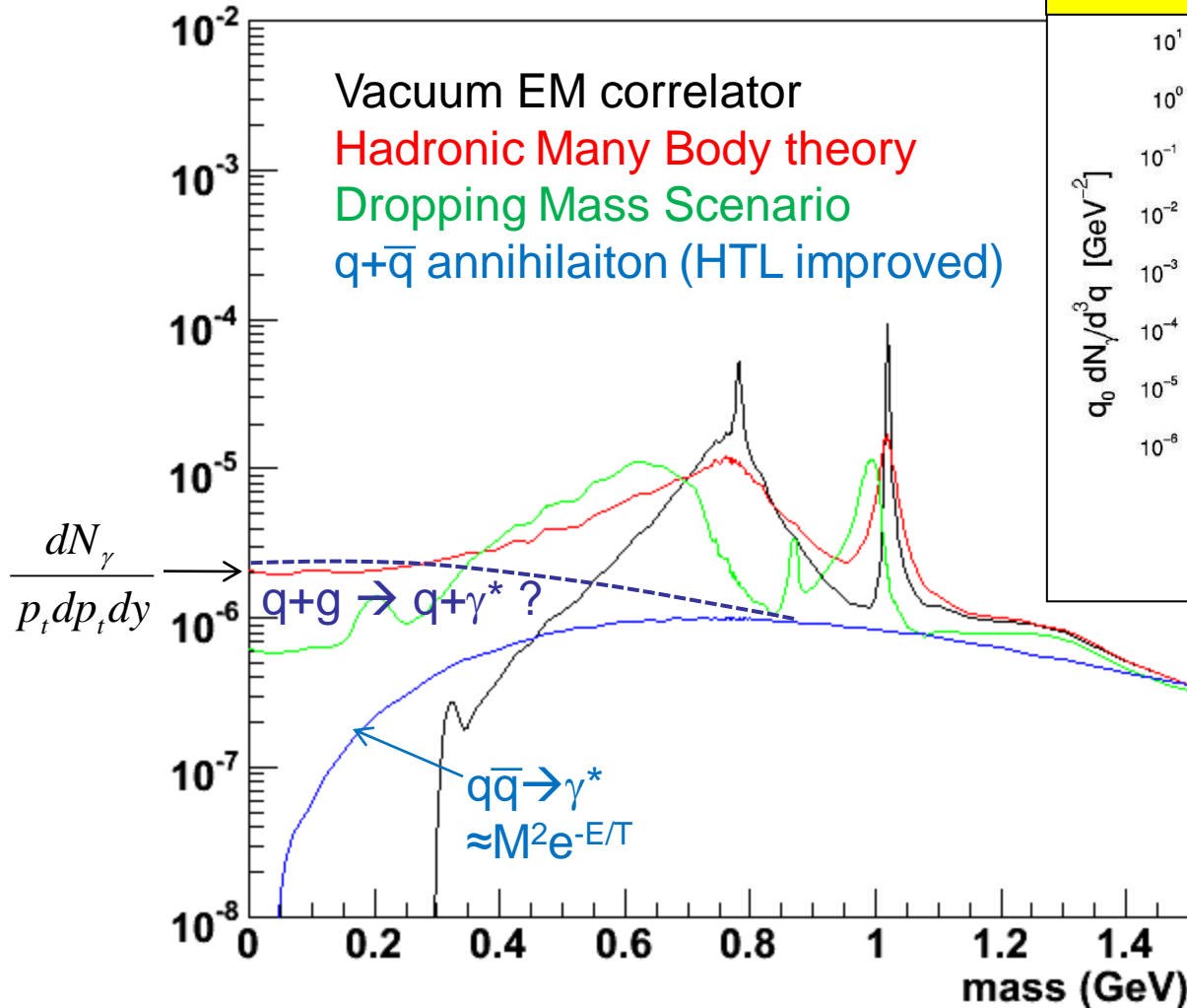
$$M \times \frac{dN_{ee}}{p_t dp_t dM dy} \propto \frac{dN_{\gamma^*}}{p_t dp_t dy} \text{ at } y=0, p_T=1.025 \text{ GeV}/c$$

Vacuum EM correlator

Hadronic Many Body theory

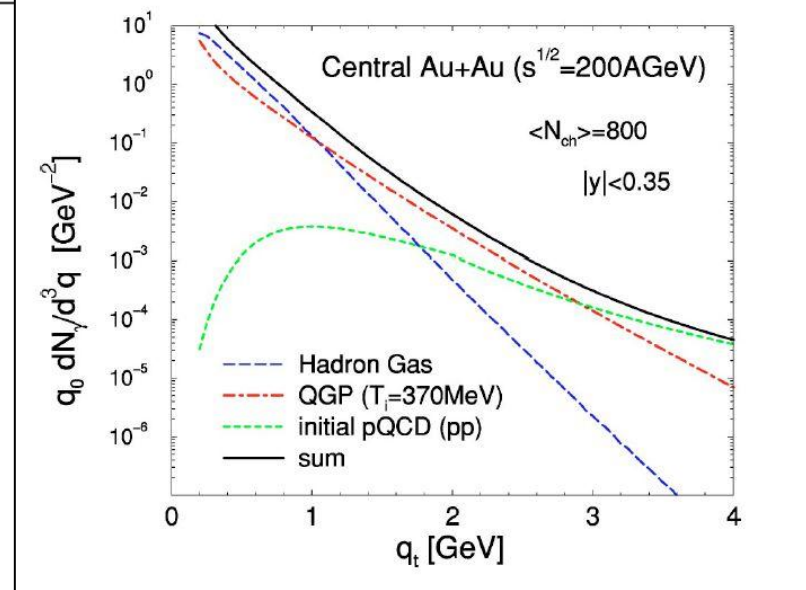
Dropping Mass Scenario

$q+\bar{q}$  annihilation (HTL improved)



## Real photon yield

Turbide, Rapp, Gale PRC69,014903(2004)



When extrapolated to  $M=0$ , the real photon emission rate is determined.

$q+g \rightarrow q+\gamma^*$  is not shown; it should be similar size as **HMBT** at this  $p_T$



# PHENIX Physics Capabilities

designed to measure rare probes:

**Au+Au & p+p spin**

+ high rate capability & granularity

+ good mass resolution and particle ID

- limited acceptance

- 2 central arms:

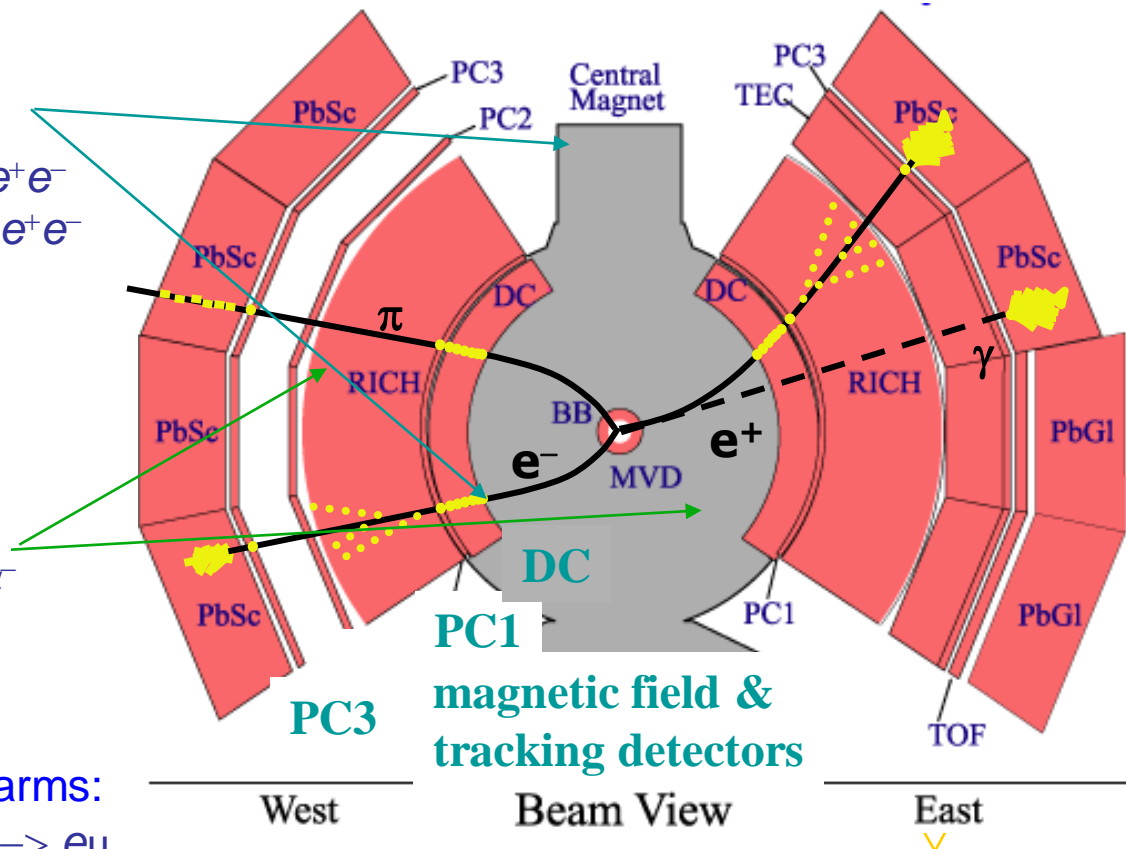
electrons, photons, hadrons

- charmonium  $J/\psi, \psi' \rightarrow e^+e^-$
- vector meson  $\rho, \omega, \phi \rightarrow e^+e^-$
- high  $p_T$   $\pi^0, \pi^+, \pi^-$
- direct photons
- open charm
- hadron physics

- 2 muon arms: muons

- “onium”  $J/\psi, \psi', Y \rightarrow \mu^+\mu^-$
- vector meson  $\phi \rightarrow \mu^+\mu^-$
- open charm

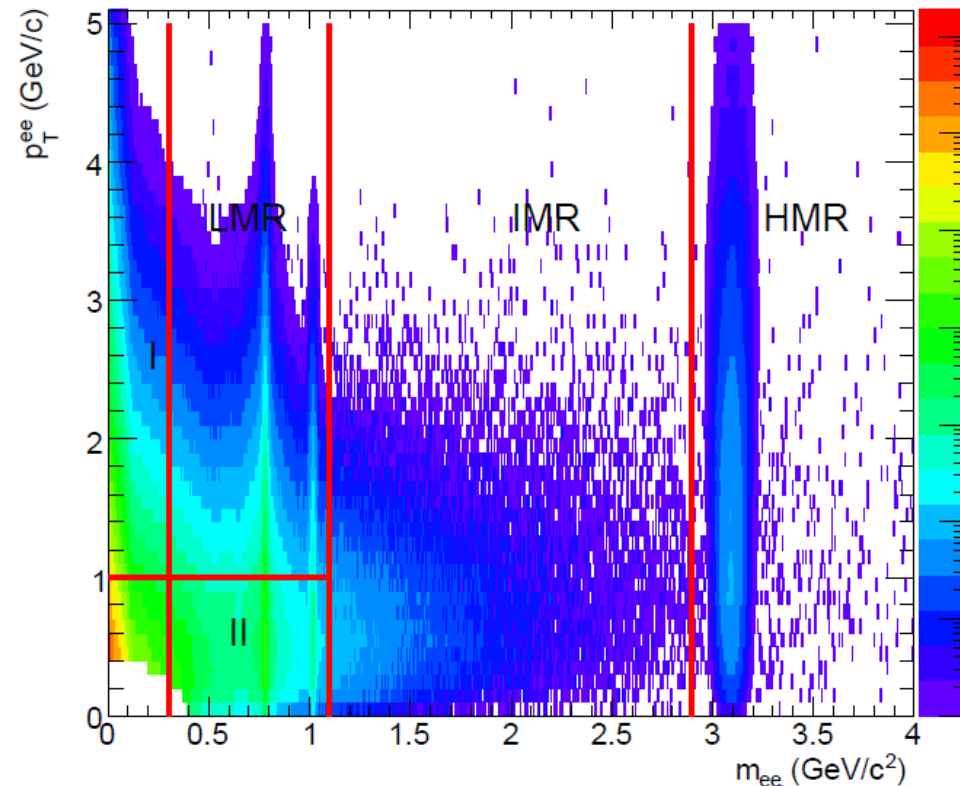
- combined central and muon arms:  
charm production  $DD \rightarrow e\mu$



- global detectors

- forward energy and multiplicity
- event characterization

# Dilepton Signal



- **LMR:  $m_{ee} < 1.2 \text{ GeV}/c^2$**

- **LMR I** ( $p_T \gg m_{ee}$ )  
quasi-real virtual photon region. Low mass pairs produced by higher order QED correction to the real photon emission
- **LMR II** ( $p_T < 1 \text{ GeV}$ )  
Enhancement of dilepton discovered at SPS (CERES, NA60)

- **Low Mass Region:  $m_{ee} < 1.2 \text{ GeV}/c^2$**

- Dalitz decays of pseudo-scalar mesons
- Direct decays of vector mesons
- In-medium decay of  $\rho$  mesons in the hadronic gas phase

- **Intermediate Mass Region:**

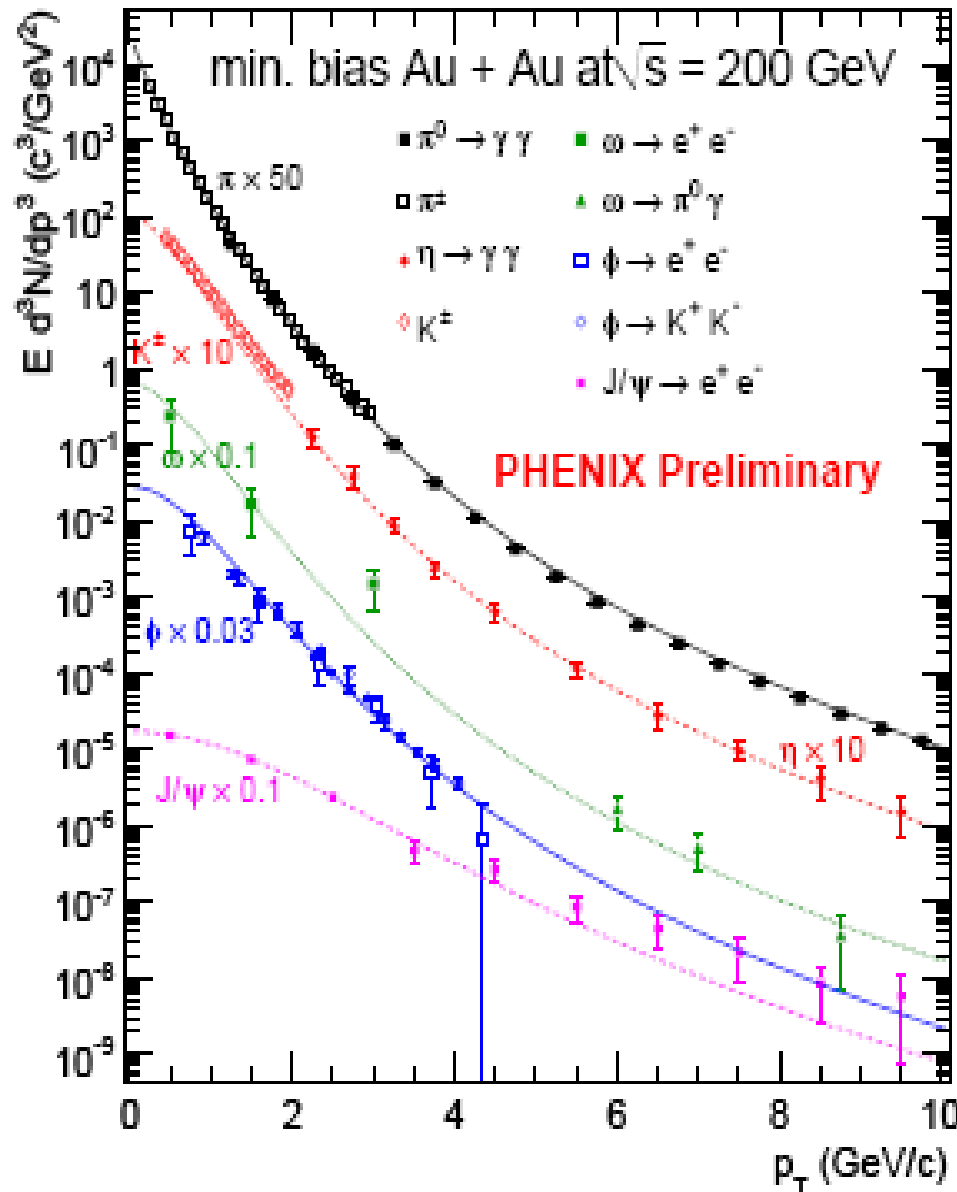
$$1.2 < m_{ee} < 2.9 \text{ GeV}/c^2$$

- correlated semi-leptonic decays of charm quark pairs
- Dileptons from the QGP

- **High Mass Region:  $m_{ee} > 2.9 \text{ GeV}/c^2$**

- Dileptons from hard processes
  - Drell-Yan process
  - correlated semi-leptonic decays of heavy quark pairs
  - Charmonia
  - Upsilon
- HMR probe the initial stage
- Little contribution from thermal radiation

# Hadronic Cocktail Measurement

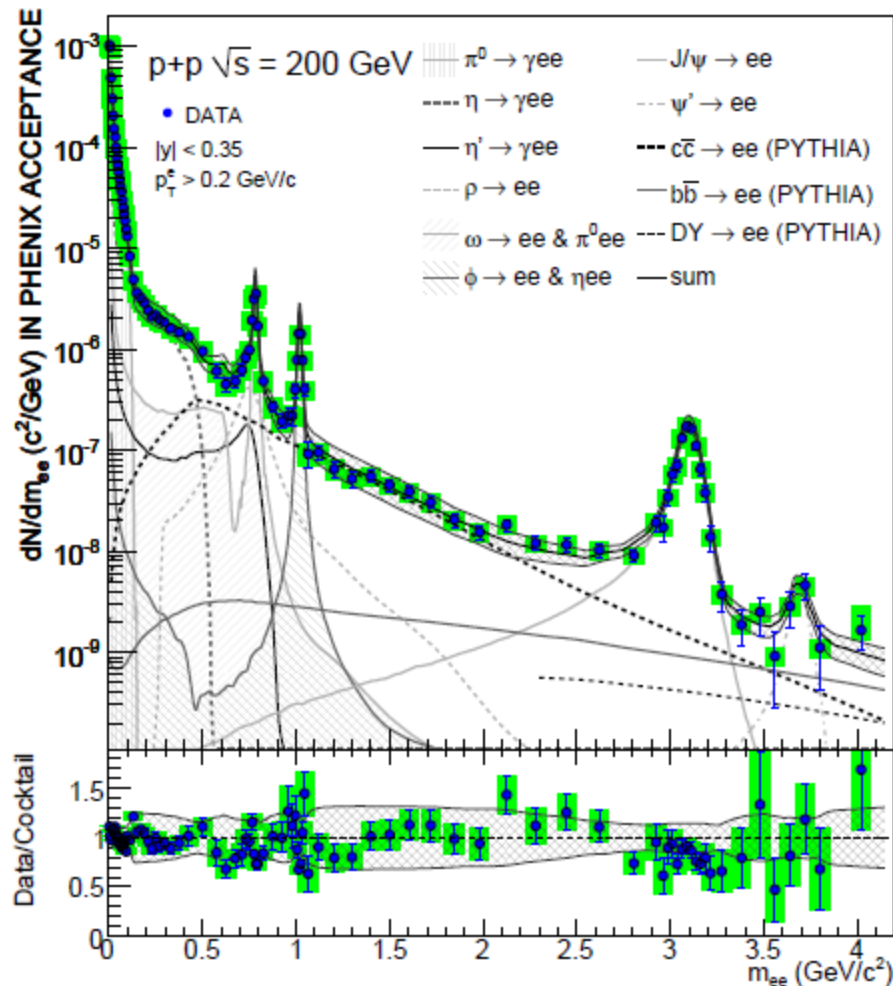


- Parameterization of PHENIX  $\pi^\pm, \pi^0$  data  
 $\pi^0 = (\pi^+ + \pi^-)/2$

$$E \frac{d^3\sigma}{d^3p} = \frac{A}{\left(\exp(-ap_T - bp_T^2) + p_T/p_0\right)^n}$$

- Other mesons: fit with  $m_T$  scaling of  $\pi^0$   
 $p_T \rightarrow \sqrt{(p_T^2 + m_{\text{meson}}^2 - m_\pi^2)}$   
 fit the normalization constant  
 **$\rightarrow$  All mesons  $m_T$  scale!!!**
- Hadronic cocktail was well tuned to individually measured yield of mesons in PHENIX for both p+p and Au+Au collisions.
- Mass distributions from hadron decays are simulated by Monte Carlo.
  - $\pi^0, \eta, \eta', \omega, \phi, \rho, J/\psi, \psi'$
- Effects on real data are implemented....

# Cocktail Comparison p+p



- 2.25pb<sup>-1</sup> of triggered p+p data
- Data absolutely normalized

- Excellent agreement with Cocktail
- Filtered in PHENIX acceptance

Light hadron contributions subtracted

Heavy Quark Cross Sections:

- Charm: integration after cocktail subtraction

$$\sigma_{cc} = 544 \pm 39^{\text{stat}} \pm 142^{\text{syst}} \pm 200^{\text{model}} \mu\text{b}$$

- Simultaneous fit of charm and bottom:

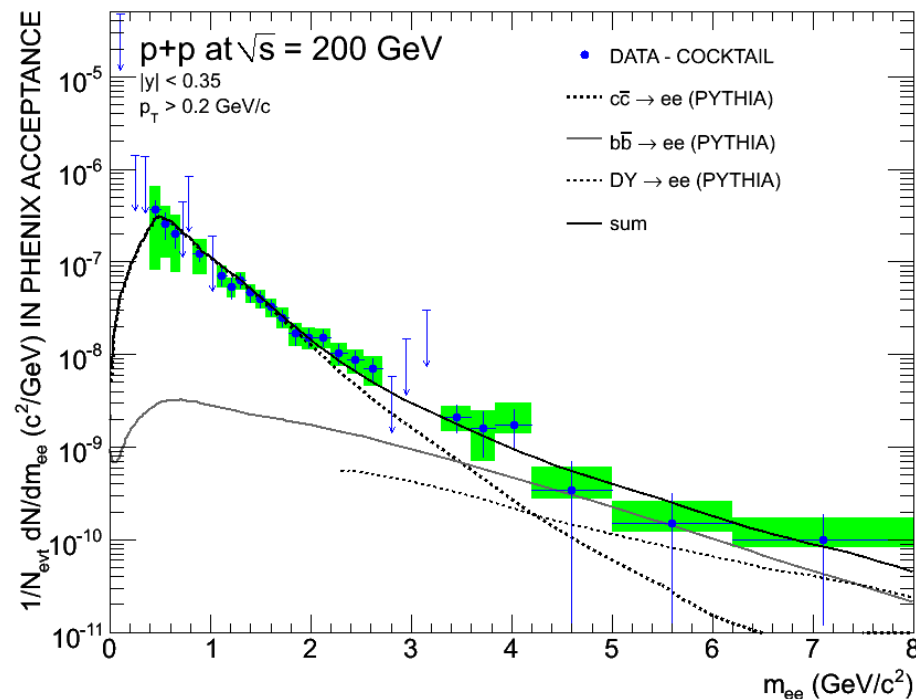
$$- \sigma_{cc} = 518 \pm 47^{\text{stat}} \pm 135^{\text{syst}} \pm 190^{\text{model}} \mu\text{b}$$

$$- \sigma_{bb} = 3.9 \pm 2.4^{\text{stat}} \pm 3/-2^{\text{syst}} \mu\text{b}$$

- Charm cross section from single electron measurement [PRL97, 252002 (2006)]:

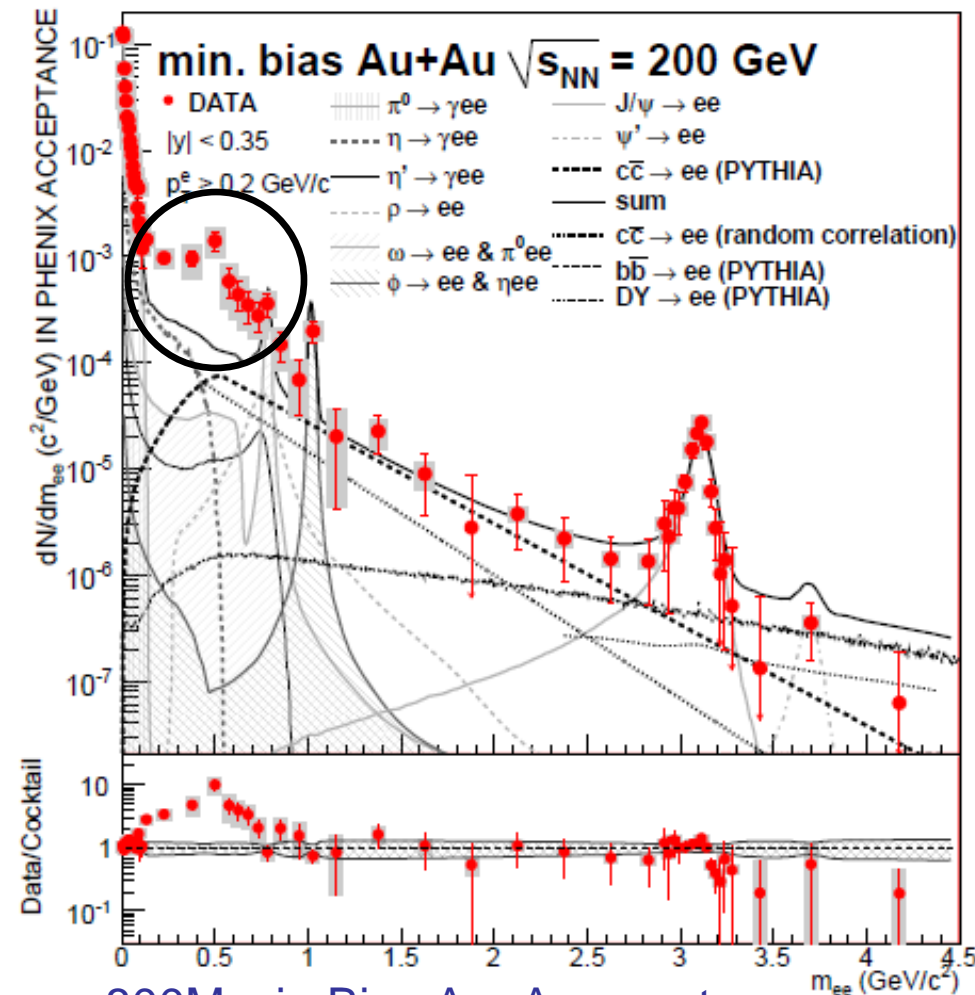
$$- \sigma_{cc} = 567 \pm 57 \pm 193 \mu\text{b}$$

PLB 670,313(2009)



# Cocktail Comparison Au+Au

arXiv:0912.0244



- 800M min.Bias Au+Au events
- Data absolutely normalized

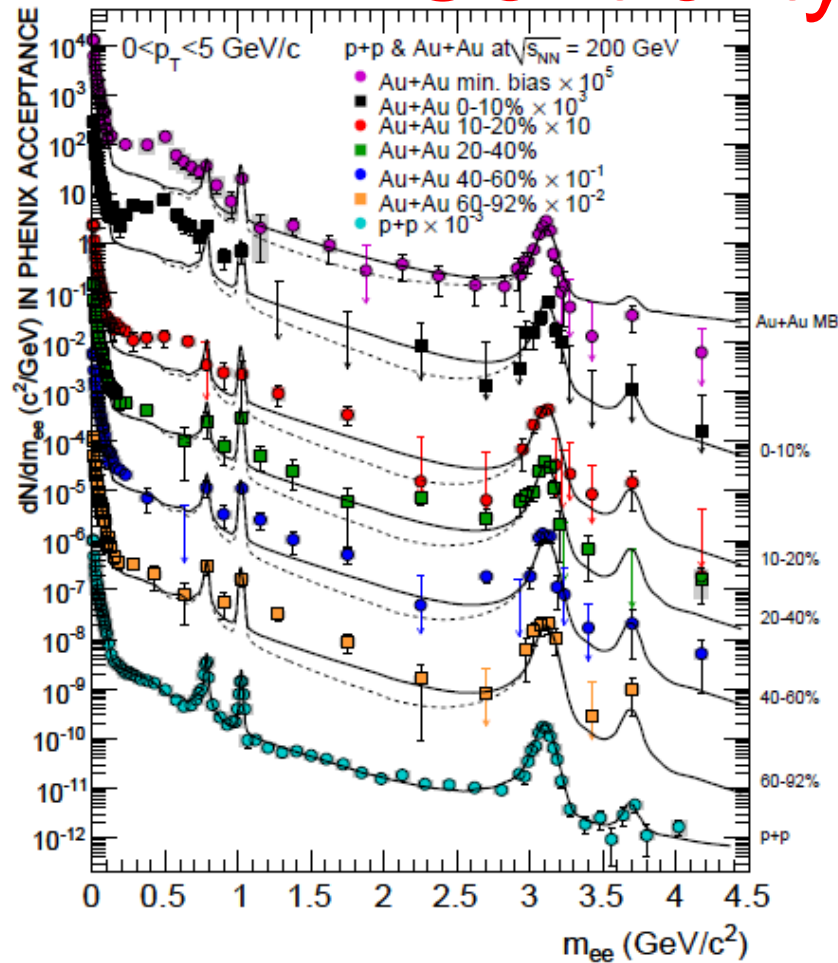
- Light hadrons cocktail
- Charm normalized  $N_{\text{coll}} \times \sigma_{\text{pp}}$
- Filtered in PHENIX acceptance

- Low Mass Region:  
large enhancement  $150 < m_{ee} < 750$  MeV  
 $4.7 \pm 0.4^{\text{stat}} \pm 1.5^{\text{syst}} \pm 0.9^{\text{model}}$

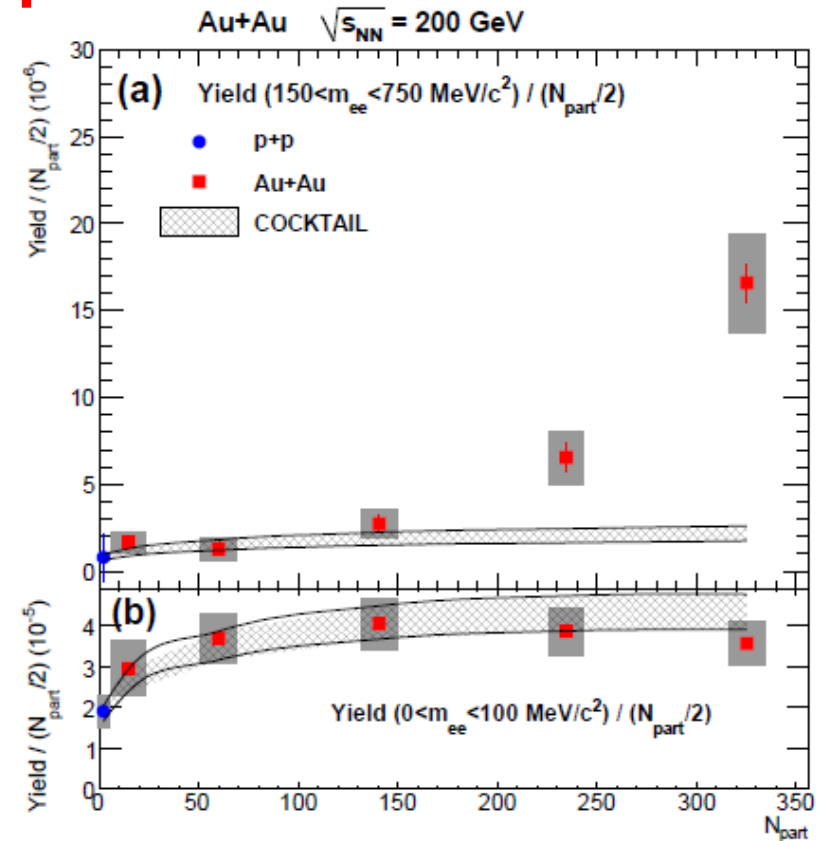
- Intermediate Mass Region:  
dominated by charm ( $N_{\text{coll}} \times \sigma_{\text{cc}}$ )
  - PYTHIA
  - Random cc correlation

- Single electron measurement
  - High  $p_T$  suppression
  - Flow
  - Expected modifications in the pair invariant mass
  - random cc correlation?
  - Room for **thermal** contribution?

# Centrality Dependence



Centrality	Enhancement ( $\pm \text{stat} \pm \text{syst} \pm \text{model}$ )
00-10%	$7.6 \pm 0.5 \pm 1.3 \pm 1.5$
10-20%	$3.2 \pm 0.4 \pm 0.7 \pm 0.6$
20-40%	$1.4 \pm 0.3 \pm 0.4 \pm 0.3$
40-60%	$0.8 \pm 0.3 \pm 0.4 \pm 0.2$
60-92%	$1.5 \pm 0.3 \pm 0.5 \pm 0.3$
Min.Bias	$4.7 \pm 0.4 \pm 1.5 \pm 0.9$



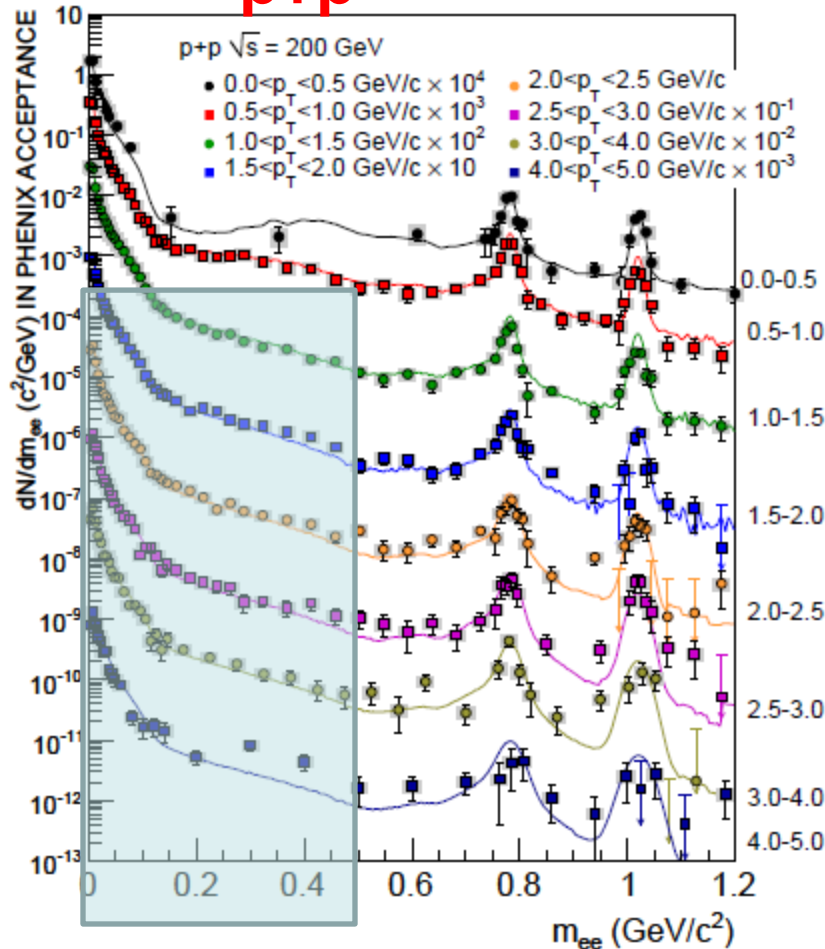
- $\pi^0$  region:  
consistent with cocktail
  - **Low Mass Region:**  
yield increases **faster than proportional to  $N_{\text{part}}$**
- enhancement from binary annihilation ( $\pi\pi$  or  $qq$ ) ?



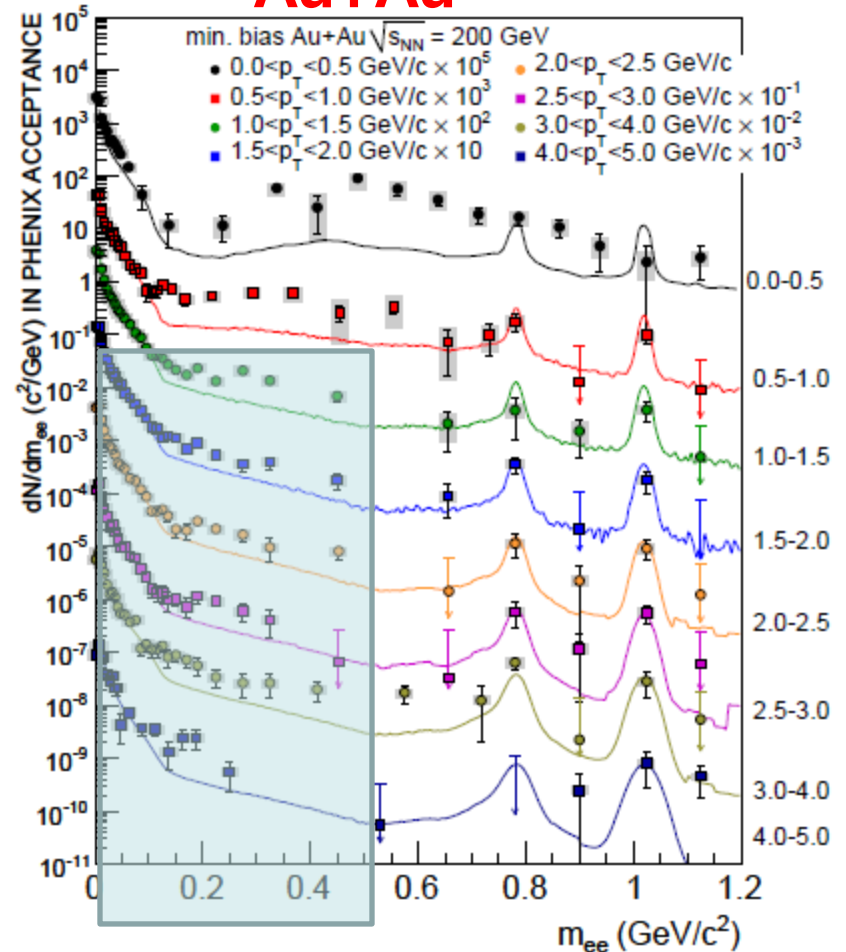
# Momentum Dependence

arXiv:0912.0244

p+p



Au+Au



- p+p in agreement with cocktail
- Au+Au low mass enhancement concentrated at low  $p_T$

# LMR I: Virtual Photons

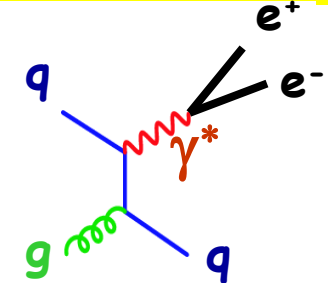
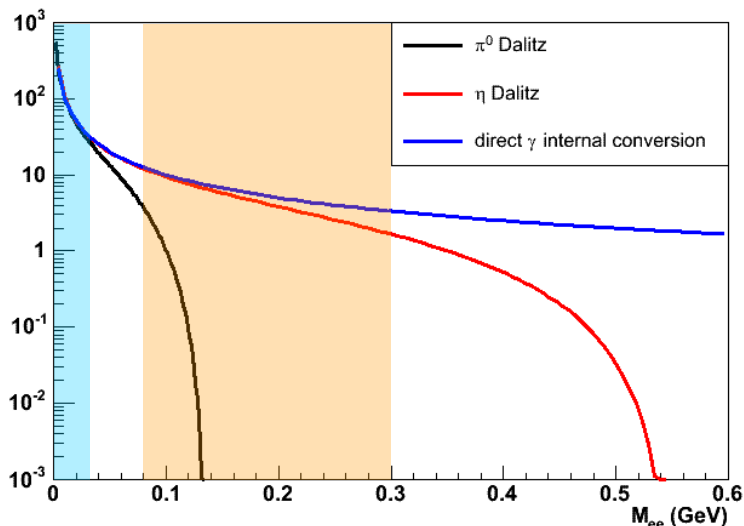
- Any source of real  $\gamma$  can emit  $\gamma^*$  with very low mass.
  - If the  $Q^2$  ( $=m^2$ ) of virtual photon is sufficiently small, the source strength should be the same
  - The ratio of real photon and quasi-real photon can be calculated by QED
- Real photon yield can be measured from virtual photon yield, which is observed as low mass  $e^+e^-$  pairs

$$\frac{\gamma_{direct}}{\gamma_{inclusive}} = \frac{\gamma_{direct}^*}{\gamma_{inclusive}^*}$$

## Kroll-Wada formula

$$\frac{d^2 N}{dM_{ee} dN_\gamma} = \frac{2\alpha}{3\pi} \sqrt{1 - \frac{4m_e^2}{M_{ee}^2}} \left( 1 + \frac{2m_e^2}{M_{ee}^2} \right) \frac{1}{M_{ee}} S$$

## S : Process dependent factor



- Case of Hadrons
  - $S = |F(M_{ee}^2)|^2 \left( 1 - \frac{M_{ee}^2}{M_{hadron}^2} \right)^3$
  - Obviously  $S = 0$  at  $M_{ee} > M_{hadron}$
- Case of  $\gamma^*$ 
  - If  $p_T^2 \gg M_{ee}^2$ 

$$S = 1$$
- Possible to separate hadron decay components from real signal in the proper mass window.

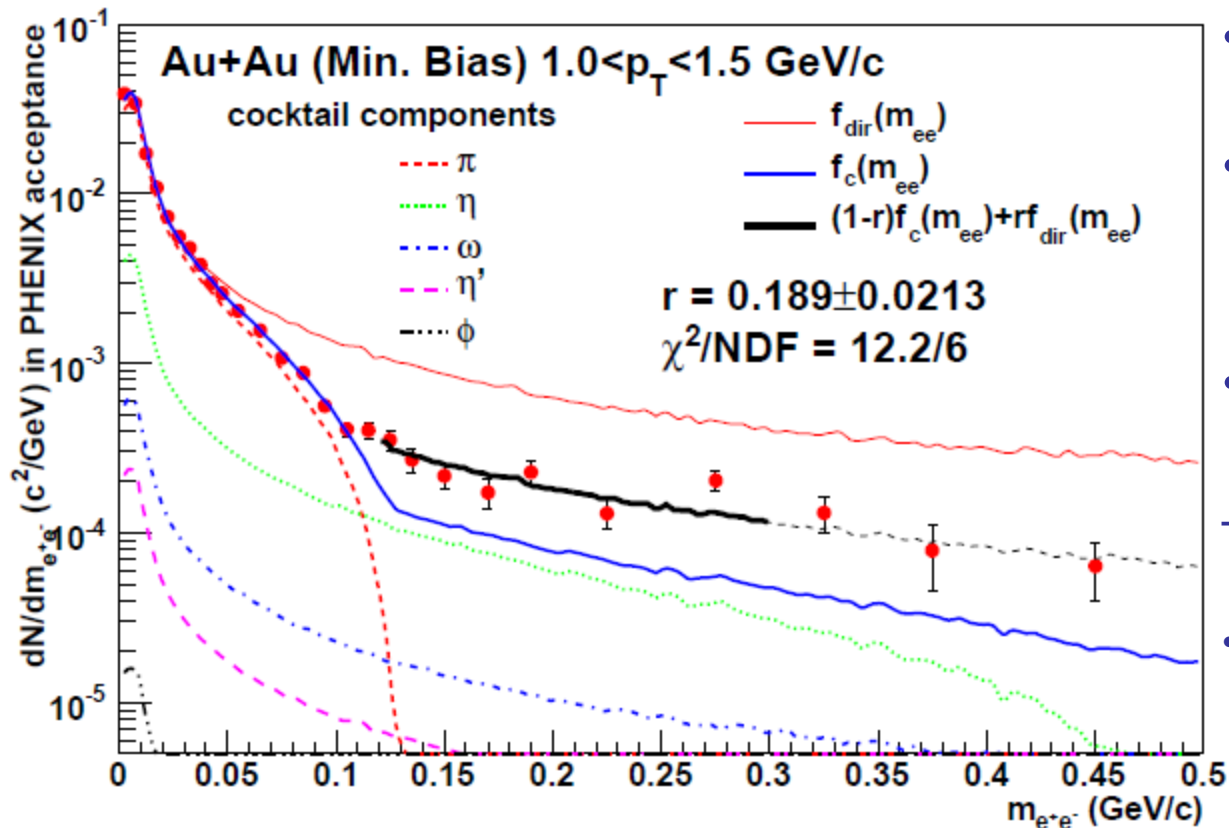
# Determination of $\gamma^*$ fraction, $r$

$r$  = direct  $\gamma^*$ /inclusive  $\gamma^*$

determined by fitting the following function for each  $p_T$  bin.

$$f_{data}(M_{ee}) = (1-r) \cdot f_{cocktail}(M_{ee}) + r \cdot f_{direct}(M_{ee})$$

- $f_{direct}$  is given by Kroll-Wada formula with  $S = 1$ .
- $f_{cocktail}$  is given by cocktail components
- Normalized to the data for  $m < 30 \text{ MeV}/c^2$
- Fit in  $120\text{-}300 \text{ MeV}/c^2$  (insensitive to  $\pi^0$  yield)
- Assuming direct  $\gamma^*$  mass shape
- $\chi^2/\text{NDF} = 12.2/6$



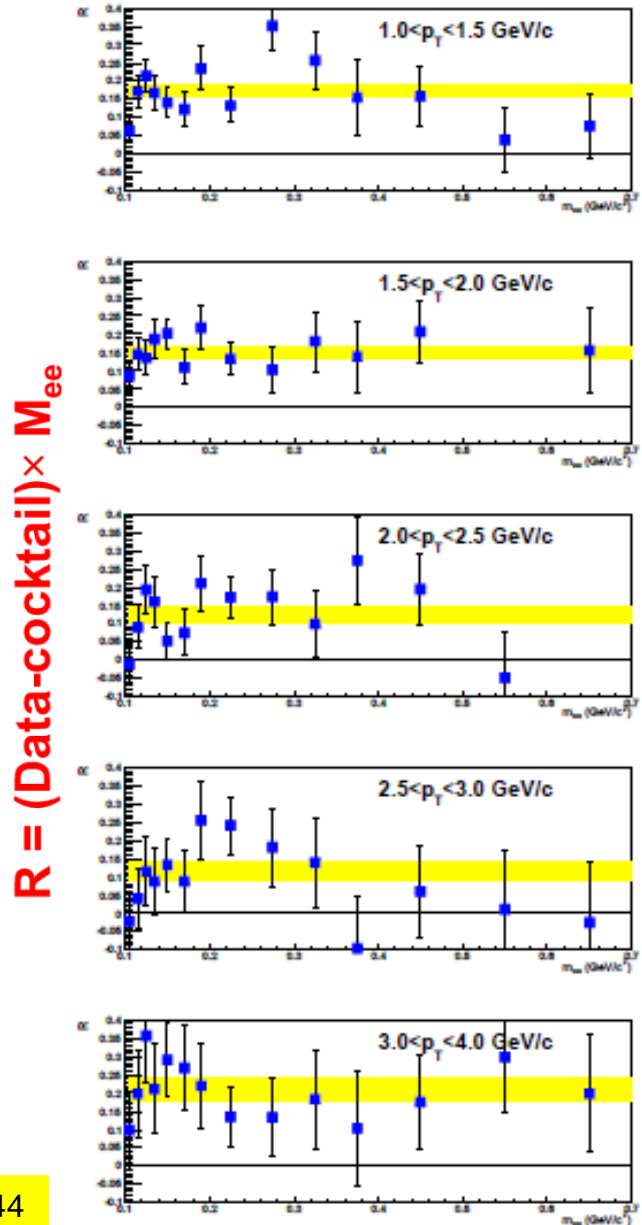
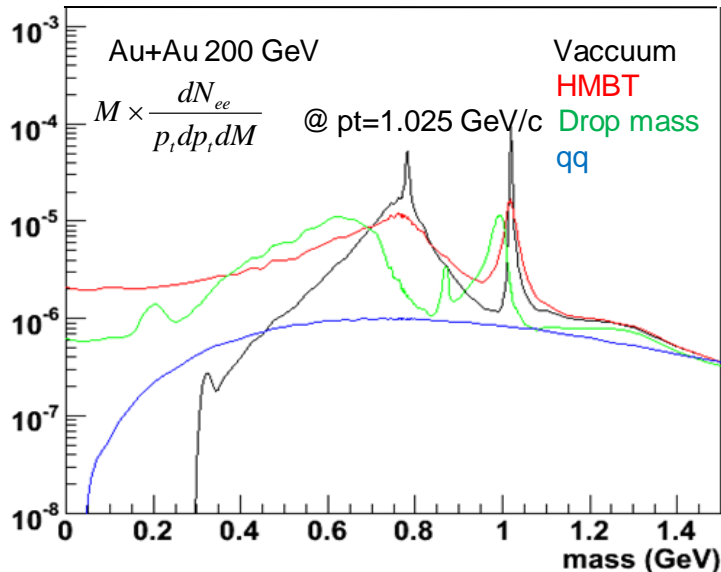
# Direct measurement of $S(m_{ee}, p_T)$

$$R(m, p_T) \simeq \frac{dN_{\gamma^*}^{\text{excess}}(m, p_T)/dp_T}{dN_{\gamma}^{\text{incl}}(p_T)/dp_T}$$

$$= S(m, p_T) dN_{\gamma}^{\text{direct}}(p_T)/dN_{\gamma}^{\text{incl}}(p_T)$$

No indication of strong modification of EM correlator at this high  $p_T$  region  
(presumably the virtual photon emission is dominated by hadronic scattering process like  $\pi+\rho \rightarrow \pi+\gamma^*$  or  $q+g \rightarrow q+\gamma^*$ )

Extrapolation to  $M=0$  should give the real photon emission rate

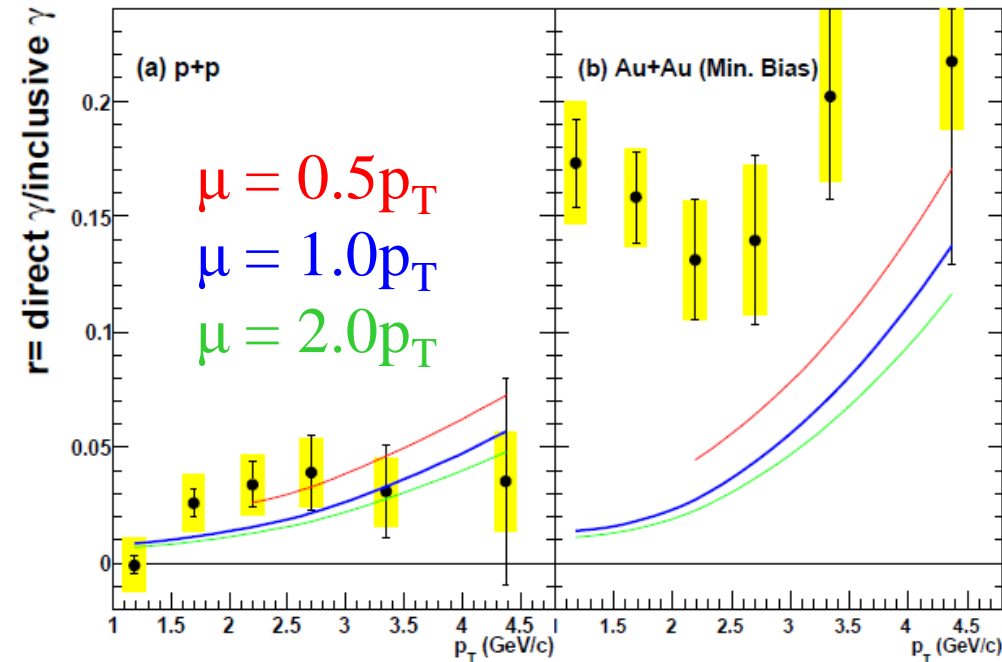


# Fraction of direct photons

arXiv:0804.4168  
arXiv:0912.0244

**p+p**

**Au+Au**



**Base line**

Curves : NLO pQCD  
calculations with different  
theoretical scales done by  
W. Vogelsang.

$$\left( d\sigma_{\gamma}^{NLO} / dp_T \right) / \left( d\sigma_{\gamma}^{NLO} / dp_T + d\sigma_{\gamma}^{hadron} / dp_T \right)$$

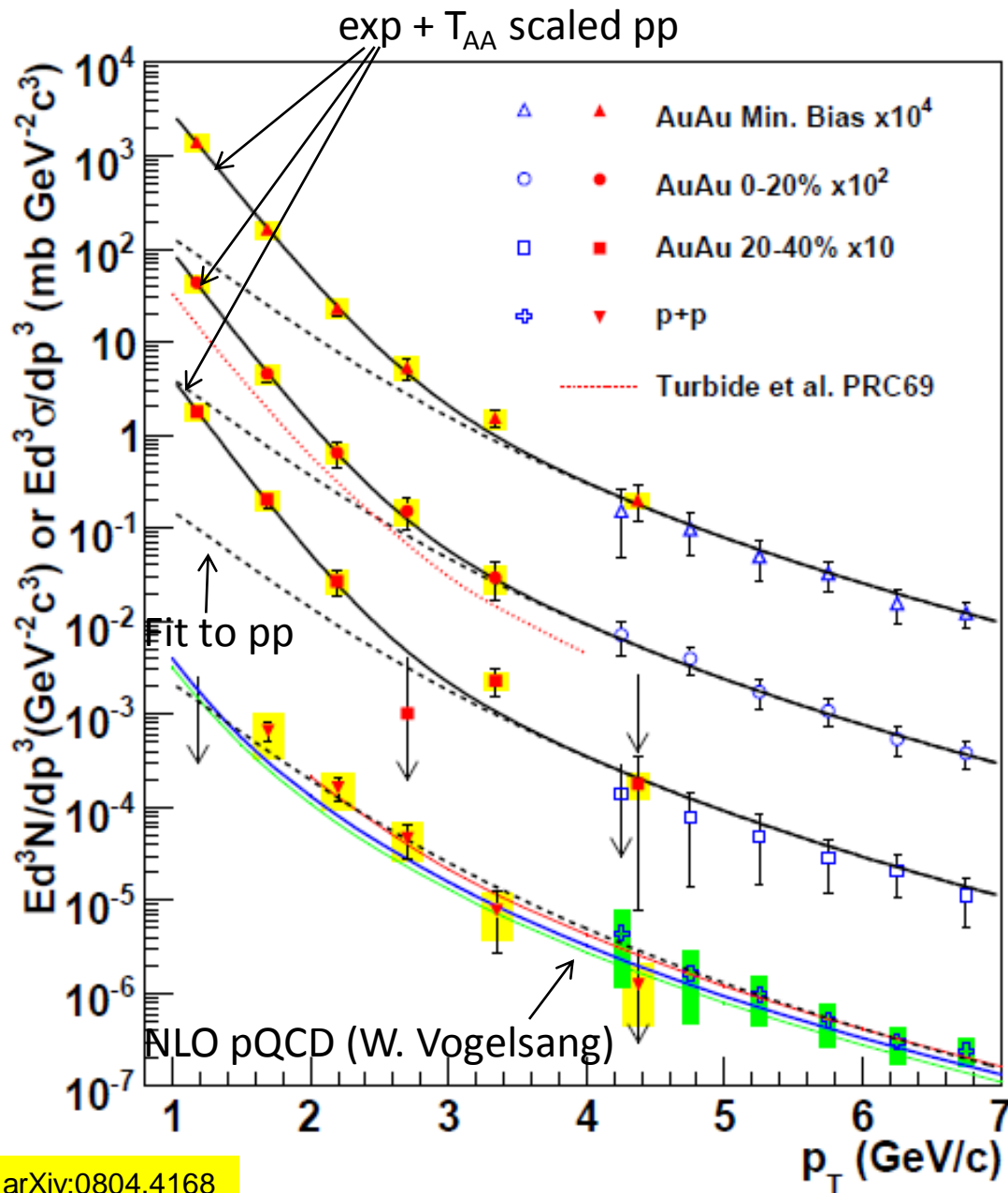
**p+p**

- Consistent with NLO pQCD
  - better agreement with small  $\mu$

**Au+Au**

- Clear enhancement above NLO pQCD

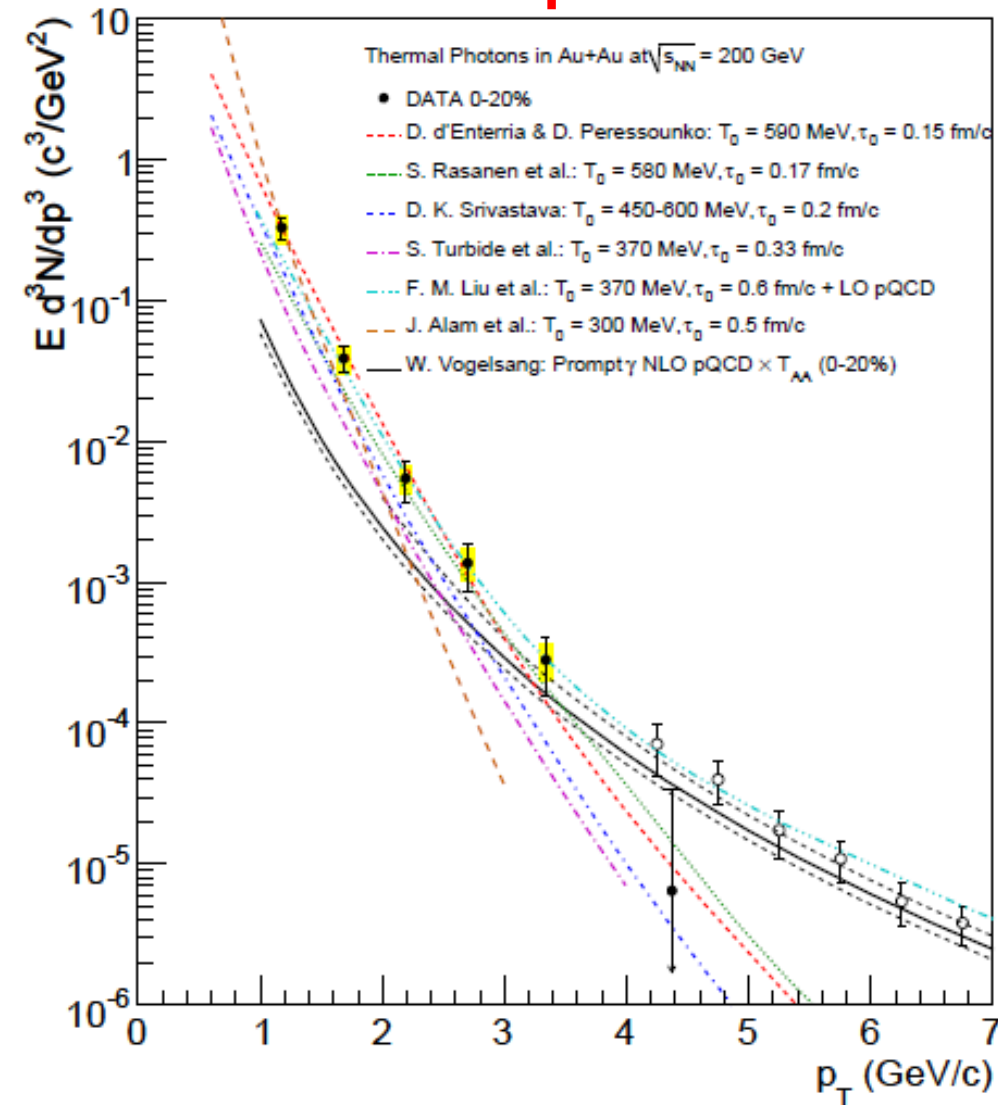
# Direct Photon Spectra



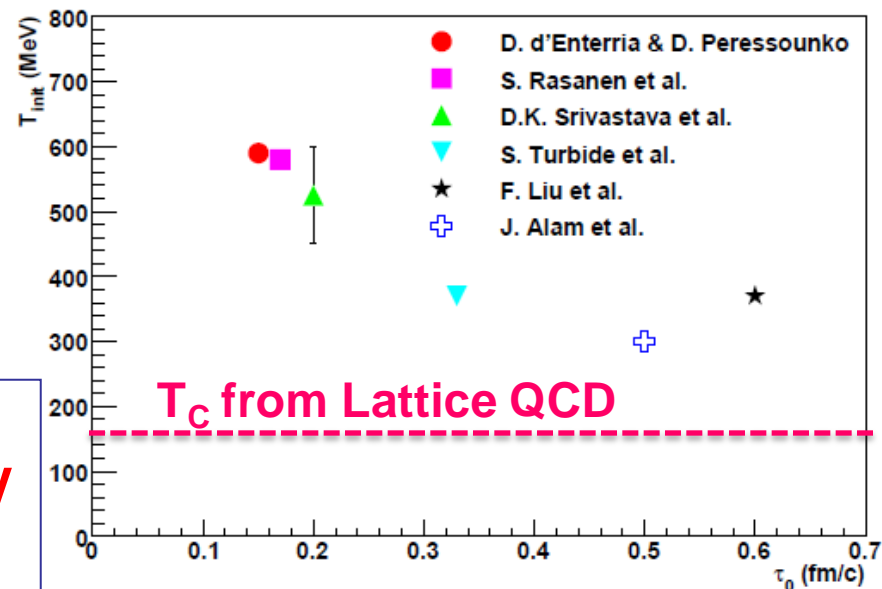
- Direct photon
  - real ( $p_T > 4 \text{ GeV}$ )
  - virtual ( $1 < p_T < 4 \text{ GeV}$  &  $m_{ee} < 300 \text{ MeV}$ )
- pQCD consistent with p+p down to  $p_T = 1 \text{ GeV}/c$
- Au+Au above  $N_{\text{coll}} \times p+p$  for  $p_T < 2.5 \text{ GeV}/c$
- Au+Au = pQCD + exp:  
 $T_{\text{ave}} = 221 \pm 19^{\text{stat}} \pm 19^{\text{syst}} \text{ MeV}$



# Comparison to Hydro models

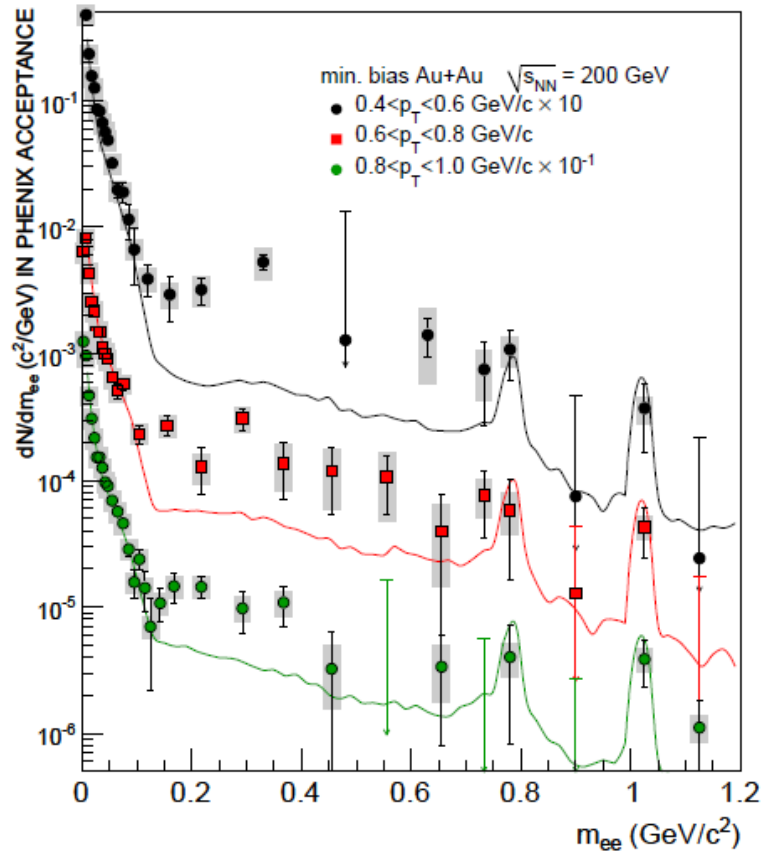


- From data: Au+Au = pQCD + exp:  
 $T_{ave} = 221 \pm 19^{stat} \pm 19^{syst}$
- Comparison to hydrodynamical models:
  - $p_T < 3$  GeV/c thermal contribution dominates over pQCD.
  - Assume formation of a hot QGP with  
 $300 \text{ MeV} < T_{init} < 600 \text{ MeV}$   
 $0.6 \text{ fm/c} < \tau_0 < 0.15 \text{ fm/c}$
  - Models reproduce the data within a factor of two.



From data:  $T_{ini} > 220 \text{ MeV} > T_c$   
 From models:  $T_{ini} = 300 \text{ to } 600 \text{ MeV}$   
 $\tau_0 = 0.15 \text{ to } 0.5 \text{ fm/c}$

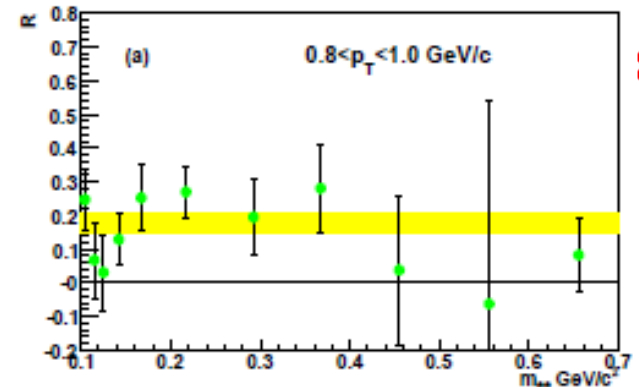
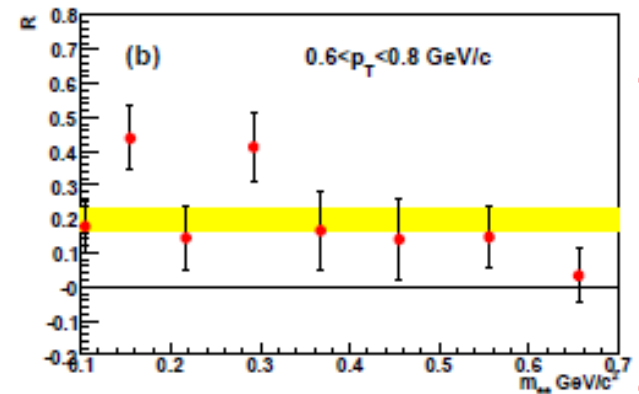
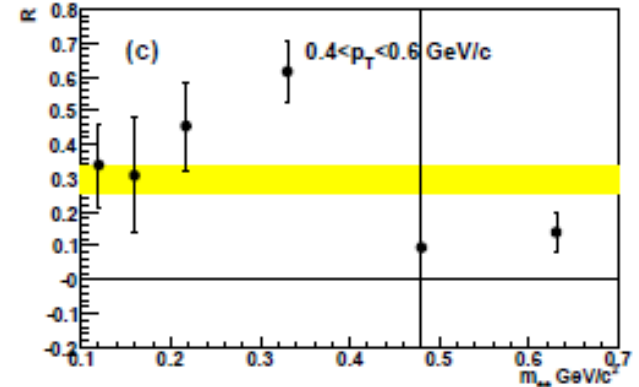
# LMR II



Large and  
broad  
enhancement  
 $\rightarrow S(m_{ee})$  no  
longer const

Towards lower  $p_T$

- Consistent with flat  
 $\rightarrow S(m_{ee})$  const
- $\langle R \rangle = 0.177 \pm 0.032$
- Consistent with  
higher  $p_T$  values



$R = (\text{Data-cocktail}) \times M_{ee}$

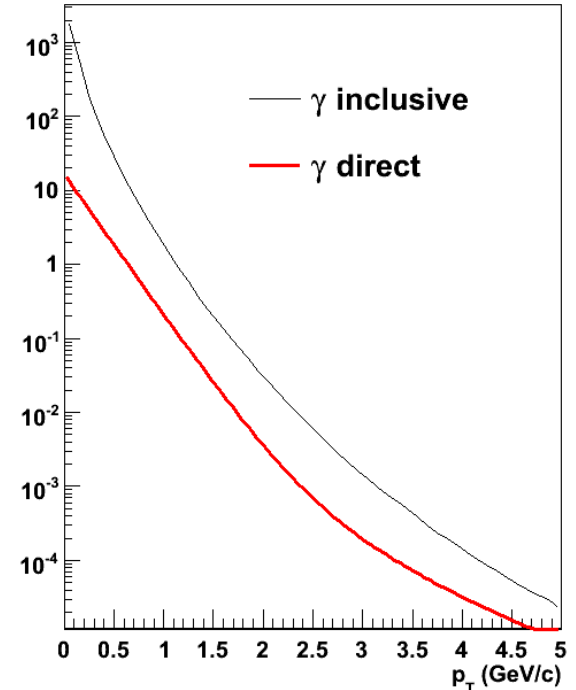
# Extrapolate the spectrum of direct photons

- For  $0.8 < p_T < 1.0$  GeV/c  
 $\langle R \rangle = 0.177 \pm 0.032$   
consistent with higher  $p_T$
- Decay photons spectrum  
steeper than direct  $\gamma$  spectrum

→ At lower  $p_T$ ,  
the expected direct photon fraction  
 $r = \text{direct } \gamma / \text{inclusive } \gamma = \text{direct } \gamma / (\text{direct} + \text{decay}) \gamma \leq 0.17$

- For  $0.4 < p_T < 0.6$  GeV/c  
 $R(m) > 0.17$

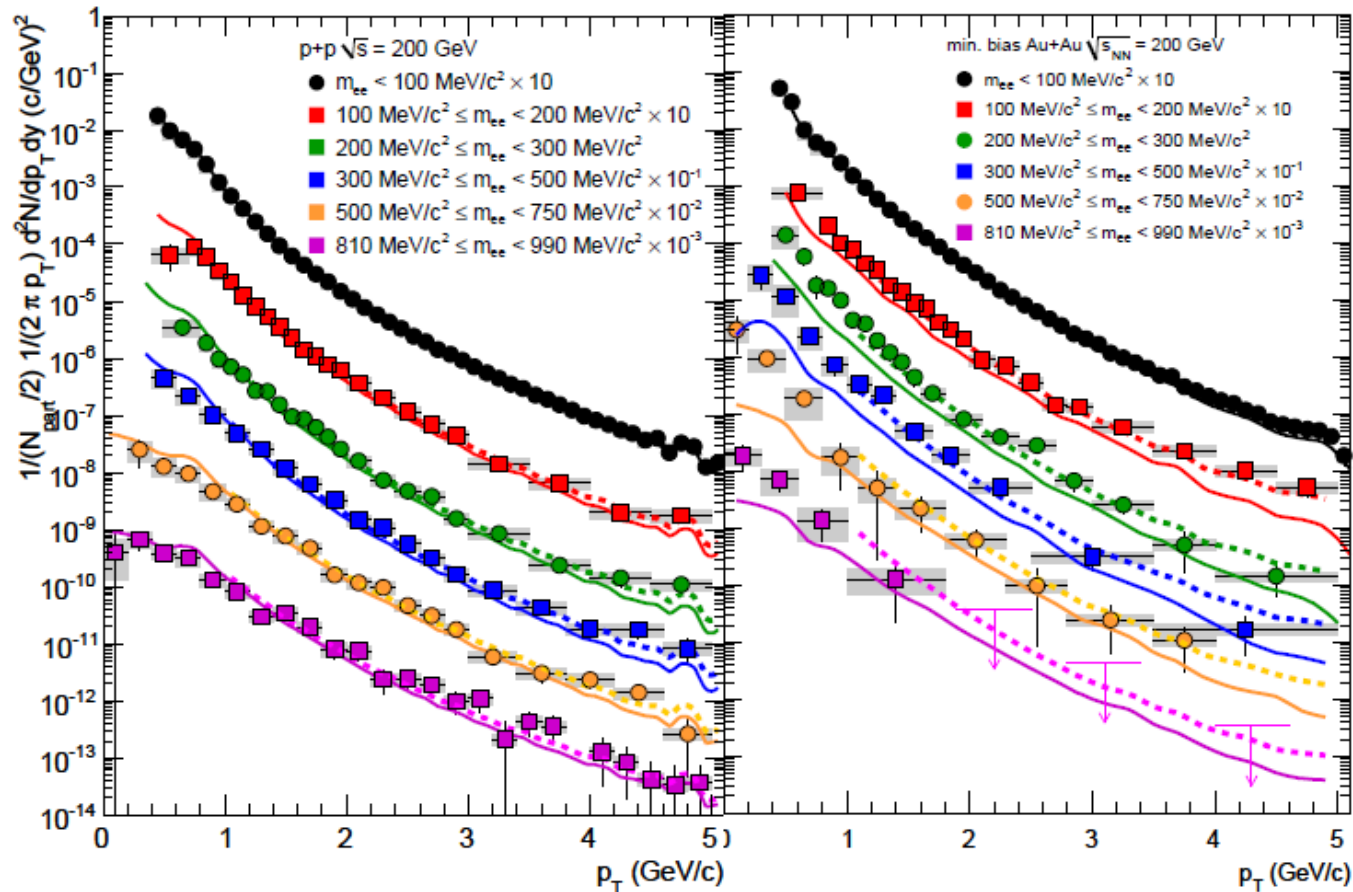
→ The enhancement in the low  $p_T$  region is larger than that expected from internal conversion of direct photons.



# Dilepton Spectra

p+p

Au+Au



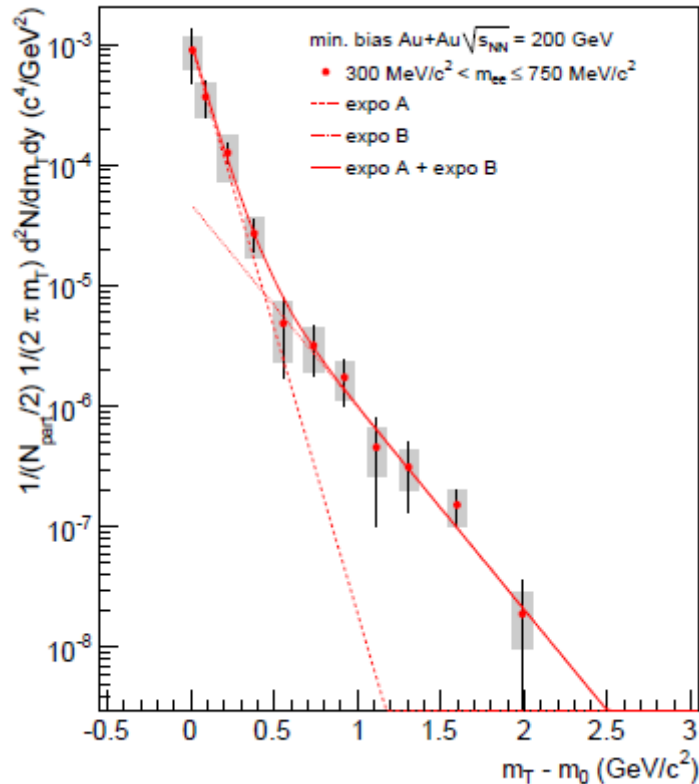
Acceptance-corrected

- p+p
  - Agreement with cocktail + internal conversion of direct photons
- Au+Au
  - $p_T > 1 \text{ GeV}/c$ : small excess  $\rightarrow$  internal conversion of direct photons
  - $p_T < 1 \text{ GeV}/c$ : large excess for  $0.3 < m_{ee} < 1 \text{ GeV}$
  - $\rightarrow$  Low temperature component with strong modification of EM correlator?

# Average Temperature of the sources

arXiv:0912.0244

- $m_T - m_0$  spectrum of Excess = Data – (cocktail+charm)
- Fit:  $\frac{d^2 N}{2\pi m_T dm_T dy} = A_1 \cdot \exp\left(-\frac{m_T}{T_1}\right) + A_2 \cdot \exp\left(-\frac{m_T}{T_2}\right)$  or  $\frac{d^2 N}{2\pi m_T dm_T dy} = A_1 \cdot \exp\left(-\frac{m_T}{T_1}\right) + \text{Direct } \gamma$

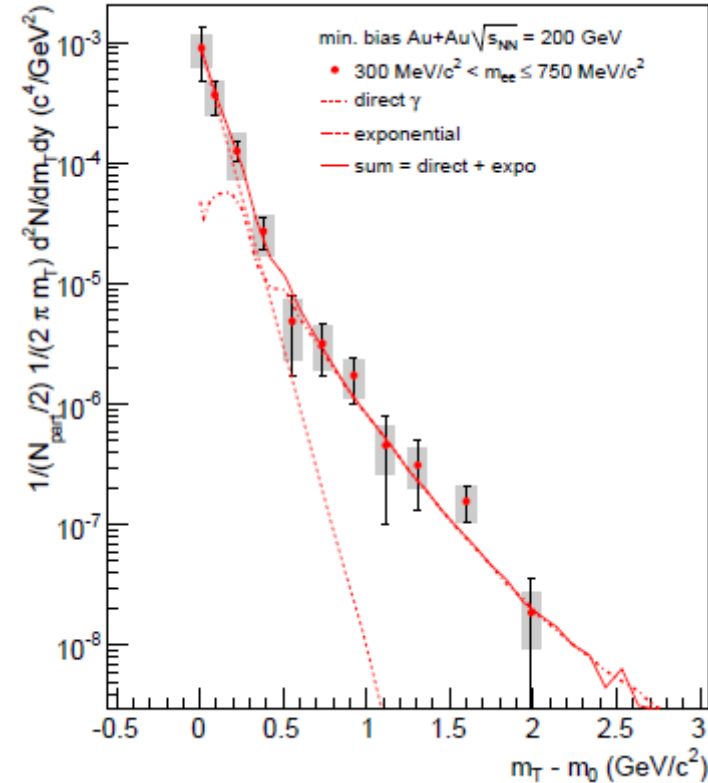


$$T_1 = 92.0 \pm 11.4^{\text{stat}} \pm 8.4^{\text{syst}} \text{ MeV}$$

$$T_2 = 258.4 \pm 37.3^{\text{stat}} \pm 9.6^{\text{syst}} \text{ MeV}$$

$$\chi^2/\text{NDF} = 4.00/9$$

$T_2$  consistent with  $T_\gamma$



$$T_1 = 86.5 \pm 12.7^{\text{stat}} + 11.0_{-28.4}^{\text{syst}} \text{ MeV}$$

$$T_\gamma = 221 \pm 19^{\text{stat}} \pm 19^{\text{syst}} \text{ MeV}$$

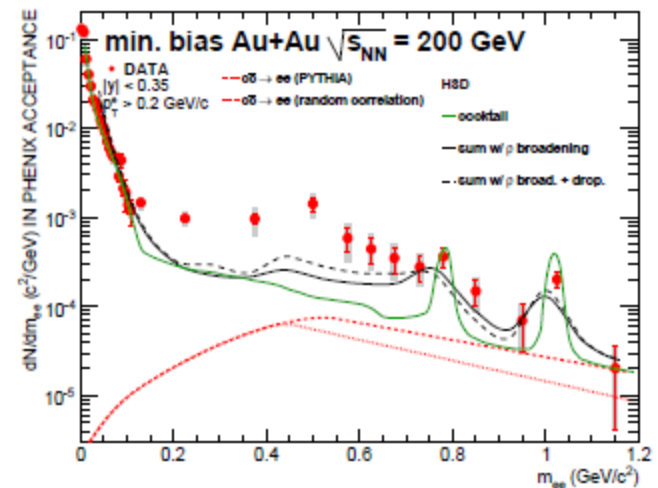
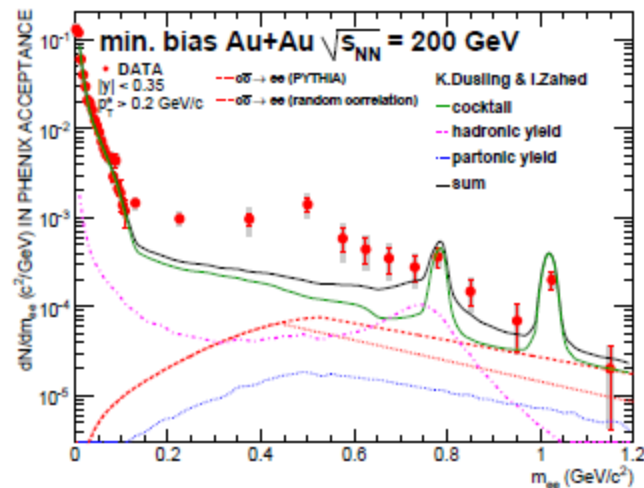
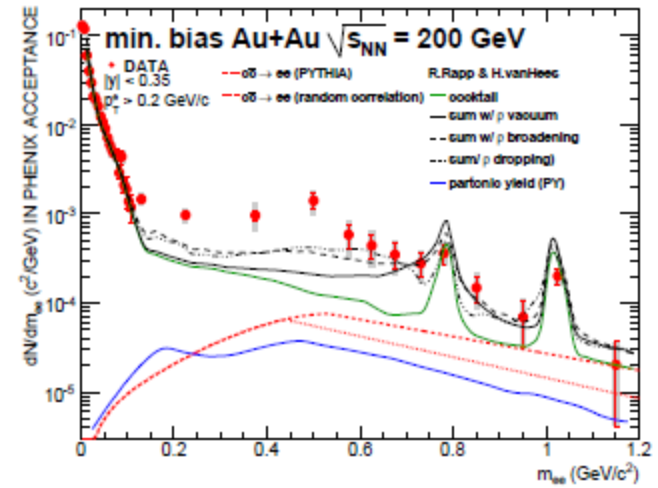
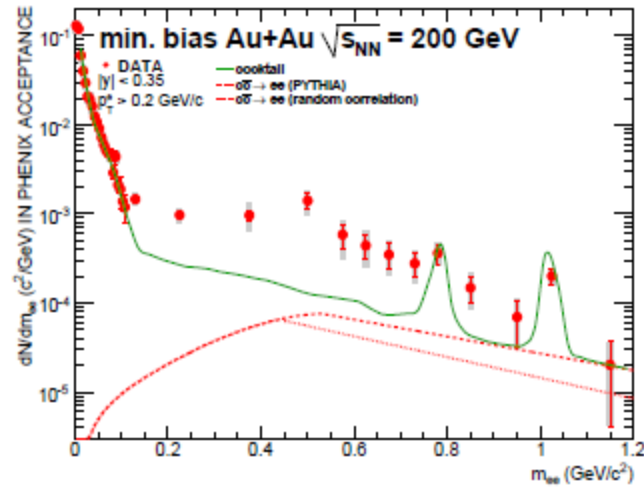
$$\chi^2/\text{NDF} = 16.6/11$$

low mass enhancement has inverse slope of  $\sim 100$  MeV.

# Theory comparison

arXiv:0912.0244

- $\pi\pi$  annihilation + modified  $\rho$  spectral function
  - Broadening
  - Mass shifting
  - Both
- Insufficient to explain data



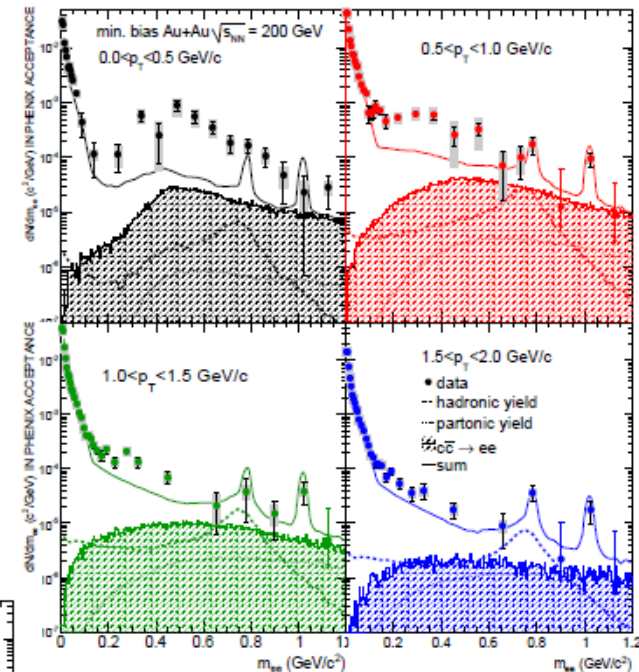


# Theory comparison II

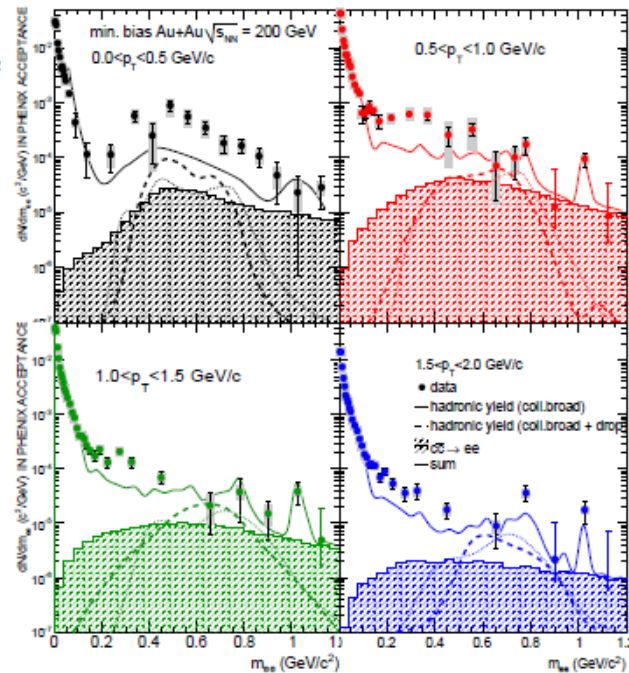
**High  $p_T$  region:**  
 here we isolated a contribution arising from

- $\pi + \rho \rightarrow \pi + \gamma^*$  (typically included)
- or
- $q + g \rightarrow q + \gamma^*$  (not included so far)

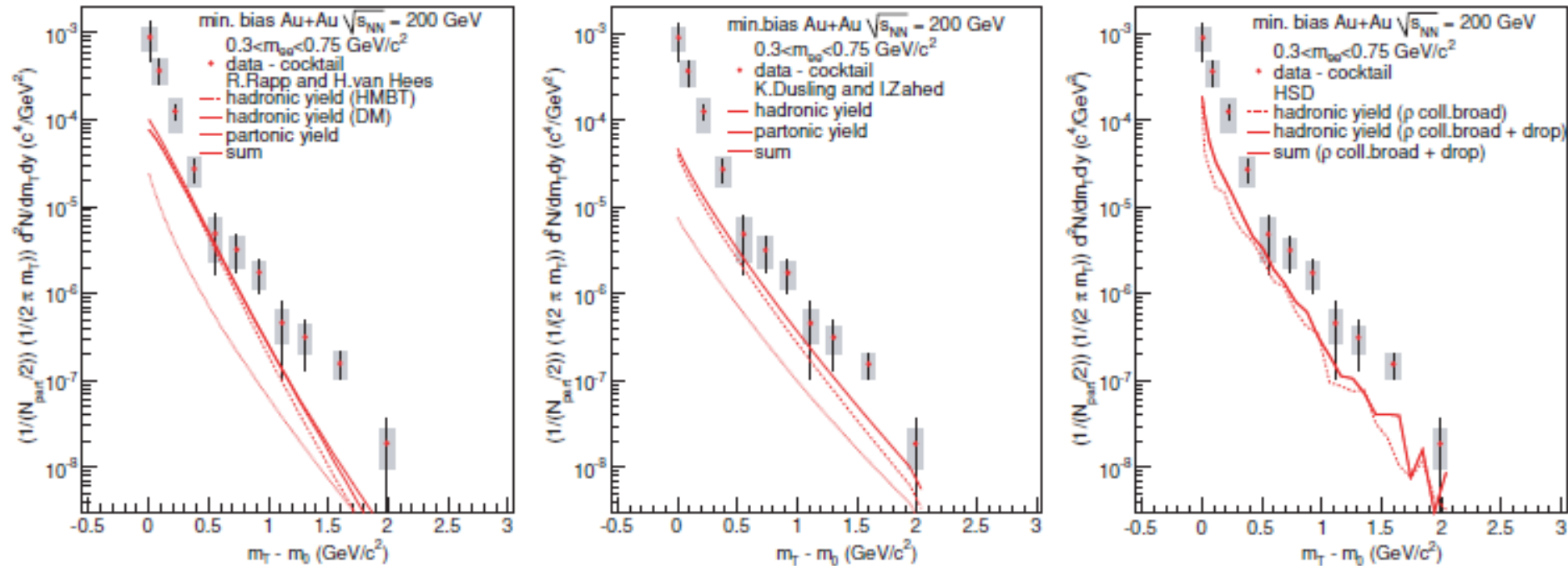
Even when looking differentially in various  $p_T$  bins the theoretical calculations are insufficient to explain the data



**Low  $p_T$  region:**  
 where the enhancement becomes large and its shape seems incompatible with unmodified  $q + g \rightarrow q + \gamma^*$



# Theory comparison III



- The theoretical calculations are insufficient to explain the data
- High  $p_T$ : they are too soft (except for HSD which does not include partonic contribution)
- Low  $p_T$ : they are too hard to explain the enhancement ( $T \sim 100$  MeV)

what is missing ?

# Summary

- EM probes ideal “penetrating probes” of dense partonic matter created at RHIC
- Double differential measurement of dilepton emission rates can provide
  - Temperature of the matter
  - Medium modification of EM spectral function
- PHENIX measured dilepton continuum in p+p and Au+Au

p+p

## *Low Mass Region*

- Excellent agreement with cocktail
- LMR I  
deduce photon emission in agreement with pQCD
- LMR II  
Excellent agreement with cocktail

## *Intermediate Mass Region*

- Extract charm and bottom cross section

Au+Au

## *Low Mass Region*

- Enhancement above the cocktail  
 $4.7 \pm 0.4^{\text{stat}} \pm 1.5^{\text{syst}} \pm 0.9^{\text{model}}$
- LMR I  
deduce photon emission exponential above pQCD,  $T > 200$  MeV
- LMR II
  - Centrality dependency: increase faster than  $N_{\text{part}}$
  - $p_T$  dependency: enhancement concentrated at low  $p_T$ ,  $T \sim 100$  MeV

## *Intermediate Mass Region*

- Agreement with PYTHIA: coincidence?

# The new frontier ...

*"It's still the last frontier you might say. We're still out here dancing on the edge of the world."* (Lawrence Ferlinghetti)

Central collisions	SPS	RHIC	LHC
$\sqrt{s}$ (GeV)	17	200	5500
$dN_{ch}/dy$	430	700	$1-3 \times 10^3$
$\varepsilon$ (GeV/fm <sup>3</sup> )	3	5-10	15- 60
$V_f$ (fm <sup>3</sup> )	$10^3$	$7 \times 10^3$	$2 \times 10^4$
$T / T_c$	$> 1$	2	3-4

## • LHC

- hotter, larger, longer-lived QGP  $\rightarrow$  wQGP?
- Hard Probes
  - Hard parton quenching  $\rightarrow \varepsilon$
  - Quarkonia and photons  $\rightarrow T$
  - jet fragmentation function  $\rightarrow \gamma / Z^0 + \text{jet}$
- Probe unexplored small-x region with heavy quarks at low  $p_T$  and/or forward  $y$
- $dN_{ch}/d\eta$  (p+p @ LHC)  $\sim dN_{ch}/d\eta$  (Cu+Cu @ RHIC)  
 $\rightarrow$  pp-QGP?

## • RHIC upgrades (STAR/PHENIX)

Quantitative analysis of **sQGP**  
 New regions in the phase-space

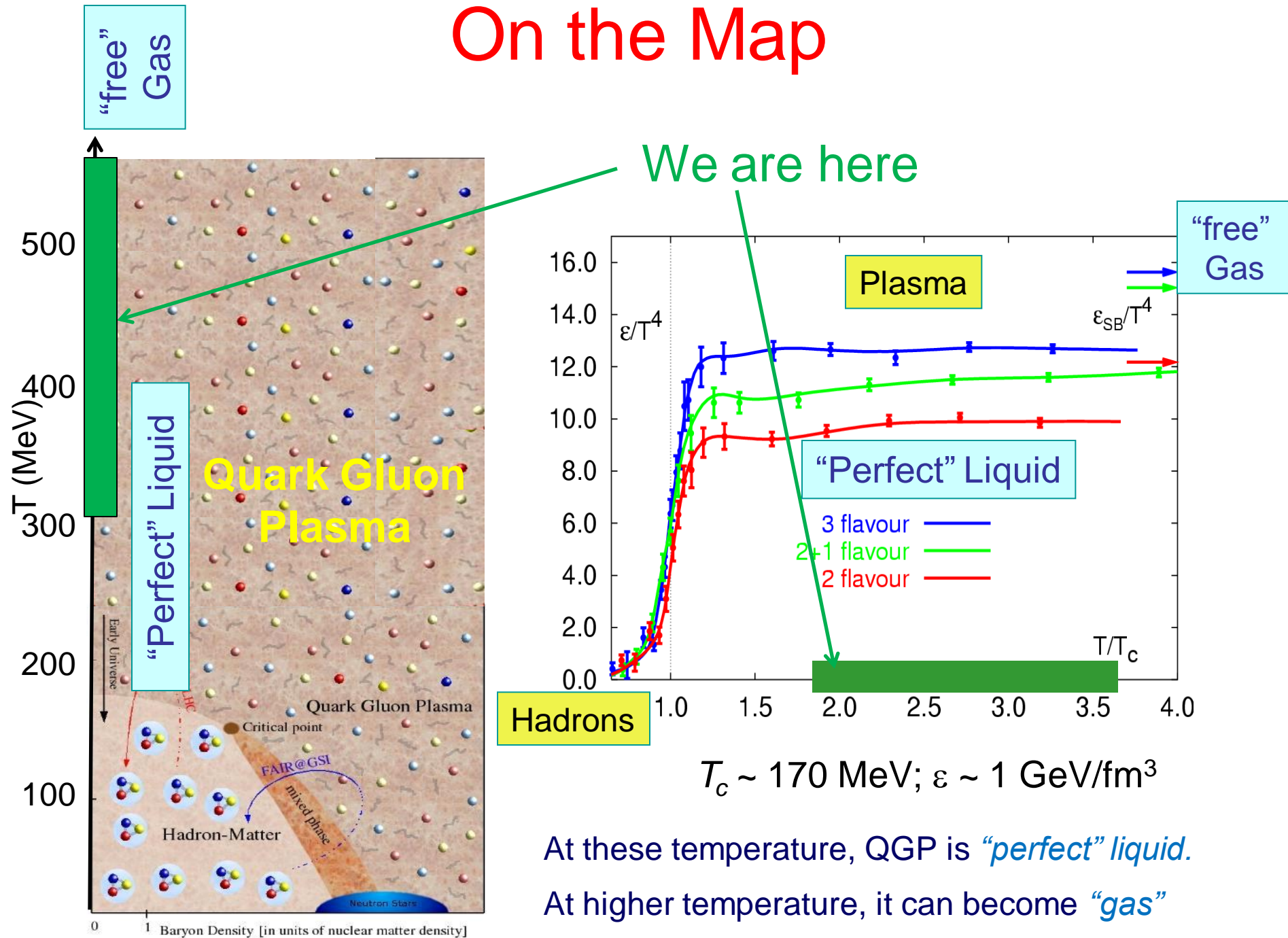
## • e-RHIC: electron – ion collider

- Momentum distribution of **gluons  $G(x, Q^2)$**
- Space-time distributions of gluons in matter
- Interaction of fast probes with gluonic medium?
- Role of color neutral excitations

## • FAIR

Search for the **critical point**

# On the Map



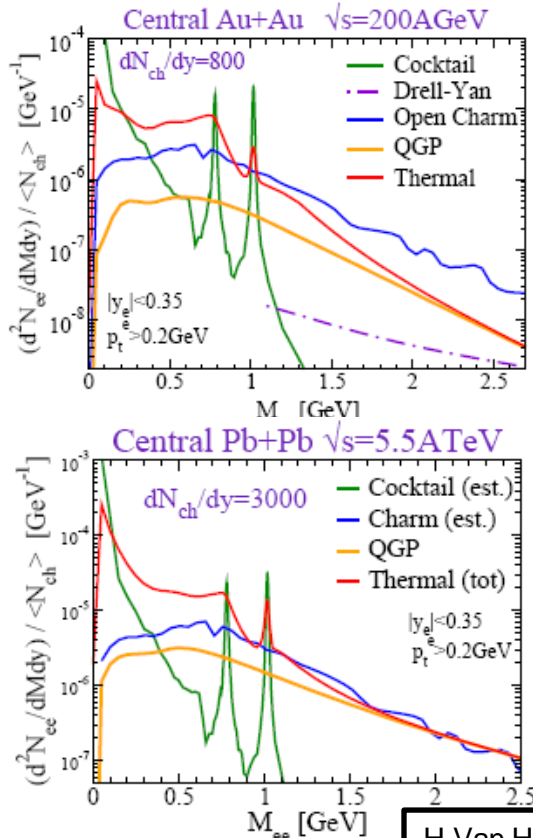
At these temperature, QGP is *“perfect” liquid*.

At higher temperature, it can become *“gas”*



# EM Probes at LHC

## DILEPTONS



- At higher  $dN/dy$  thermal radiation from hadron gas dominant for  $m < 1\text{ GeV}$
  - For  $m > 1\text{ GeV}$  relatively stronger QGP radiation:
- comparable to DD but energy loss???

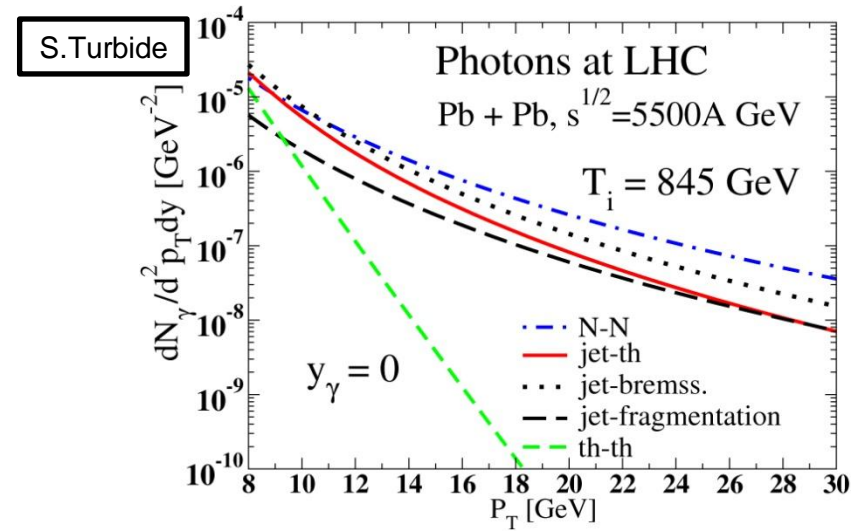
## PHOTONS

### Low $p_T$

- Thermal/bulk photons (QGP + hadronic phase)
- Photons from jet-medium interactions
  - Jet-photon conversion, Induced photon bremsstrahlung
  - Cross sections forward/backward peaked
  - Yields approximately proportional to the jet distributions  $\rightarrow$  Sensitivity to *early* time jet distributions
  - Longer path leads to increased production  $\rightarrow$  Negative  $v_2$

### High $p_T$

- Prompt photons from initial hard processes
  - No final state effects at all.
- Fragmentation/vacuum bremsstrahlung
  - Sensitivity to medium effects in the final state



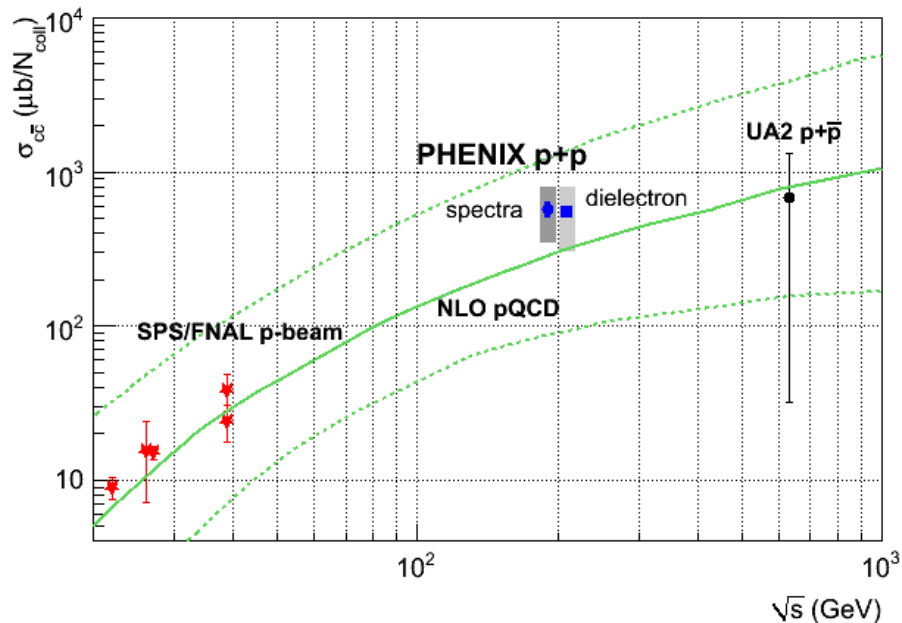
The End



# Charm and bottom cross sections

## CHARM

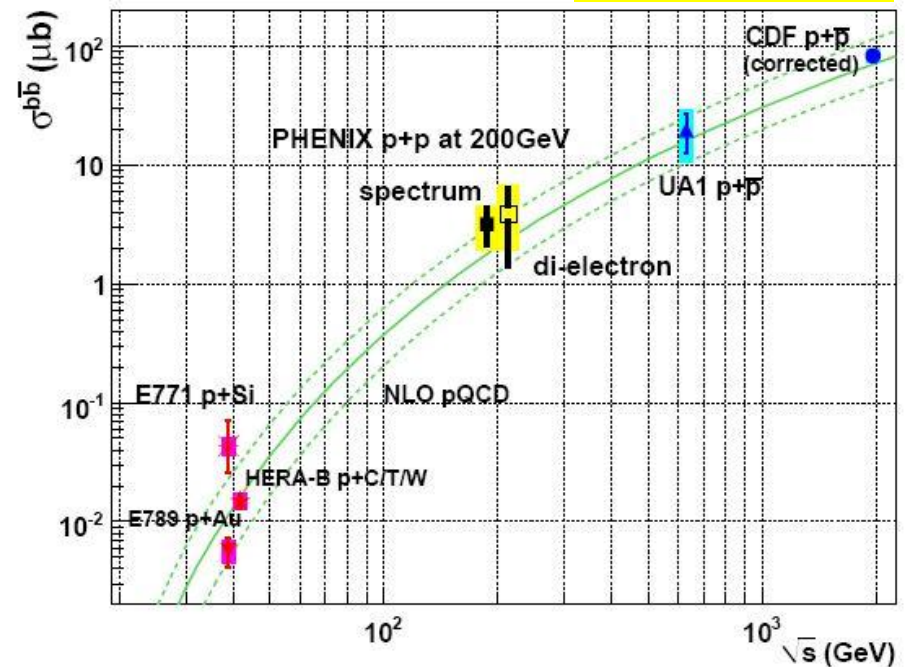
Dilepton measurement in agreement with single electron, single muon, and with FONLL (upper end)



## BOTTOM

Dilepton measurement in agreement with measurement from e-h correlation and with FONLL (upper end)

PLB670,313(2009)  
PRL103,082002



First measurements of bottom cross section at RHIC energies!

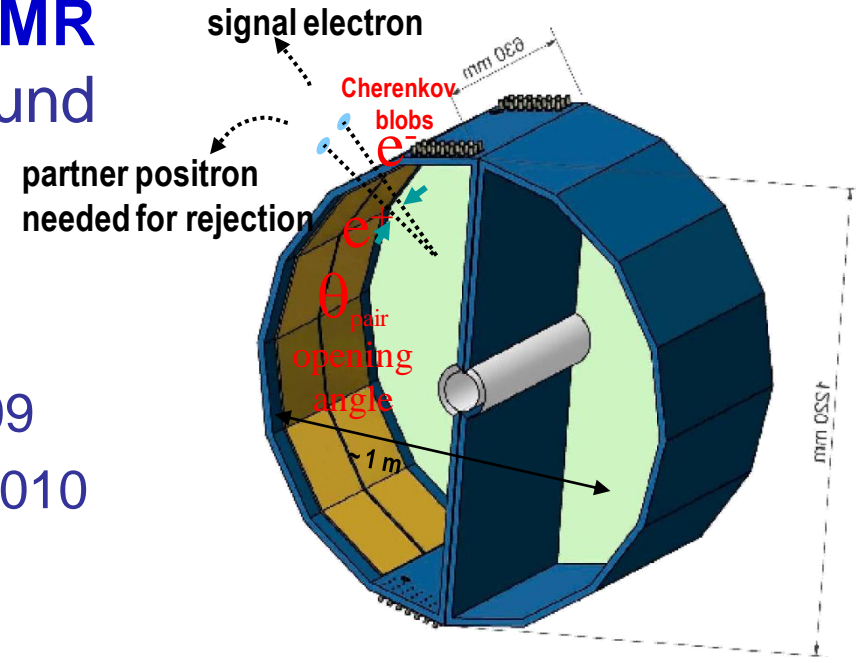
# Future EM Measurements at RHIC

- **Improve measurement in the LMR**

- reduce combinatorial background

- **Hadron Blind Detector**

- HBD is fully operational
- Proof of principle in 2007
- Successful data taking with p+p 2009
- Ready for large Au+Au data set in 2010 (which is starting right now)



- **Improve measurement in the IMR**

- disentangle charm and thermal contribution

- **Silicon Vertex Detector**

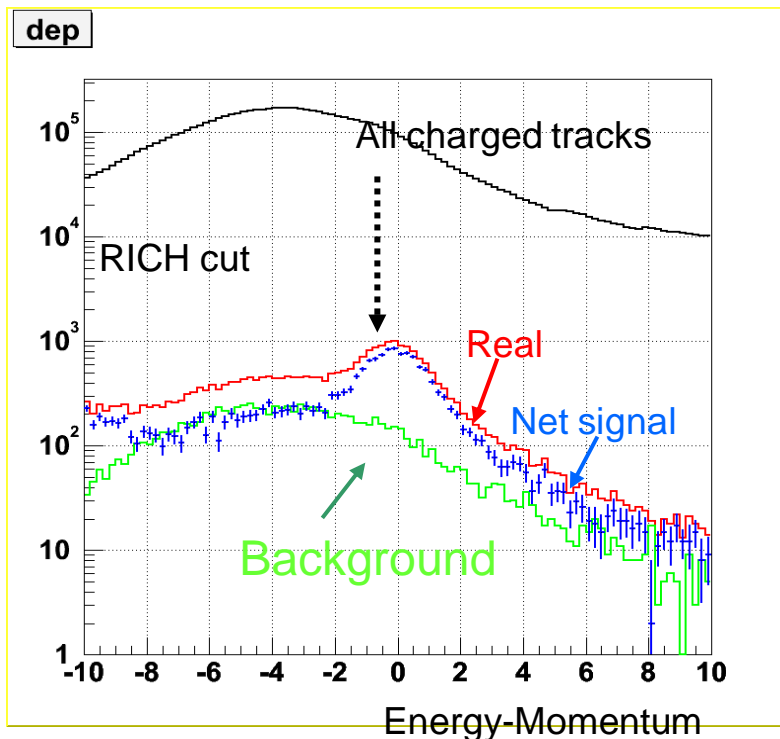
- Coming soon...

# The Analysis

# Electron Identification

- emission and measurement of Cherenkov light in the Ring Imaging Cherenkov detector  
→ measure of min. velocity
- production and of EM shower in the Electro- Magnetic Calorimeters (PbSc, PbGl)  
→ measure of energy  $E$

- electron:  $E \approx p$
- hadron:  $E < p$
- after RICH cuts, clear electron signal
- cut on  $E/p$  cleans electron sample!
- background
  - photon conversions
  - random associations (next slide)
- main background source: random combination of hadron track/shower with uncorrelated RICH ring
- “standard” subtraction technique: flip-and-slide of RICH
- swapped background agrees in shape with  $E/p$  distribution of identified hadrons
- background increases with detector occupancy (can reach ~30 % in central Au+Au collisions)

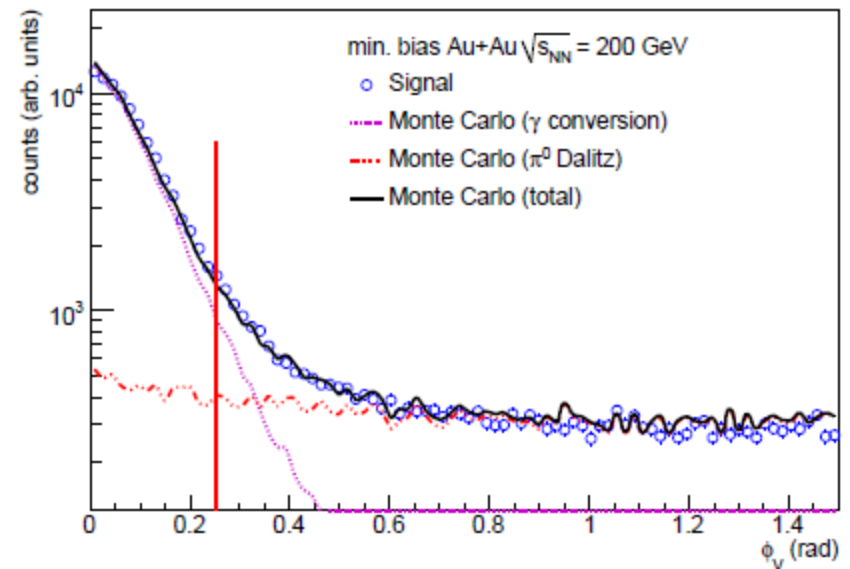
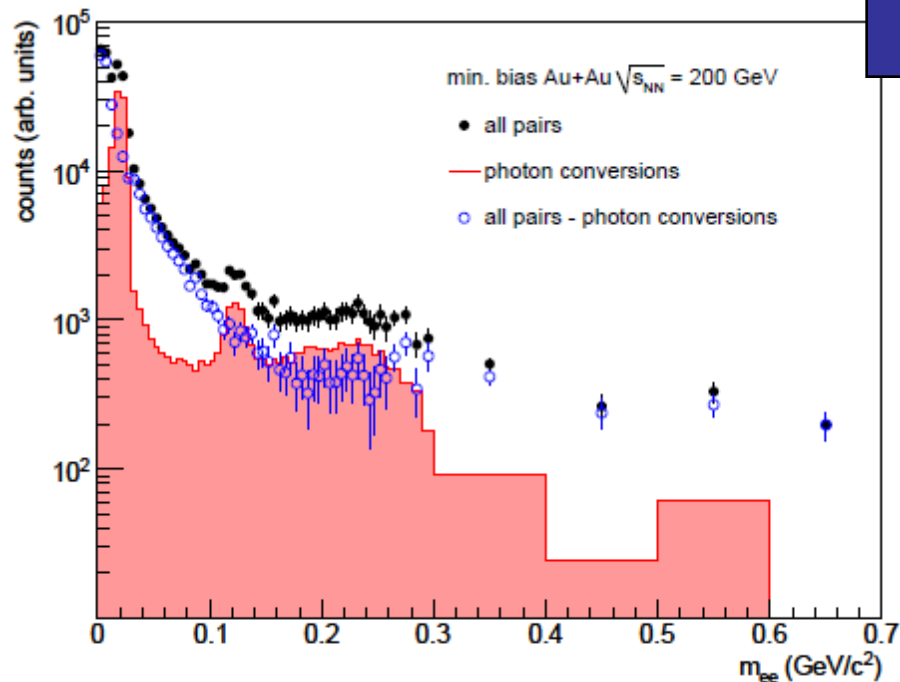
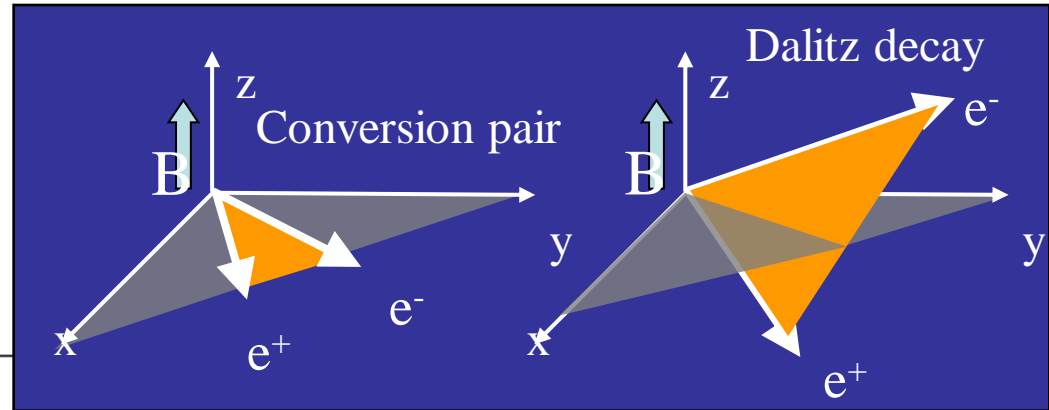


# Photon conversion rejection

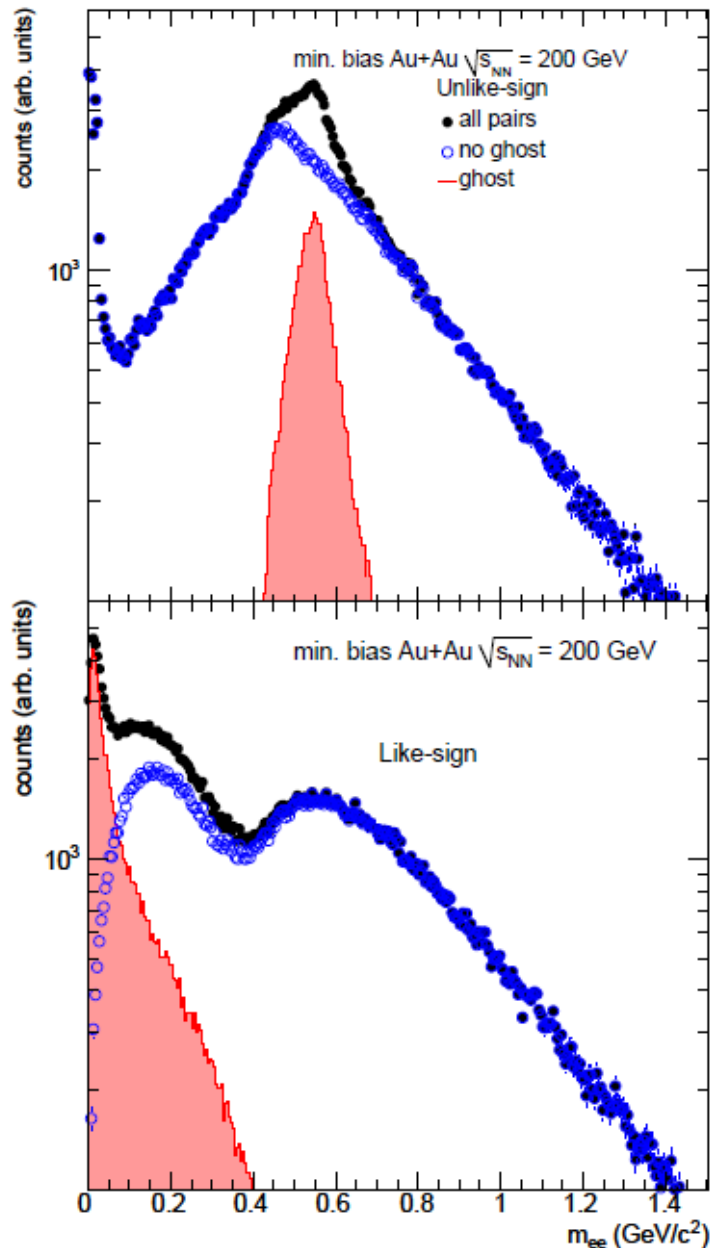
$\gamma \rightarrow e^+e^-$  at  $r \neq 0$  have  $m \neq 0$   
(artifact of PHENIX tracking:  
no tracking before the field)

- effect low mass region
- have to be removed

Conversion removed with  
orientation angle of the pair in the  
magnetic field

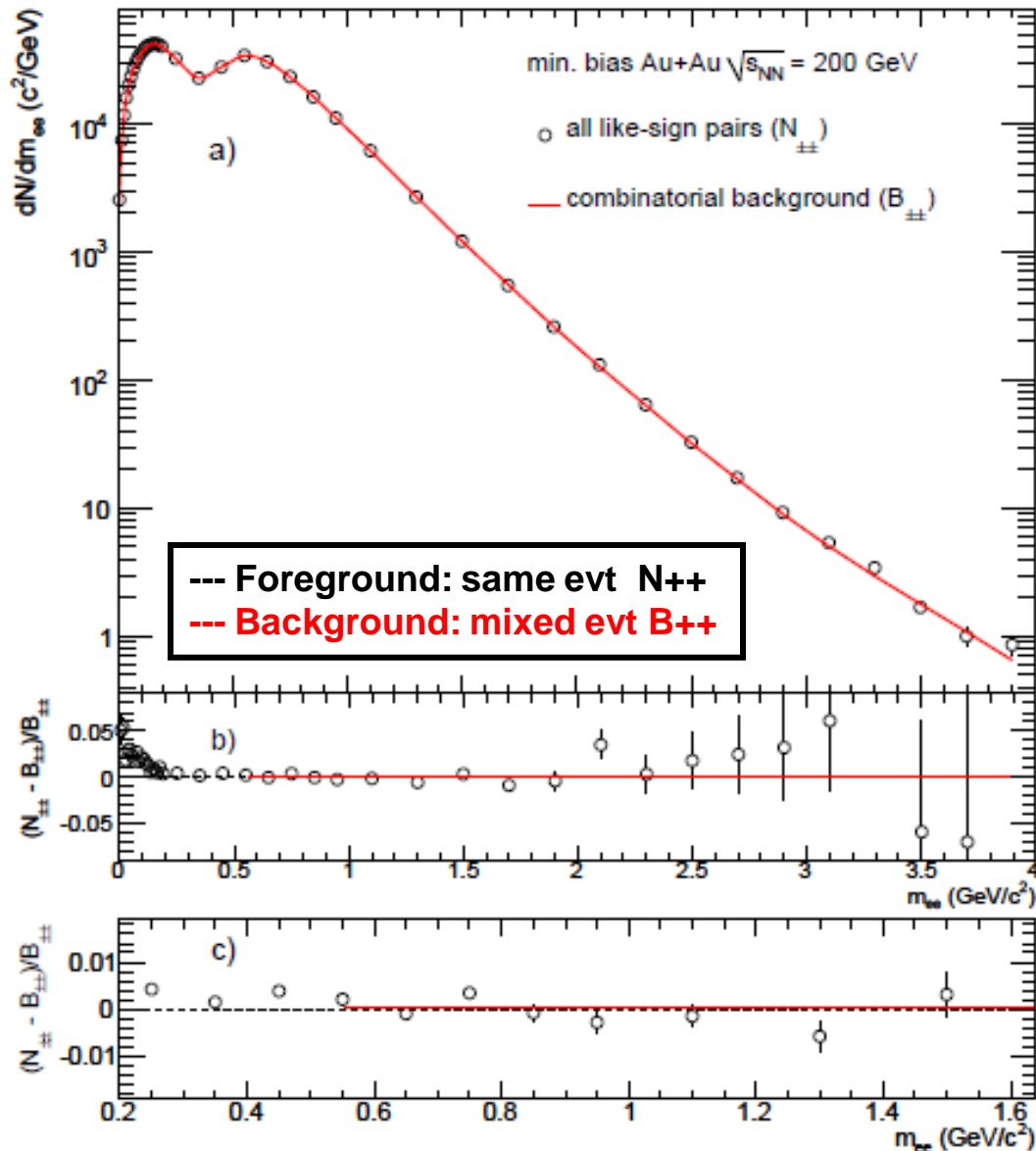


# Overlapping pairs



- when a pion points to the same ring as an electron, it is associated to the same ring, therefore considered an electron  
This happens for a typical values of opening angle (different for like and unlike) which folded with the average momentum of the electron corresponds to a particular invariant mass (different for like and unlike)  
→ cut: requested minimum distance between the rings ( $\sim 1$  ring diameter)
- Cut applied as event cut
  - Real events: discarded and never reused
  - Mixed events: regenerated to avoid topology dependence

# Background shape: like sign

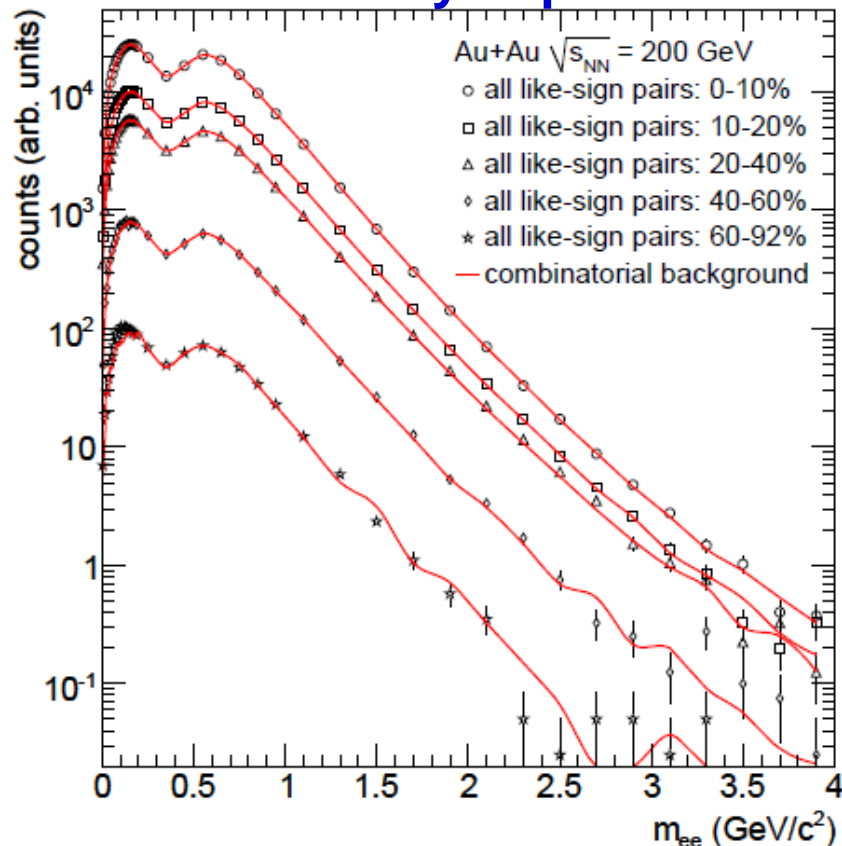


- Shape determined with event mixing
  - Excellent agreements for like-sign pairs
- Normalization of mixed pairs
  - Small correlated background at low masses
  - normalize  $B_{++}$  and  $B_{--}$  to  $N_{++}$  and  $N_{--}$  for  $m_{ee} > 0.7$  GeV/ $c^2$
  - Normalize mixed  $B_{+-}$  pairs to  $N_{+-} = 2\sqrt{N_{++}N_{--}}$
  - Subtract correlated background
- Systematic uncertainties
  - statistics of  $N_{++}$  and  $N_{--}$  : 0.12%
  - different pair cuts in like and unlike sign: 0.2 %

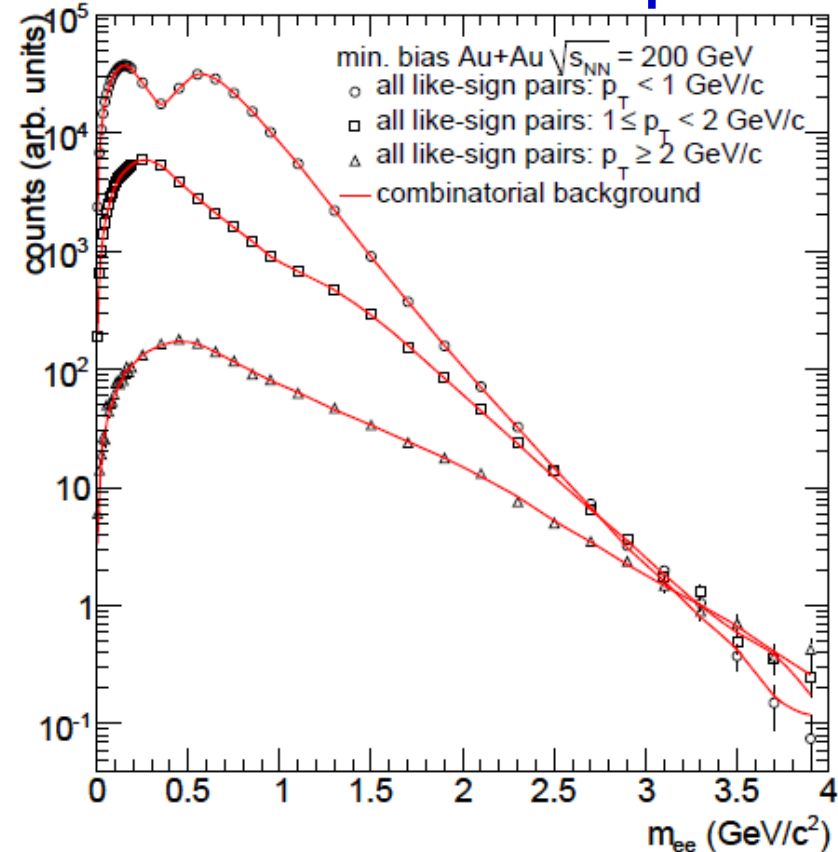


# Differential Background studies

## Centrality Dependence



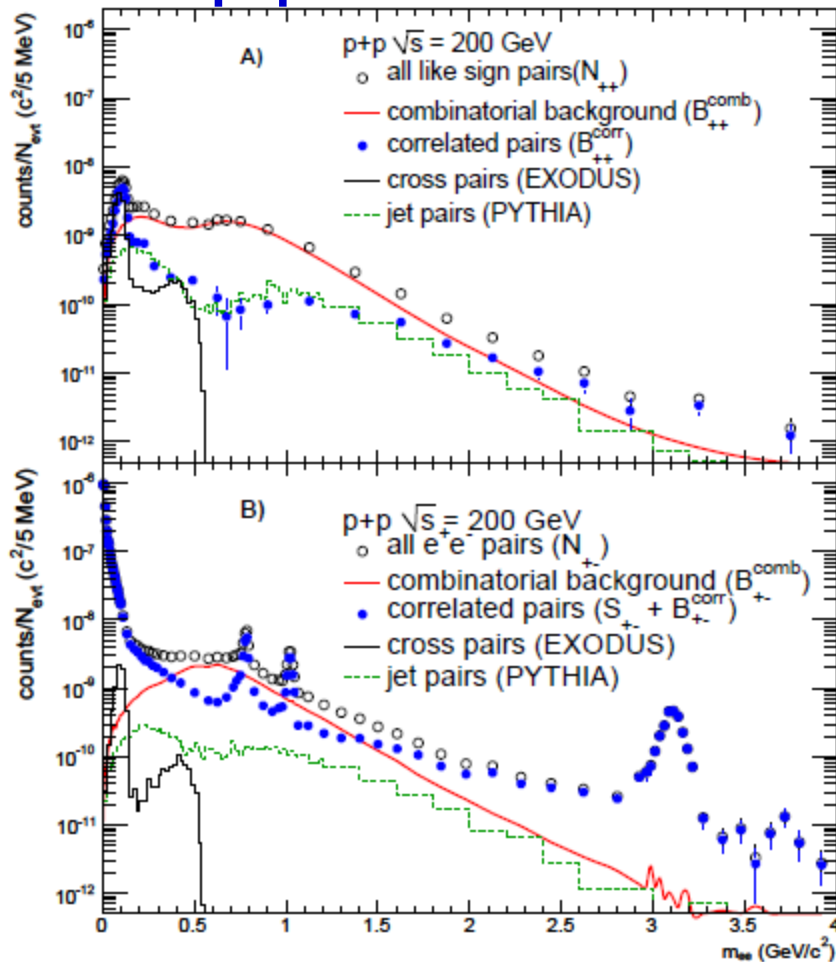
## Transverse Momentum Dependence



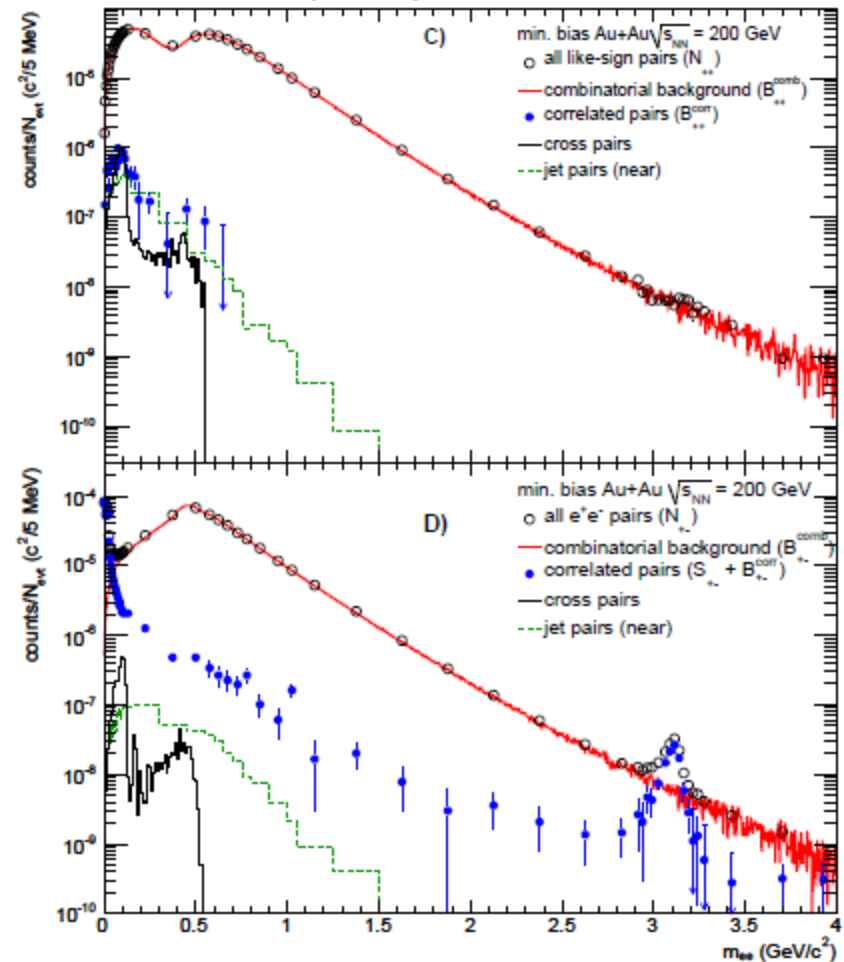
Centrality	$p_0$	$\chi^2/\text{NDF}$	$\chi^2$ test	$p$ -value	max dev.
0-10%	$6.3 \pm 8.8 \times 10^{-4}$	30.2/19	1.05	0.25	0.0014
10-20%	$-9.4 \pm 1.4 \times 10^{-4}$	18.6/19	0.97	0.61	0.0018
20-40%	$-2.4 \pm 1.8 \times 10^{-3}$	18.7/19	1.02	0.40	0.0034
40-60%	$-8.5 \pm 4.9 \times 10^{-3}$	21.9/19	1.65	0.02	0.0071
60-92%	$-1.8 \pm 1.6 \times 10^{-2}$	21.5/14	1.51	0.04	0.0321
00-92%	$2.6 \pm 6.3 \times 10^{-4}$	27.6/19	0.92	0.83	0.0010
$p_T < 1$ GeV/c	$9.2 \pm 5.1 \times 10^{-4}$	18.9/18	0.95	0.73	0.0011
$1 < p_T < 2$ GeV/c	$-3.4 \pm 1.6 \times 10^{-3}$	27.9/18	0.91	0.84	0.0029
$p_T > 2$ GeV/c	$-9.6 \pm 5.4 \times 10^{-3}$	15.2/18	0.97	0.63	0.0038

# Correlated Background

p+p



Au+Au



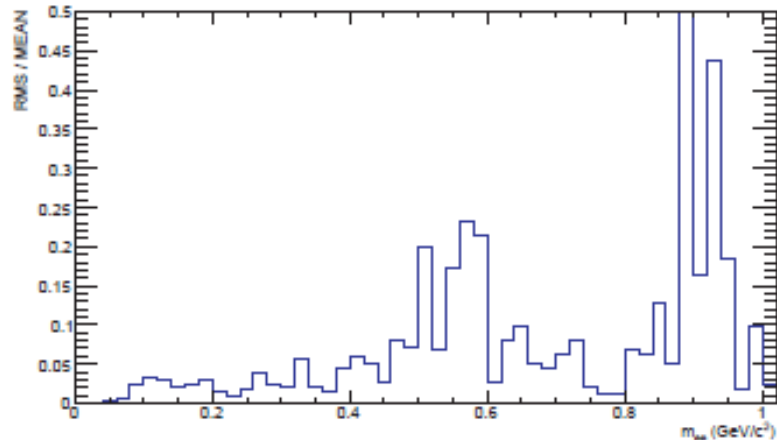
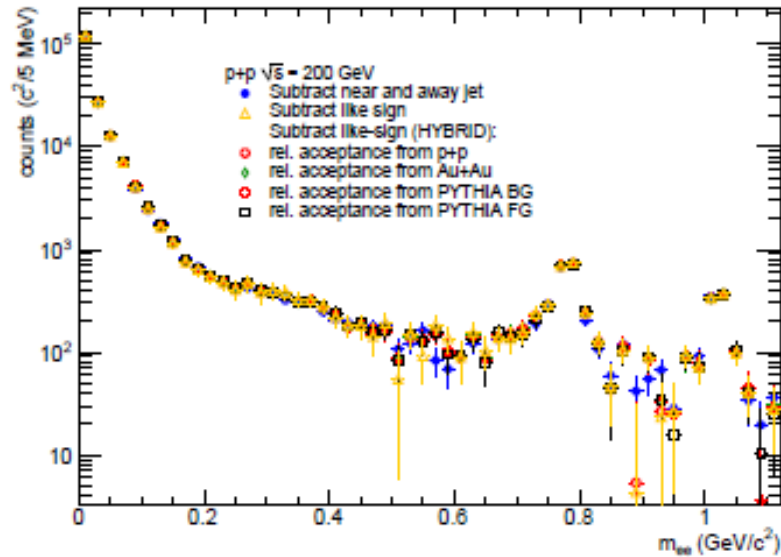
Cross pairs simulated with decay generator  
 Jet pairs simulated with PYTHIA  
 normalized to like sign data  
 same normalization for unlike-sign

Alternative method  
 Correct and subtract like sign data

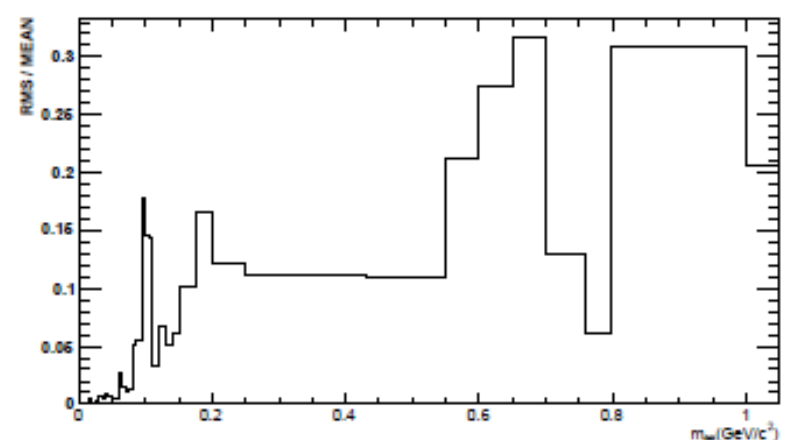
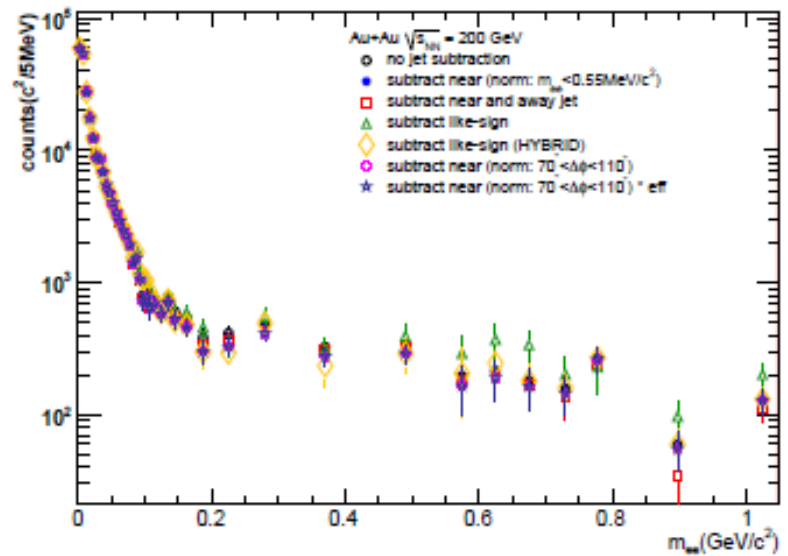
$$S_{+-} = N_{+-} - 2\sqrt{N_{++}N_{--}} \cdot \frac{B_{+-}^{\text{comb}}}{2\sqrt{B_{++}^{\text{comb}} \cdot B_{--}^{\text{comb}}}}$$

# Uncertainty of Background Subtraction

p+p



Au+Au



# Cross check Converter Method

We know precise radiation length ( $X_0$ ) of each detector material

The photonic electron yield can be measured by increase of additional material (photon converter was installed)

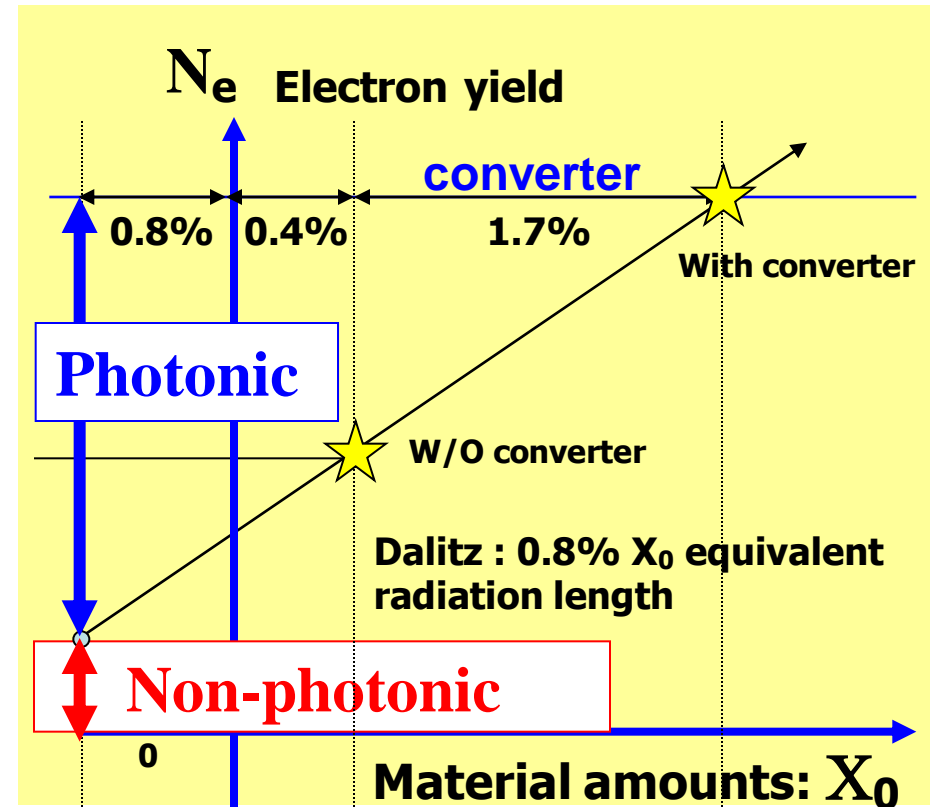
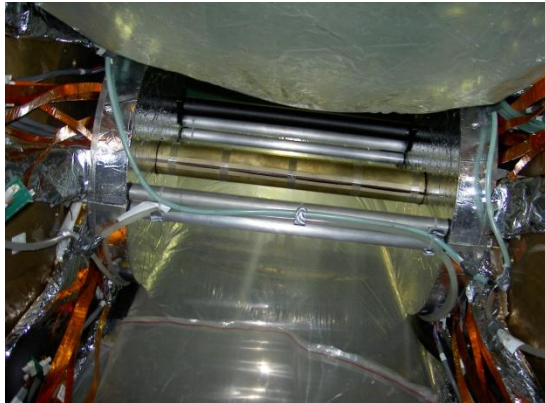
The non-photonic electron yield does not increase

Photonic single electron: x 2.3

Inclusive single electron :x 1.6

Combinatorial pairs :x 2.5

**Photon Converter (Brass: 1.7%  $X_0$ )**



# The raw subtracted spectrum

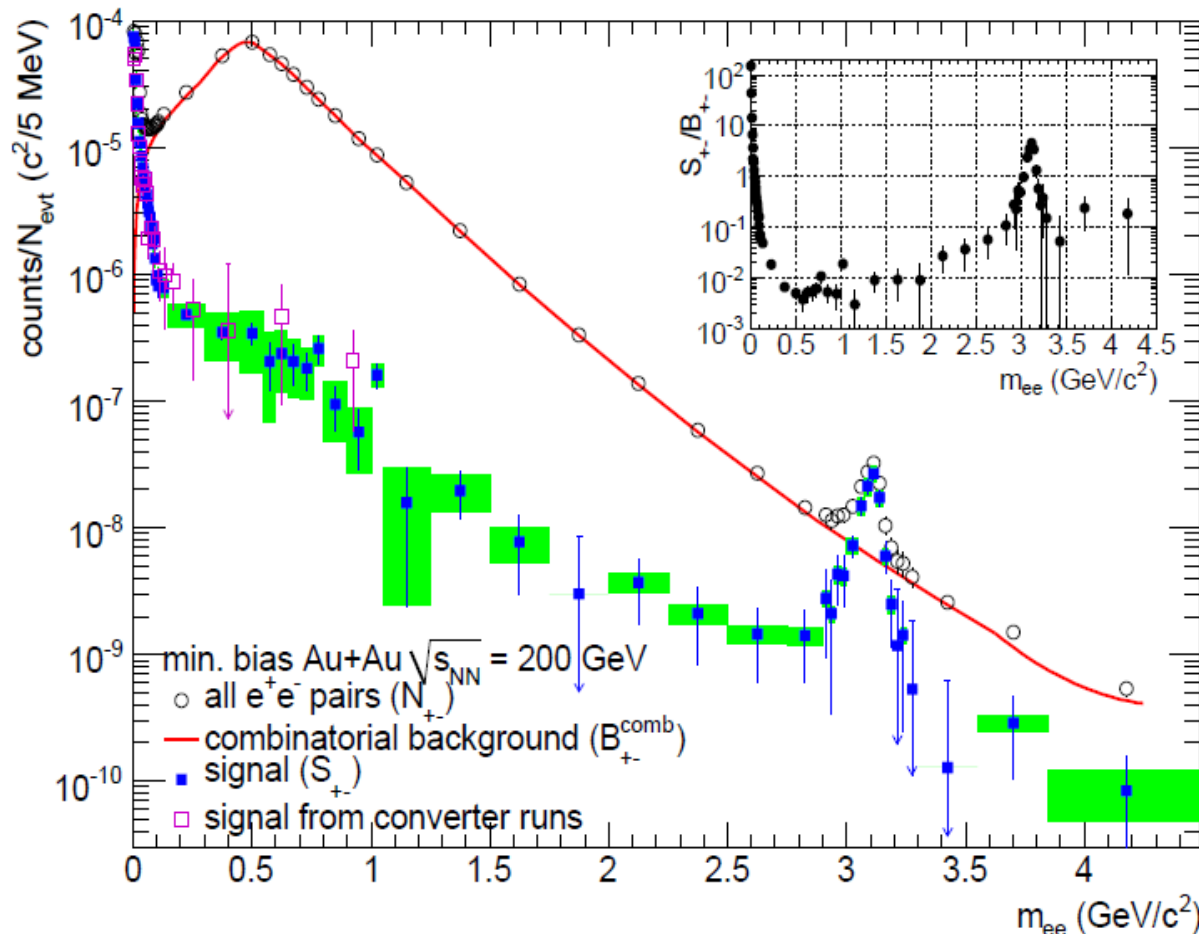
Same analysis on data sample with additional conversion material

→ Combinatorial background increased by 2.5

Good agreement within statistical error

$$\sigma_{\text{signal}}/\text{signal} = \boxed{\sigma_{\text{BG}}/\text{BG}} * \boxed{\text{BG}/\text{signal}}$$

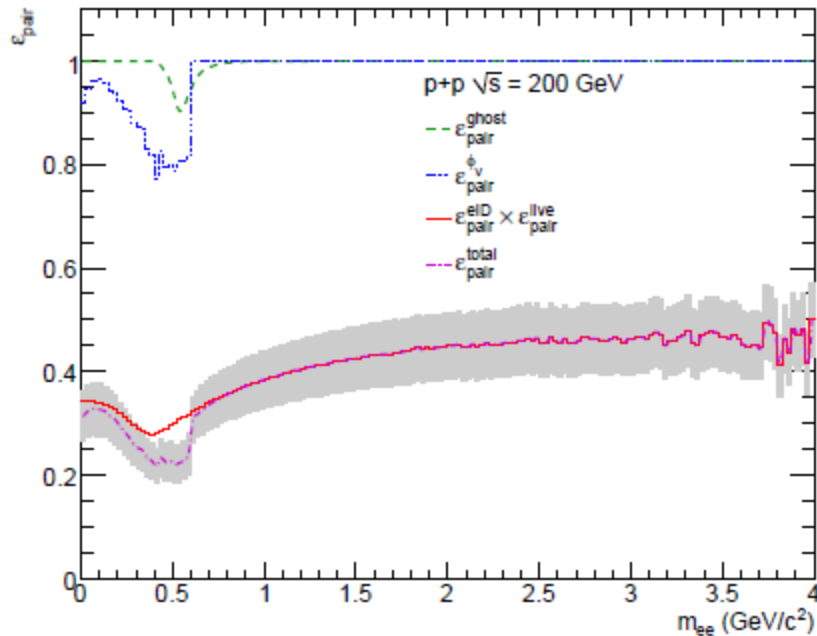
0.25%                      large!!!



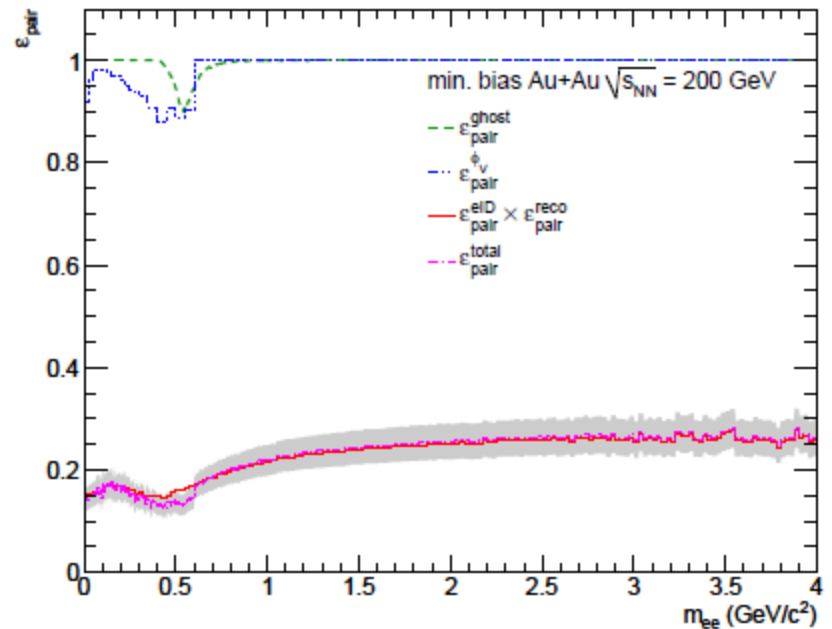
From the agreement  
converter/non-converter and  
the decreased S/B ratio  
**scale error =  $0.15 \pm 0.51\%$**   
(consistent with the 0.25%  
error we assigned)

# Efficiency Correction

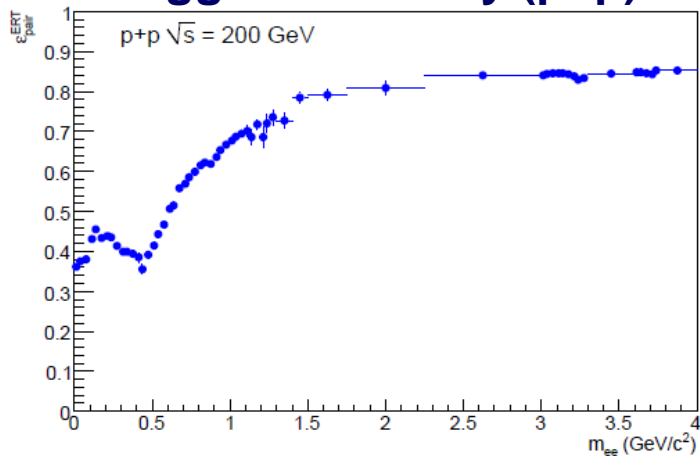
p+p



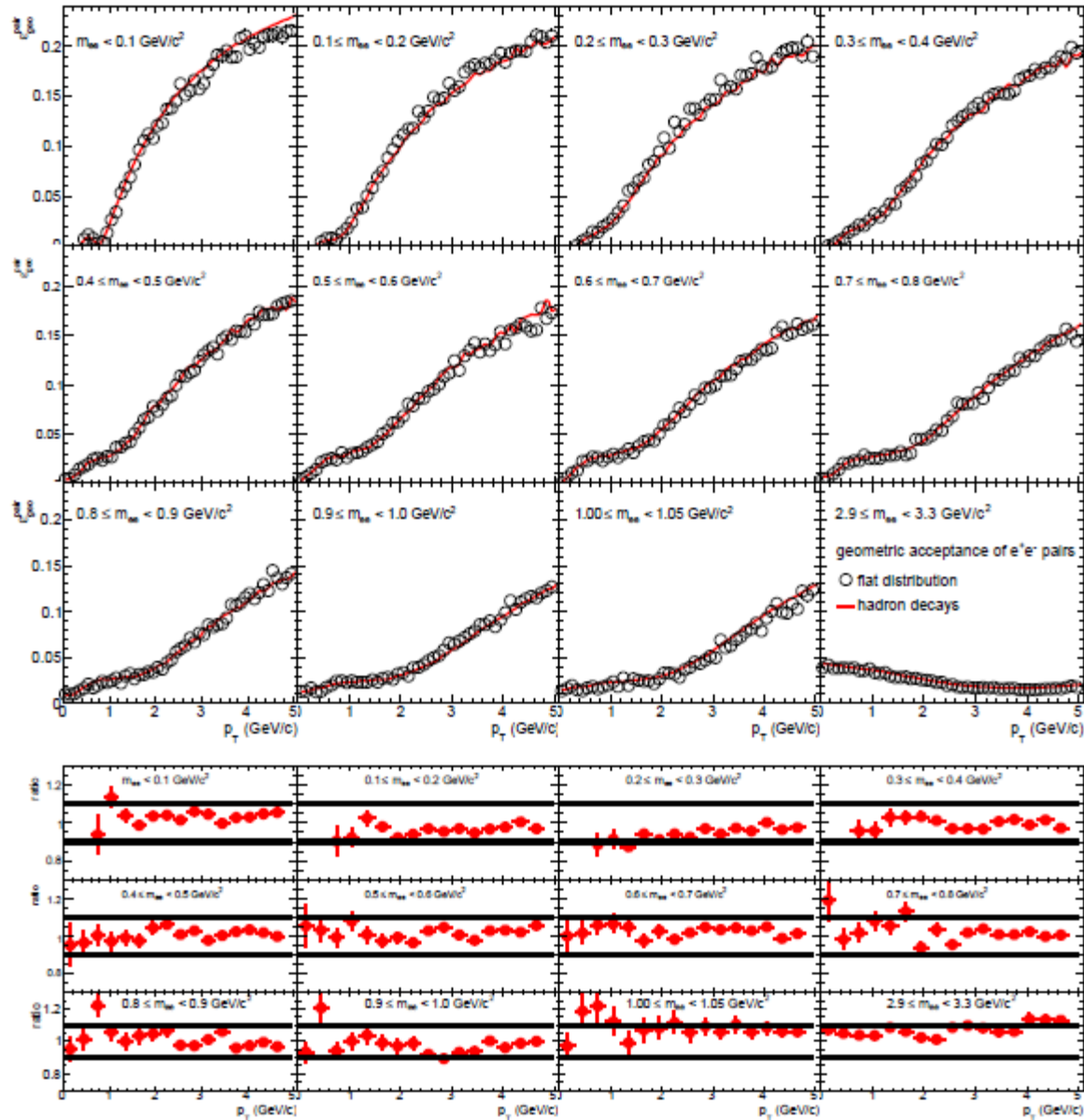
Au+Au



Trigger Efficiency (p+p)



# Acceptance Correction





Other measurements

# Viscosity of “near perfect” fluid

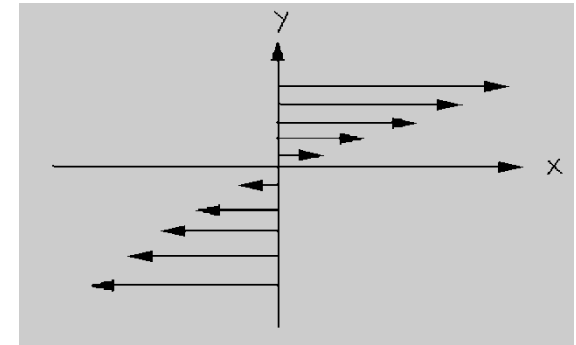
- viscous fluid

- supports a shear stress
- viscosity  $\eta$  defined as
- dimensional estimate

$$\frac{F_x}{A} = -\eta \frac{\partial v_x}{\partial y}$$

$$\eta \approx (\text{momentum density}) \times (\text{mean free path})$$

$$\approx n \bar{p} mfp = n \bar{p} \frac{1}{n\sigma} = \frac{\bar{p}}{\sigma}$$



- Large cross sections  $\rightarrow$  small viscosity
- early hydrodynamic calculations of the medium at RHIC have assumed zero viscosity:  $\eta = 0$ , i.e. a “perfect fluid”

- conjectured lower quantum limit

- derived first in (P. Kovtun, D.T. Son, A.O. Starinets, Phys.Rev.Lett.94:111601, 2005)
- motivated by AdS/CFT (Anti de Sitter space / Conformal Field Theory) correspondence (J. Maldacena: Adv. Theor. Math. Phys. 2, 231, 1998)

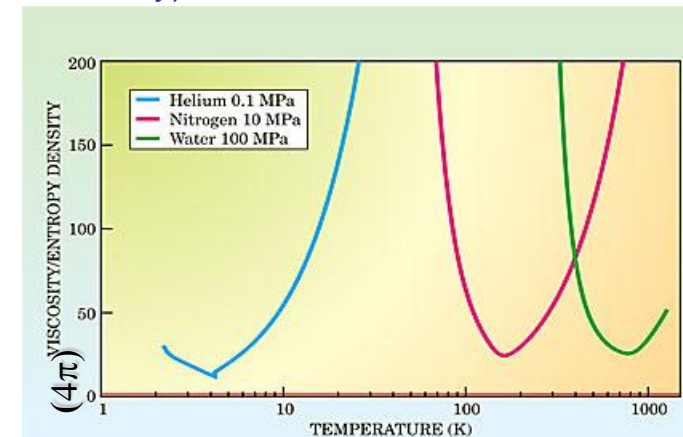
$$\frac{\eta}{s} \geq \frac{\hbar}{4\pi}$$

H<sub>2</sub>O (at normal conditions):  
 $\eta/s \sim 380\hbar/4\pi$   
 He (at  $\lambda$  point):  $\eta/s \sim 9\hbar/4\pi$

- “ordinary” fluids

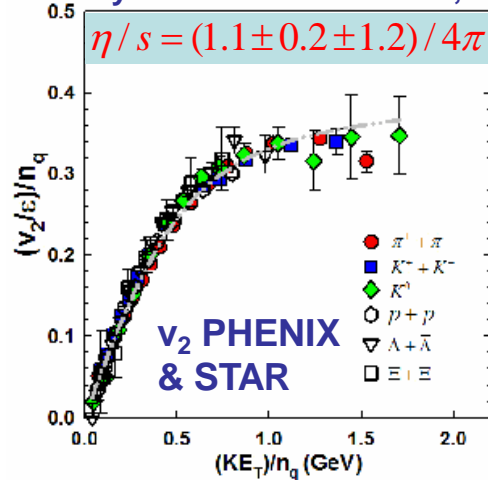
- Gas:  $\eta/s \uparrow$  for  $T \uparrow$  (because  $\langle p \rangle \uparrow$ )  
 divergent viscosity of ideal gas
- Liquid:  $\eta/s \downarrow$  for  $T \uparrow$  (lower  $T$  easier to transport  $p$ )  
 $\rightarrow \eta/s$  has a minimum at the critical point?

- “RHIC fluid”?

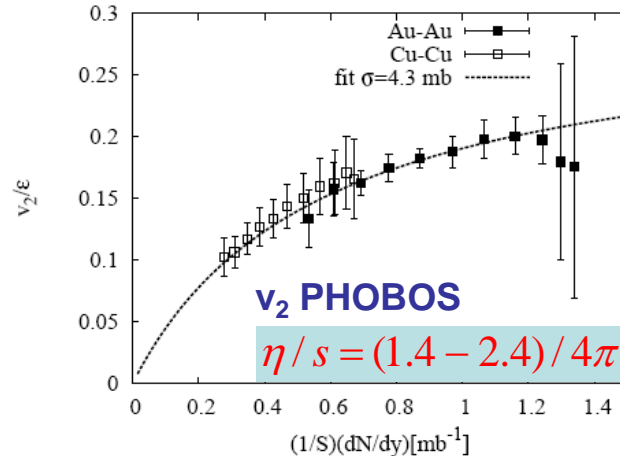


# Measuring viscosity

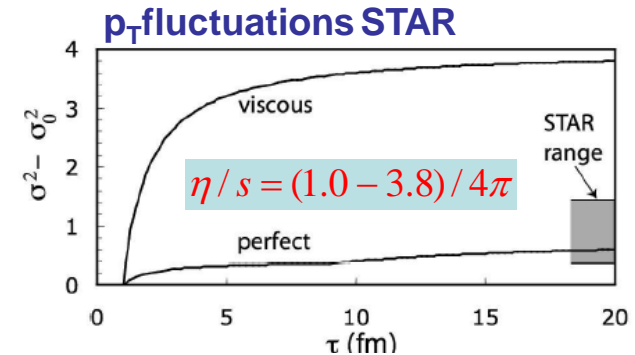
R. Lacey et al.: PRL 98:092301, 2007



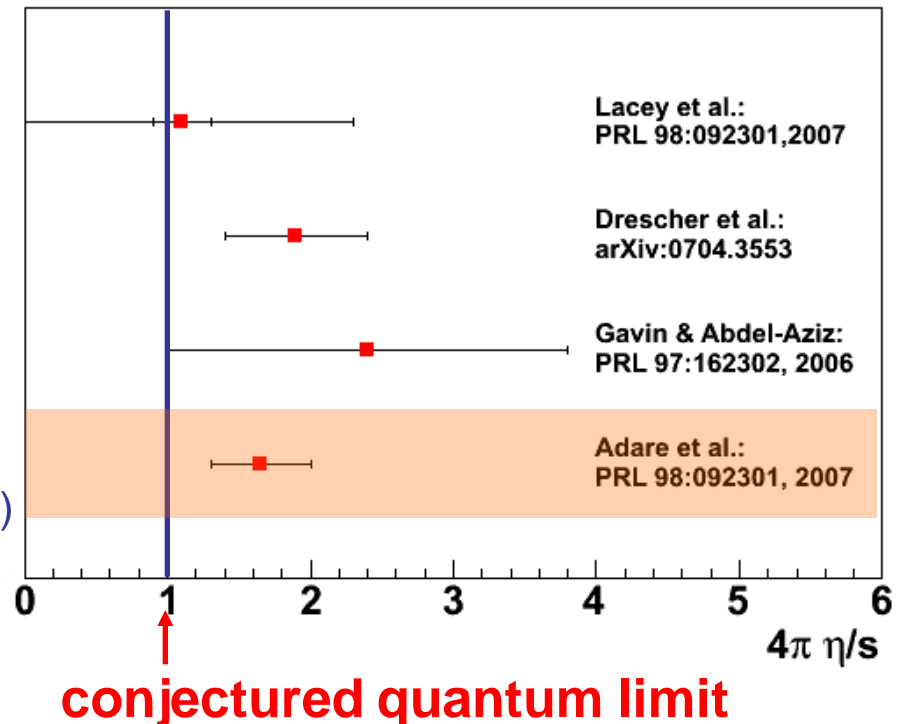
H.-J. Drescher et al.: arXiv:0704.3553



S. Gavin and M. Abdel-Aziz:  
PRL 97:162302, 2006

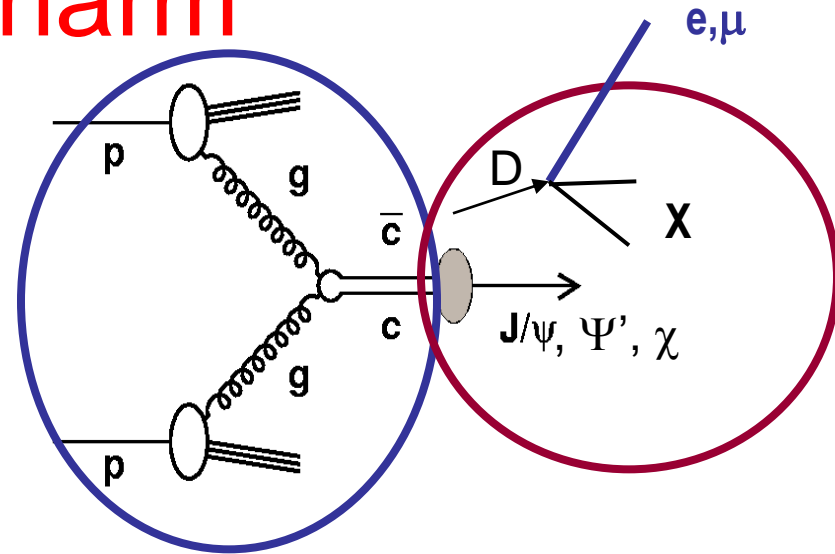


- need observables that are sensitive to shear stress
- damping (flow, fluctuations, heavy quark motion)  $\sim \eta/s$
- estimates of  $\eta/s$  based on flow and fluctuation data
  - indicate small value as well
  - close to conjectured limit
  - significantly below  $\eta/s$  of helium ( $4\pi\eta/s \sim 9$ )
- In chiral limit:  $\eta/s = 15/16\pi * f_4/T^4$ 
  - $T \rightarrow 0$ :  $\eta/s \rightarrow \infty$
  - $T \rightarrow \infty$ :  $\eta/s \sim 1/g^4$  where  $g^2 \sim 1/\ln(T/\Lambda_T)$
  - Minimum at  $T_c$ ?

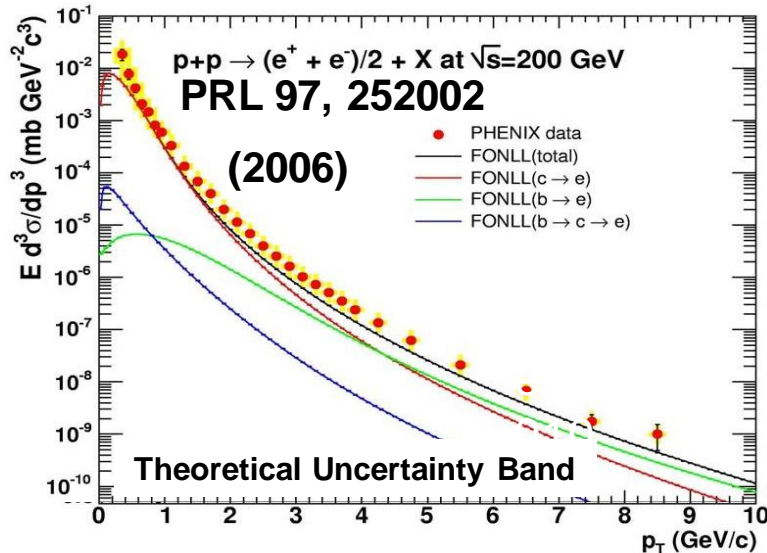


# Open Charm

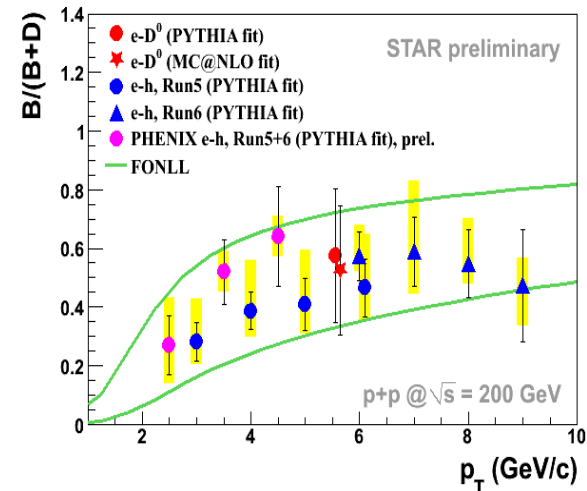
- hard process ( $m_q \gg \Lambda_{\text{QCD}}$ )
  - at leading order (LO):
    - quark-antiquark annihilation
    - gluon fusion
  - higher order processes important at large  $\sqrt{s}$



## p+p: BASELINE

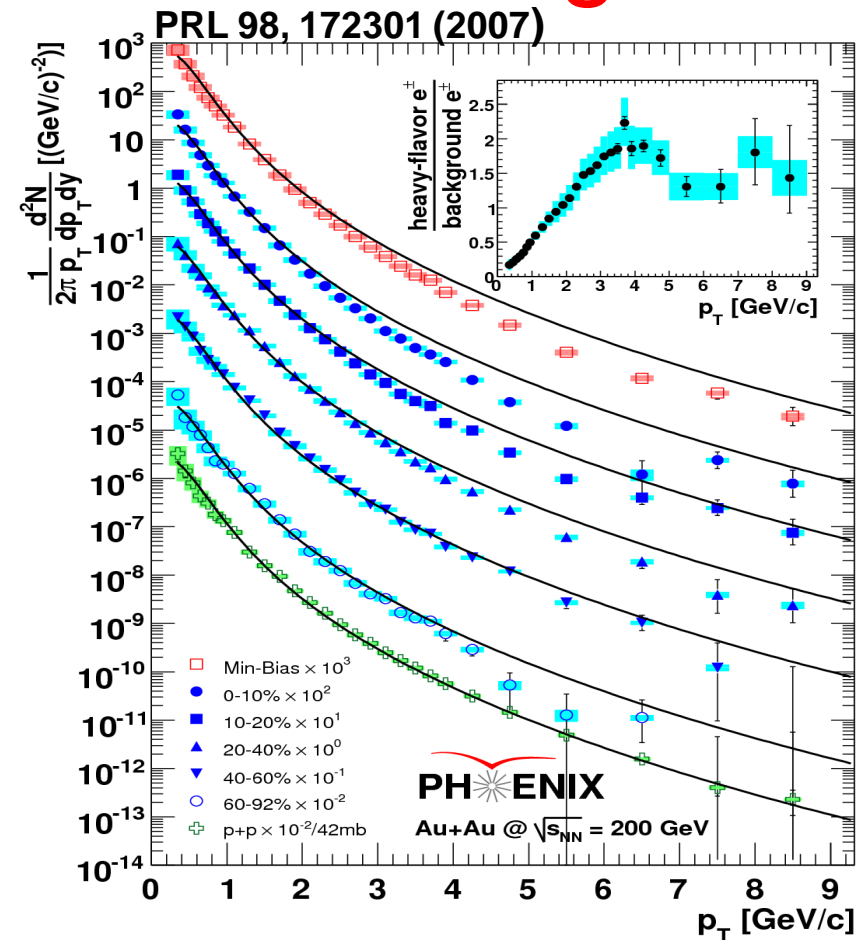


## BOTTOM CONTRIBUTION

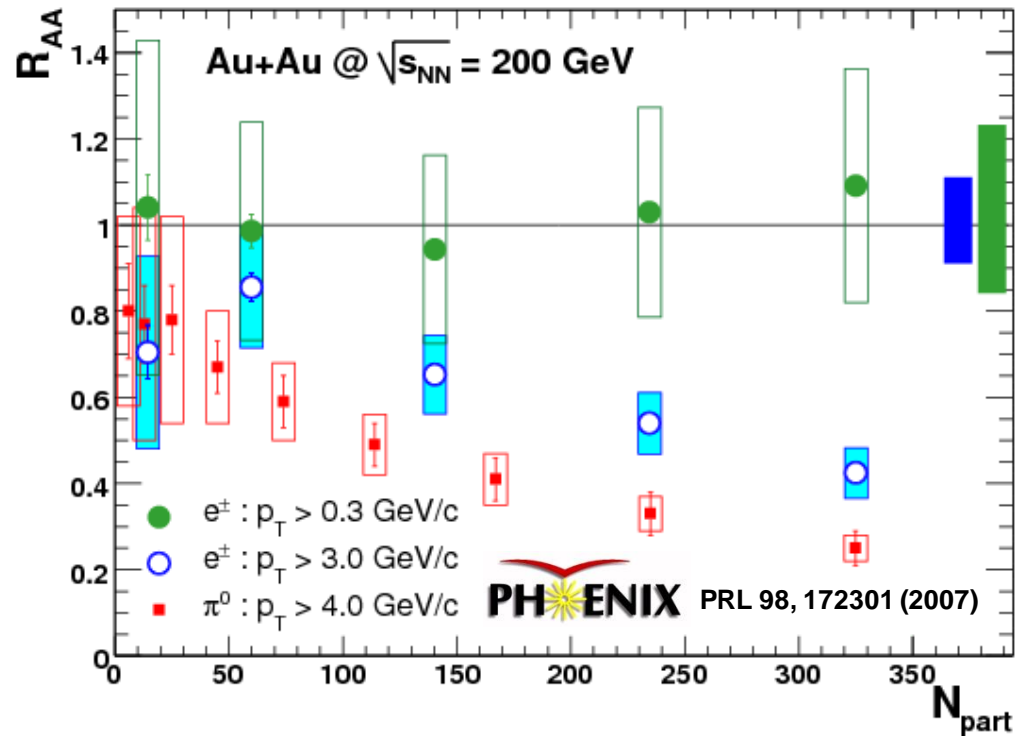


- comparison with FONLL calculation:
  - Fixed Order Next-to-Leading Log pQCD  
(Cacciari, P. Nason, R. Vogt PRL95,122001 (2005))
- bottom is important at high  $p_T$ !
- electron-hadron correlations
  - sensitive to bottom vs. charm due to the different masses of D and B mesons

# Probing the medium in Au+Au

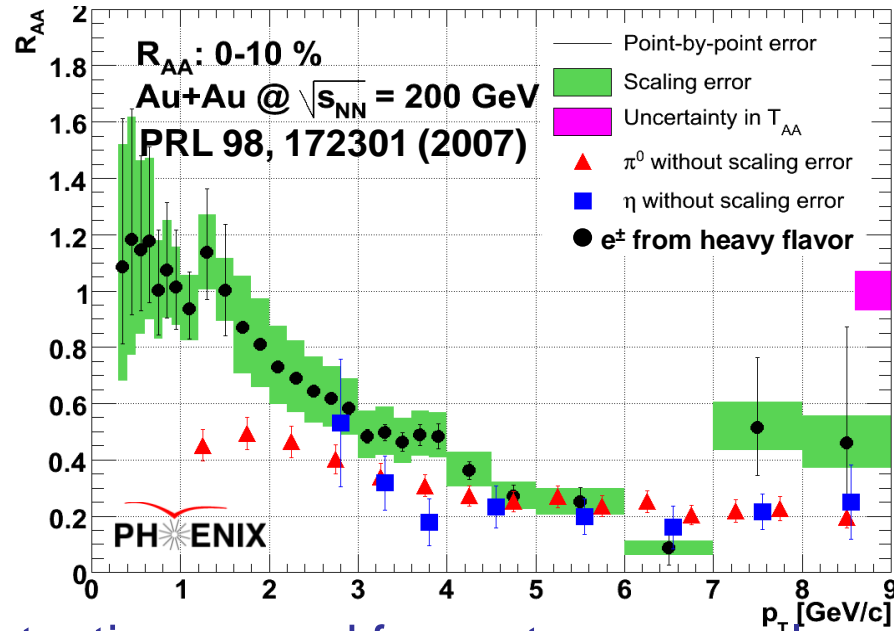


$$R_{AA} = \frac{\text{Yield in Au+Au}}{N_{binary} \times \text{Yield in p+p}}$$

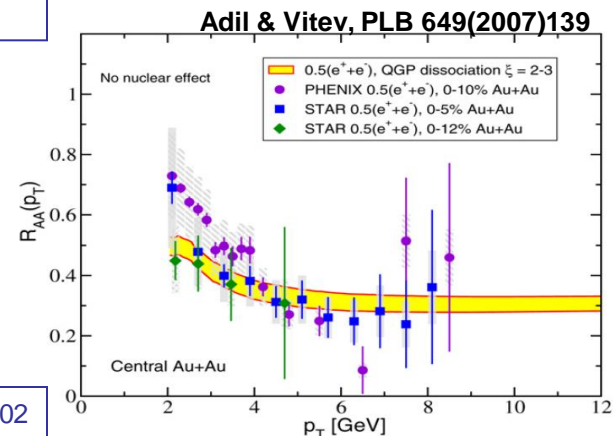
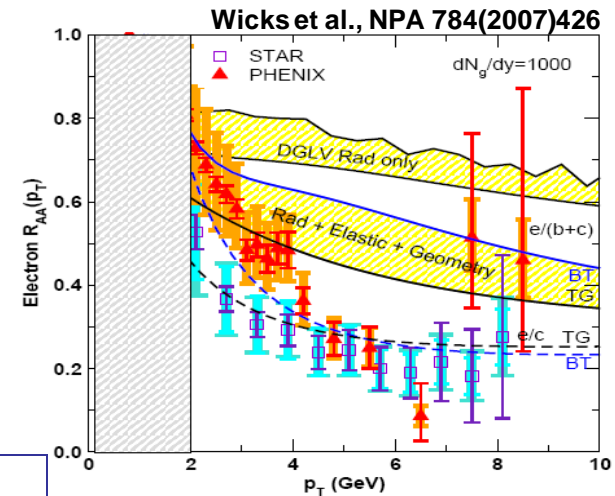


- binary scaling of total  $e^\pm$  yield from heavy-flavor decays  
→ hard process production and no destruction (as expected)
- high  $p_T$   $e^\pm$  suppression increasing with centrality  
– similar to  $\pi^0$  suppression (a big surprise)

# Nuclear modification factor $R_{AA}$



- similar to light hadrons  
 !!! kinematics:  $p_T(e^\pm) < p_T(D)$ 
  - intermediate  $p_T$ : quark mass hierarchy
  - high  $p_T$ :  $R_{AA}(e^\pm) \sim R_{AA}(\pi^0) \sim R_{AA}(\eta)$
- bottom contribution at high  $p_T$  ???



## • testing ground for parton energy loss ( $\Delta E$ ) models

- radiative  $\Delta E$  only  
 would need a very large colour opacity with static scattering centers (odd for b)
- collisional  $\Delta E$  included  
 reduces  $R_{AA}$  significantly, but the challenge persists (also for light quarks)

Djordjevic et al., PLB 632(2006)81  
 Armesto et al., PLB 637(2006)362

Wicks et al., NPA 784(2007)426  
 van Hees & Rapp, PRC 73(2006)034913

## • alternative approaches

- collisional dissociation of heavy mesons
- contribution from baryon enhancement

Adil & Vitev, PLB 649(2007)139

Sorensen & Dong, PRC 74(2006)024902

# Does charm thermalize?

- transport of heavy quarks the medium

- Rapp & van Hees (PRC 71, 034907 (2005))

- small relaxation time required for simultaneous fit of  $R_{AA}$  and  $v_2$

→ diffusion coefficient  $D_{HQ}$

- Moore & Teaney (PRC 71, 064904 (2005))

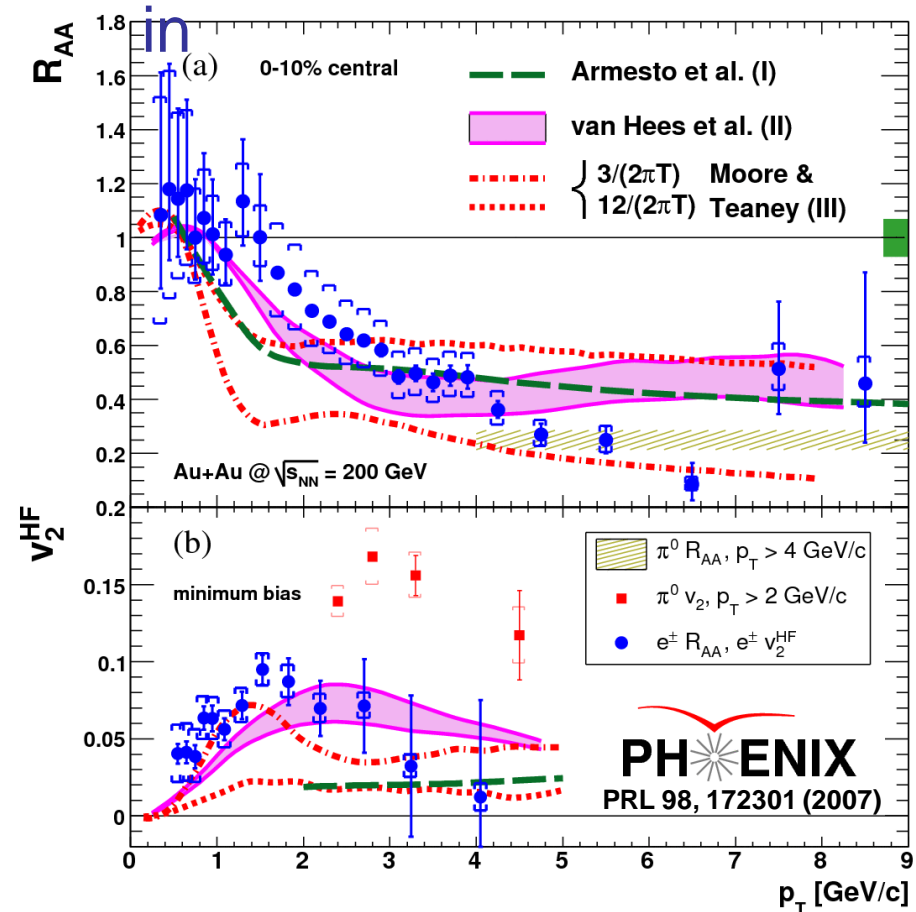
- difficulties to describe  $R_{AA}$  and  $v_2$  simultaneously
  - relate  $D_{HQ}$  with viscosity density of the medium

- suggests

- $\eta/s = (1.3-2.0)/4\pi$

- close to a conjectured lower bound ( $\eta/s = 1/4\pi$ )

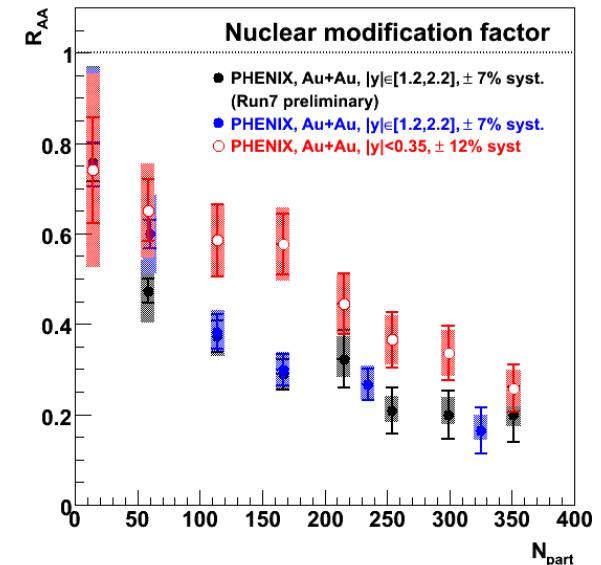
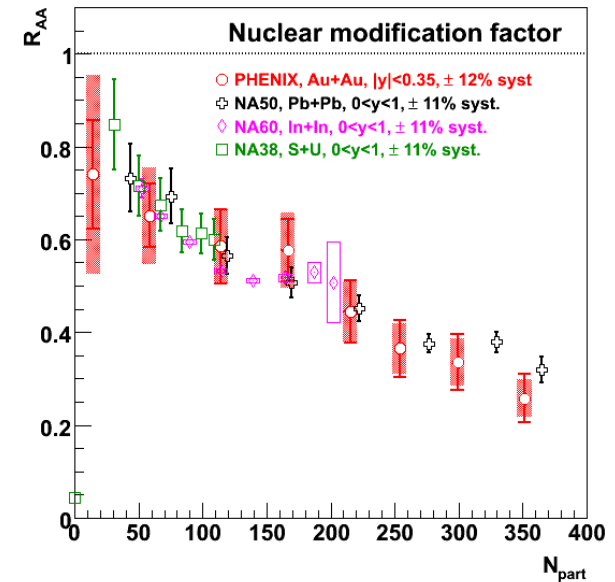
- consistent with other estimates of  $\eta/s$  based on flow and fluctuation measurements for light hadrons





# Heavy quarkonia at RHIC

- Same suppression observed at RHIC ( $T \sim 400$  MeV) and SPS ( $T \sim 200$  MeV) !?!
- At RHIC: forward rapidity (where energy density should be smaller) suppressed more than mid-rapidity !?!
- Coalescence:  
cc regeneration compensates screening (there are more cc pairs at mid-rapidity)  
→  $J/\psi$  produced by statistical hadronization at the phase boundary as all other hadrons?
- Sequential dissociation:  
only  $\psi'$  and  $\chi_c$  ( $\sim 40\%$  feed-down to  $J/\psi$ ) melt  
Direct  $J/\psi$  survives at RHIC →  $T_0 < 2T_c$
- Saturation could suppress forward  $J/\psi$  in AuAu

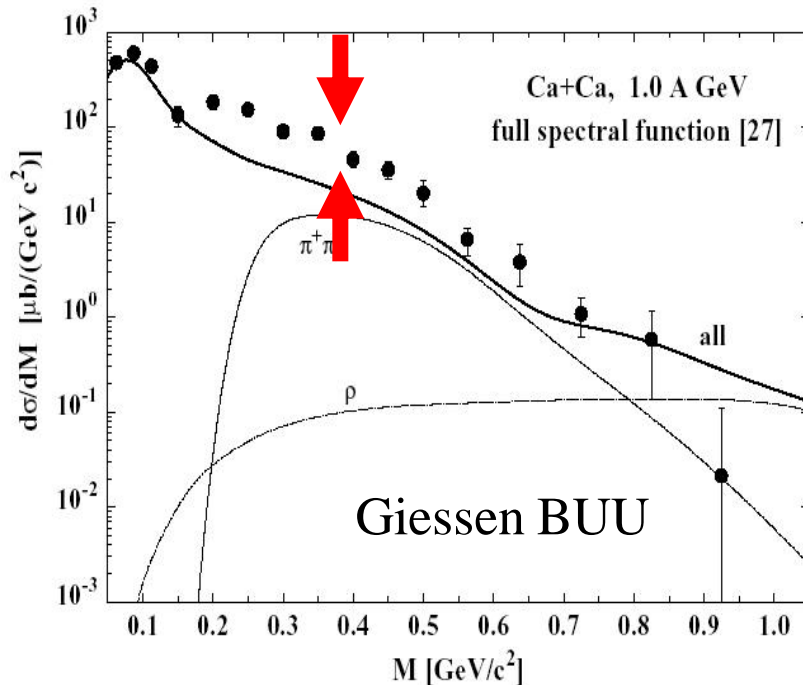


Other dilepton measurements

# Dielectron pairs –the history I

## low energy

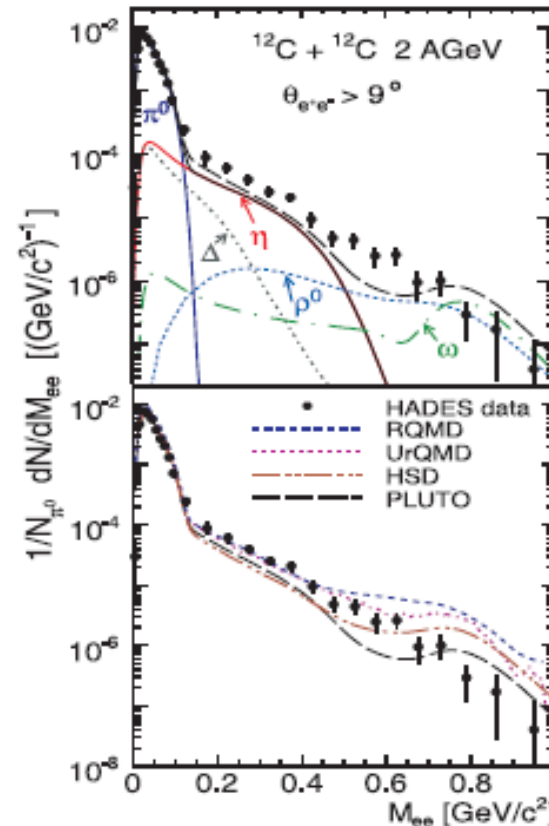
HADES (high acceptance, resolution, rate capability): first measurements



Data: R.J. Porter et al.: PRL 79 (1997) 1229

BUU model: E.L. Bratkovskaya et al.: NP A634 (1998) 168  
transport + in-medium spectral functions

DLS measured an excess of dielectron pairs over the expected yield  
Never fully explained



excess over standard known sources compared with theory calculations

Agreement with DLS

Excess possibly explained with bremsstrahlung

# Dielectron pairs –the history II

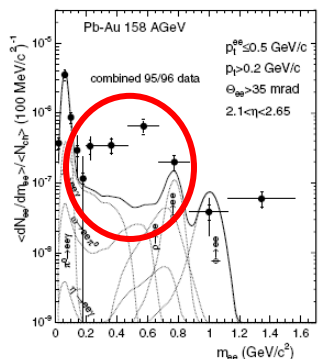
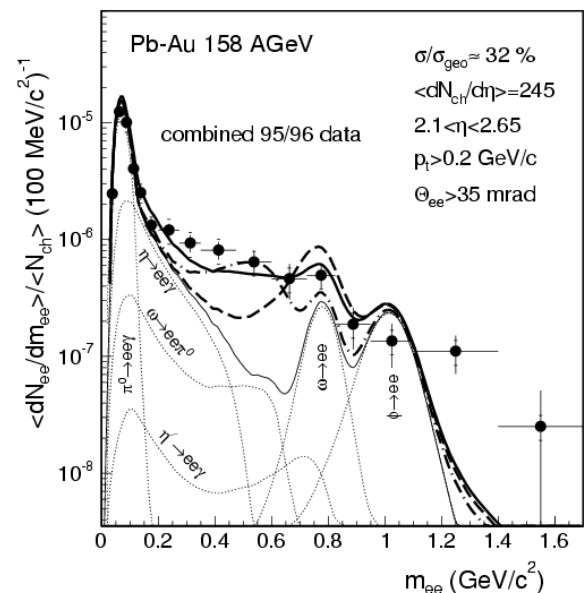
## high energy

**CERES** measured an excess of dielectron pairs over the expected yield, rising faster than linear with centrality  
Attributed to in-medium modification of  $\rho$  spectral function from  $\pi\pi$  annihilation

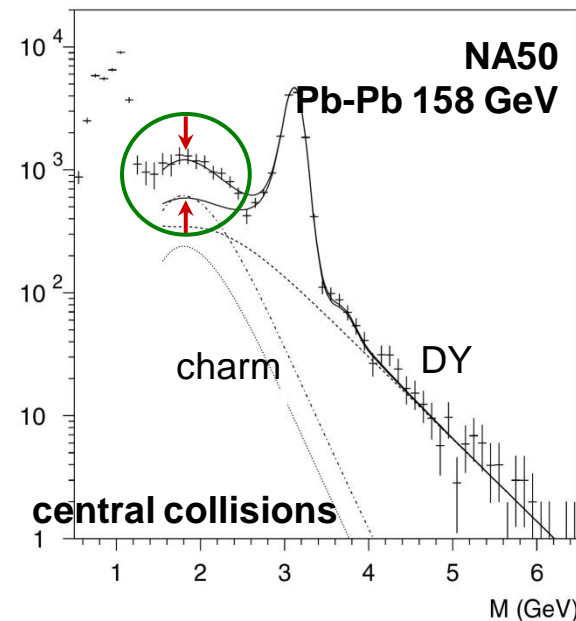
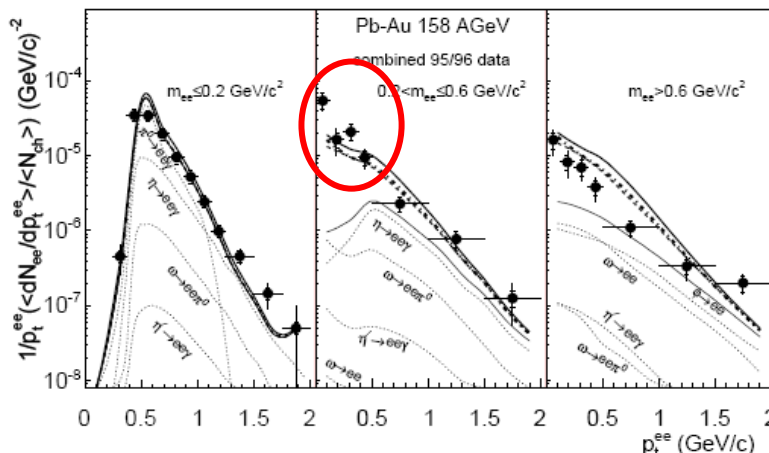
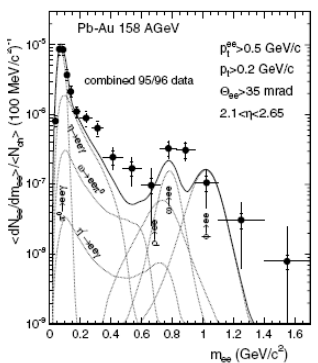
## Thermal radiation: window 0.5 to 2.5 GeV

- direct photons (HELIOS, WA80/98)
- di-lepton pairs (NA38/50)

Excess of dilepton yield measured above charm pairs



The enhancement is concentrated at low  $p_T$



# Dielectron pairs –the history II

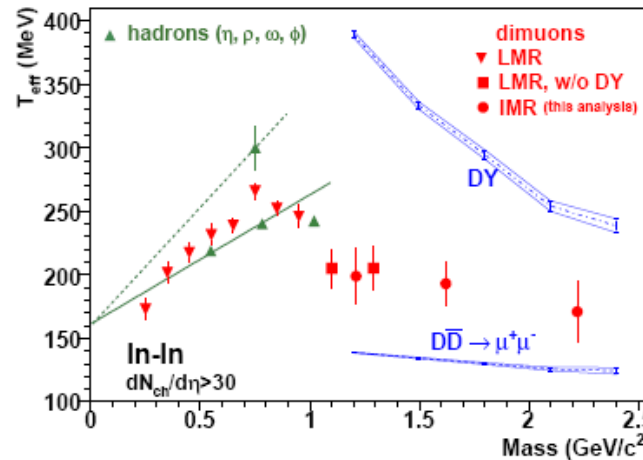
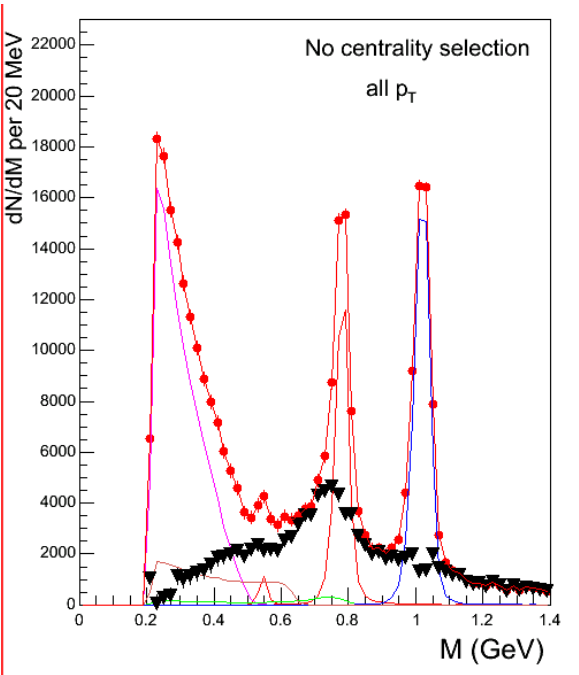
## III generation

NA60 First measurement of the  $\rho$  spectral function

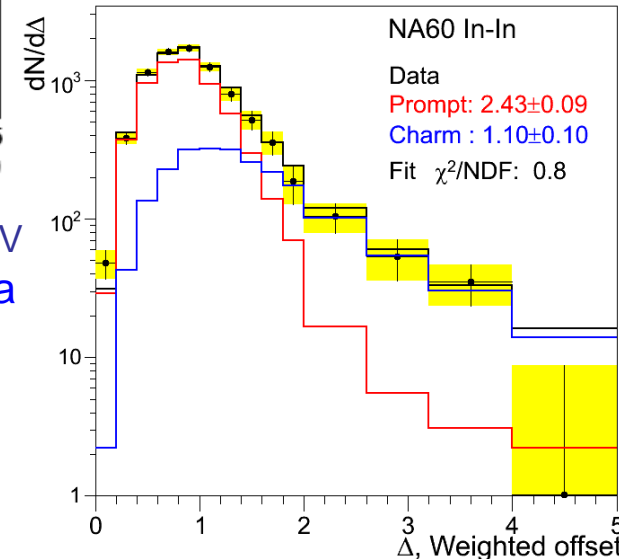
Clear excess above the cocktail  $\rho$ , centered at the nominal  $\rho$  pole and rising with centrality

$p_T$  spectra: Steepening at low  $m_T$  contrary to expectation for radial flow; relation to pion spectra?

Monotonic flattening of spectra with mass up to  $M=1$  GeV



IMR: measurement of muon offsets  $\Delta\mu$  attributes the IMR excess to prompt dimuon



Strong rise of  $T_{\text{eff}}$  with dimuon mass, followed by a sudden drop for  $M > 1$  GeV

Rise reminiscent of radial flow of a hadronic source

Drop signals sudden transition to low-flow source, i.e. source of partonic origin (here  $qq \rightarrow \mu\mu$ )

